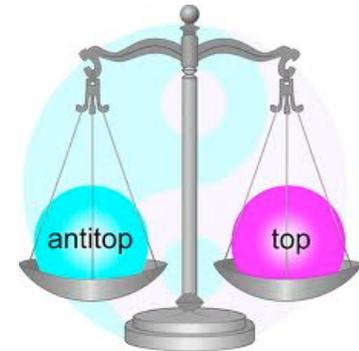




Measurement of the charge asymmetry in top quark pair production at 7 TeV

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XXI International Workshop on Deep-Inelastic Scattering and Related Subjects, Newport News 2011

Outline

I. Charge Asymmetry in top pair production in p-p collisions

II. Charge Asymmetry Measurement

Event Selection

Top Quarks Reconstruction

Correction of the Measurement Effects

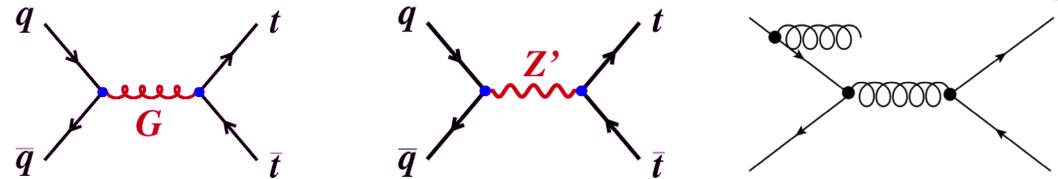
III. Systematics

IV. Summary

Charge Asymmetry

- The charge asymmetry provides the possibility to search for the unknown top quark production mechanisms

- Sources of asymmetry: new particles decaying to $t\bar{t}$ with different vector and axial couplings, interference with SM processes

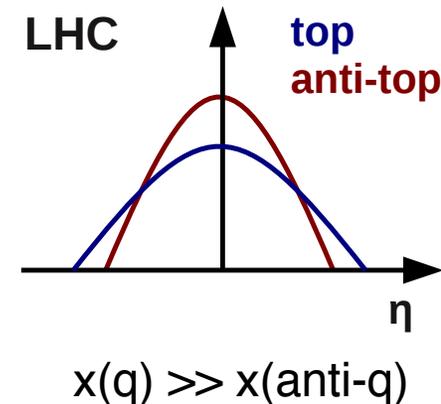
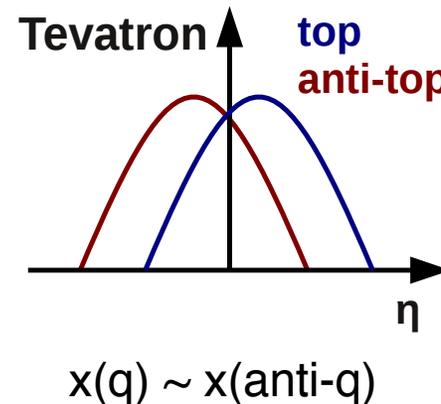


- top (anti-top) quarks preferably emitted in quark (anti-quark) direction

- The asymmetry appears only for asymmetric initial states - at LHC, the asymmetric initial states like $q\bar{q}$ are still possible, with the anti-quark coming from the sea quarks, but these events have a much smaller probability

- Proton-antiproton (Tevatron) - quark (anti-quark) are mainly from proton (antiproton).

- the measured forward-backward asymmetry shows 2-3 σ deviation from the SM prediction



Sensitive Variables to Charge Asymmetry in p-p collisions

- Most theoretical predictions use the rapidity to calculate the charge asymmetry:

$$A_C(y_C) := \frac{N_t(|y| < y_C) - N_{\bar{t}}(|y| < y_C)}{N_t(|y| < y_C) + N_{\bar{t}}(|y| < y_C)}$$

In addition, cuts on rapidity and $m_{t\bar{t}}$ are used.

- We used variable $|\eta_t| - |\eta_{\bar{t}}|$ to determine its asymmetry:

$$A_C = \frac{N^+ - N^-}{N^+ + N^-} \quad \text{where } N^+ / N^- \text{ are the number of events with positive/negative values of } |\eta_t| - |\eta_{\bar{t}}|$$

- we used the pseudo-rapidity because it is based on angular information only, providing a good resolution

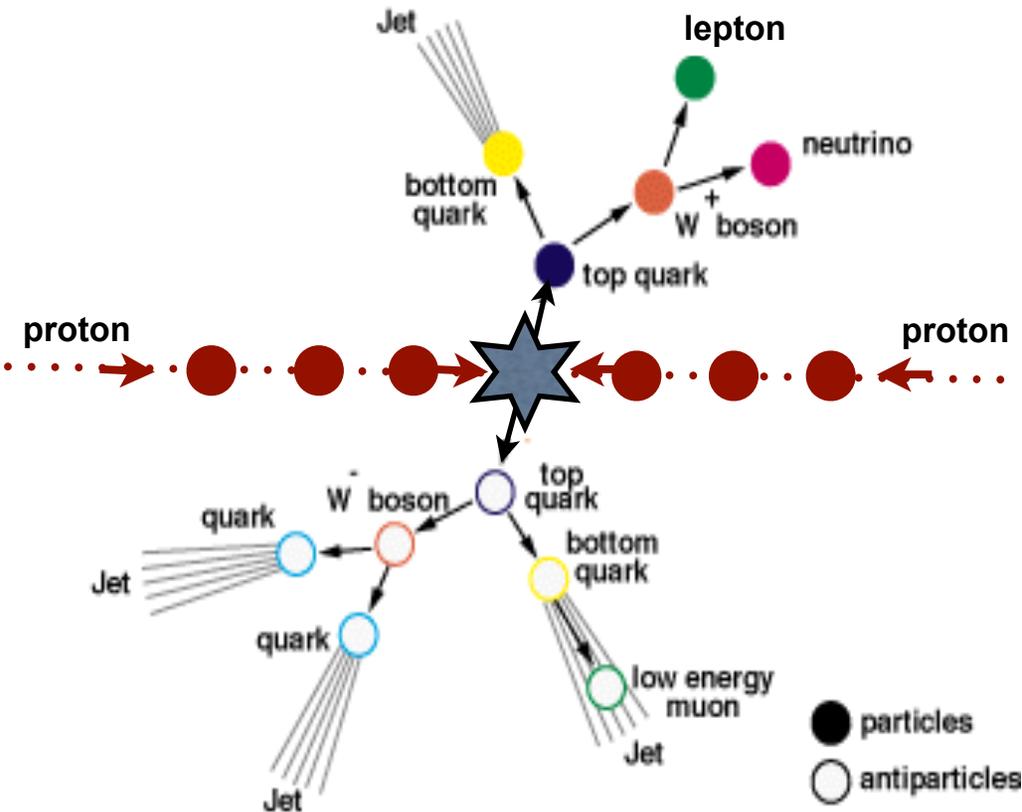
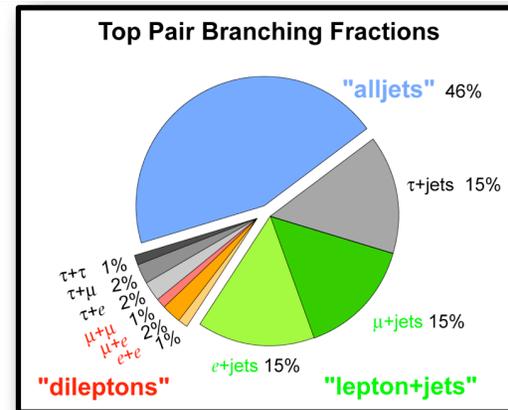
- no additional cuts were used, due to limited statistics

- A_C predictions:

- in SM: $A_C^{SM} = 0.0121$ G. Rodrigo et al., doi:10.1007/JHEP02(2010)051

Event Selection

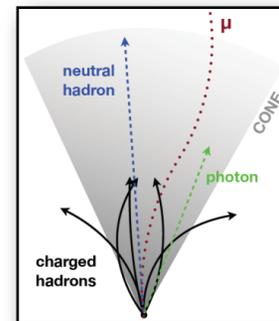
- Data $\sim 36 \text{ pb}^{-1}$
- We selected events in the semi-leptonic channel (muon and electron)



- **Event selection:**

- exactly one primary vertex (PV)
- exactly one isolated muon or electron originating from the PV
- missing transverse energy (neutrino)
- *particle flow jets* reconstructed using anti- k_T algorithm (4 jets)

Particle flow jets - from identified particles using all detector components

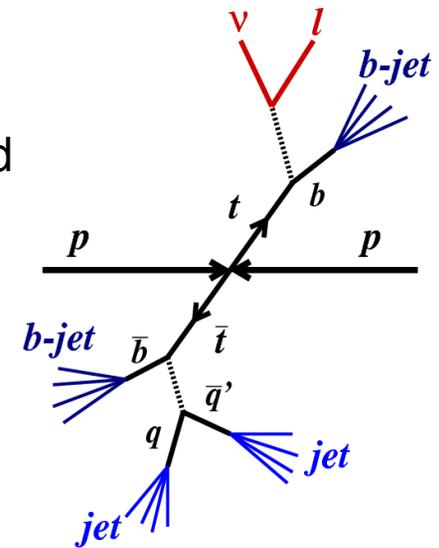


Reconstruction of the Top 4-vector

- The measurement of pseudo-rapidity for the top (anti-top) quarks requires the reconstruction of the 4-vector momentum:
 - not trivial in data: we need to rely on the measured quantities for the final states(lepton, missing transverse energy and jets)

- The reconstruction involves several hypotheses tested in MC - constructed based on associating jets to the 2 top quarks. The hypothesis selection is improved by using the b-tagging

- **Ψ variable** - constructed for each hypothesis, the hypothesis with the **smallest Ψ** value is chosen

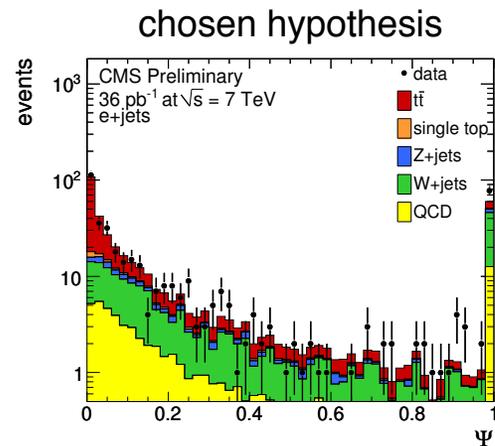
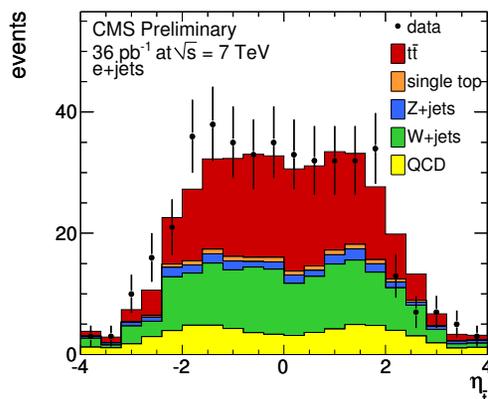
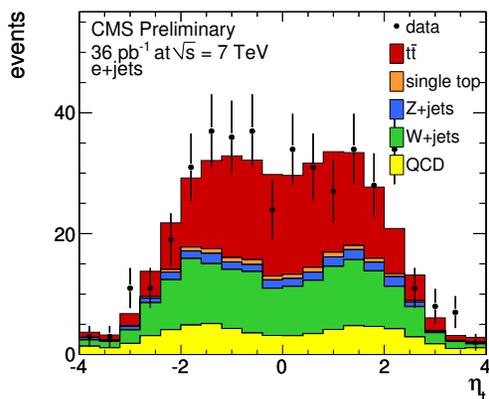


$$\Psi = \left[\frac{(M_{W, had}^{rec} - M_{W, had}^{b.p})^2}{\sigma_{W, had}^2} + \frac{(M_{t, had}^{rec} - M_{t, had}^{b.p})^2}{\sigma_{t, had}^2} + \frac{(M_{t, lep}^{rec} - M_{t, lep}^{b.p})^2}{\sigma_{t, lep}^2} \right] * P_b(q_1) * P_b(q_2) * (1 - P_b(q_1)) * (1 - P_b(q_2))$$

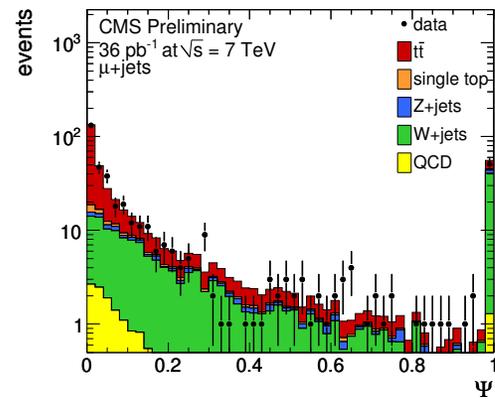
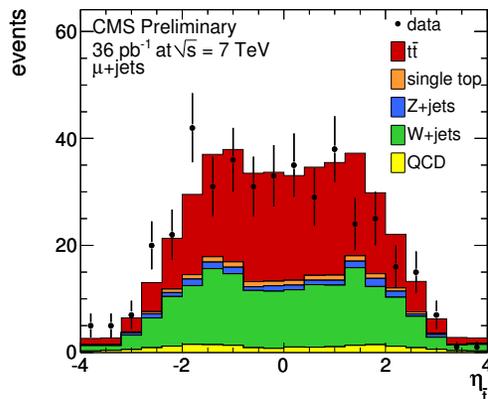
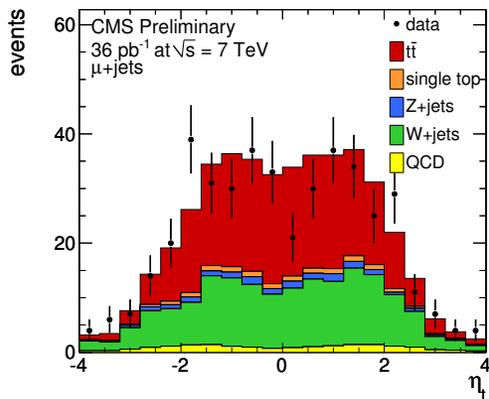
where $M_i^{b.p}$ and σ_i are determined from the best possible hypothesis on MC, while $P_b(q_i)$ is the probability that a certain jet q is assigned to a b quark and not to one of the light quarks in the best possible hypothesis

Data/MC Comparison for Reconstructed Objects

● Electron channel



● Muon channel



Good agreement between data and MC

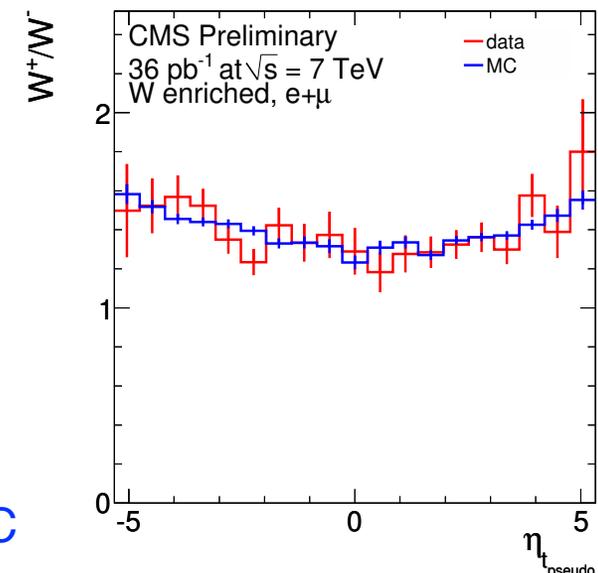
- QCD is modeled using a data-driven method
- all other templates are taken from MC simulations
- signal and background processes are normalized to the fit result of the cross section measurement

W+jets background asymmetry

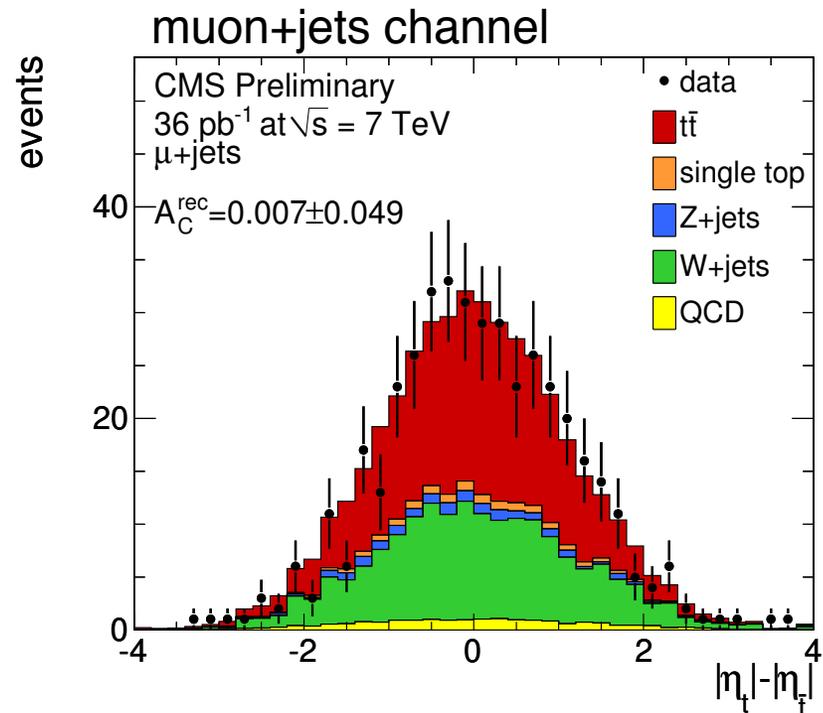
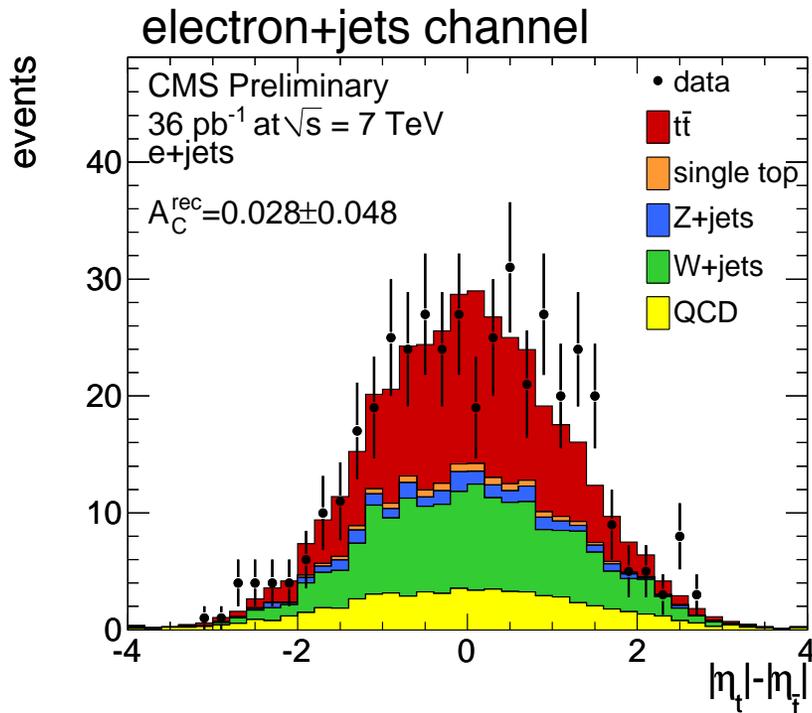
- After selection, 50% of the events are top quark pair events, the background being dominated by W+jets
- W^+ and W^- events show different shape for $|\eta_t| - |\eta_{\bar{t}}|$ in theory (expected)
- Need to understand if there is an asymmetry in W+jets events which is not described by MC
- We apply a slightly different selection to obtain an enriched sample in W+jets:
 - one lepton
 - only 1 or 2 jets in the event
 - a cut threshold for the transverse mass of the reconstructed W (to reduce the QCD

background)

- We reconstruct a “pseudo”-top (leptonic branch) and compare the ratio of the $\eta_{t_{pseudo}}$ distribution for W^+ and W^- between data and MC
- The data and MC ratio distributions looks very similar - the differences between W^+ and W^- events are correctly described by MC



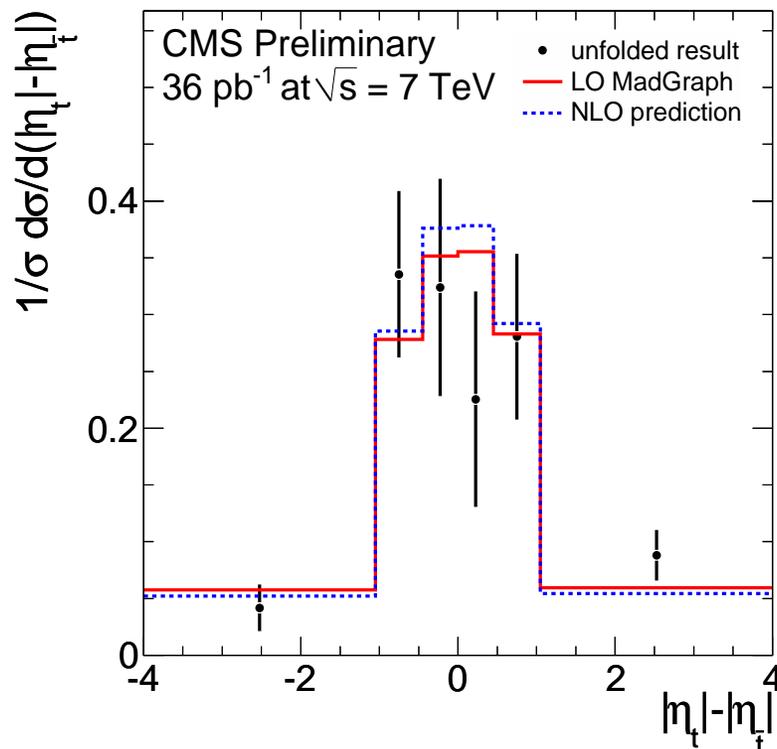
Uncorrected A_C



- By combining the electron+jets and muon+jets channels: $A_C^{\text{rec}} = 0.018 \pm 0.034(\text{stat})$
- The measured value may be distorted by several effects:
 - the **amount of background** . When subtracted, $A_C^{\text{bkg-subtr}} = 0.035 \pm 0.070(\text{stat})$
 - **smearing**: reconstructed $|\eta_t| - |\eta_{\bar{t}}|$ does not directly correspond to true value
 - **lepton efficiency**

Smearing Effects Correction

- This correction is done with a **regularized unfolding** technique:
 - from the smearing performed for the MADGRAPH generated $t\bar{t}$ sample, the smearing matrix A between true and reconstructed $|\eta_t| - |\eta_{\bar{t}}|$ is extracted
 - the smearing matrix A also account for efficiency losses
 - the matrix A connects the measured spectrum \vec{y} to the true spectrum \vec{x} : $\vec{y} = A \vec{x}$
 - equation is solved for \vec{x} through a generalized process to invert the matrix A



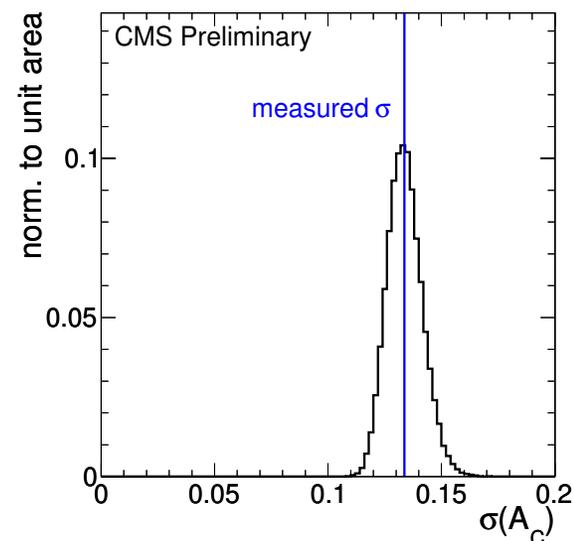
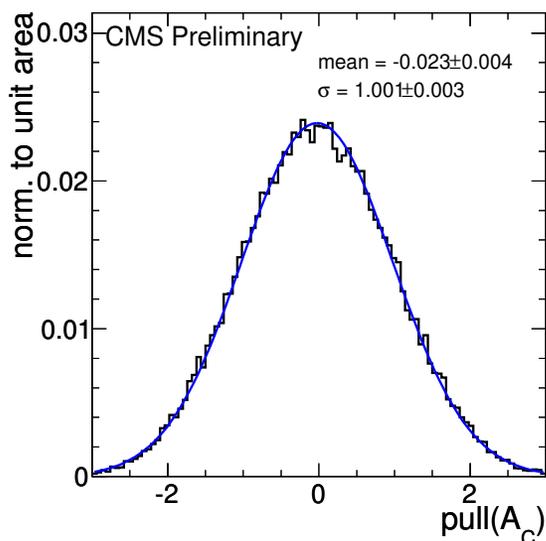
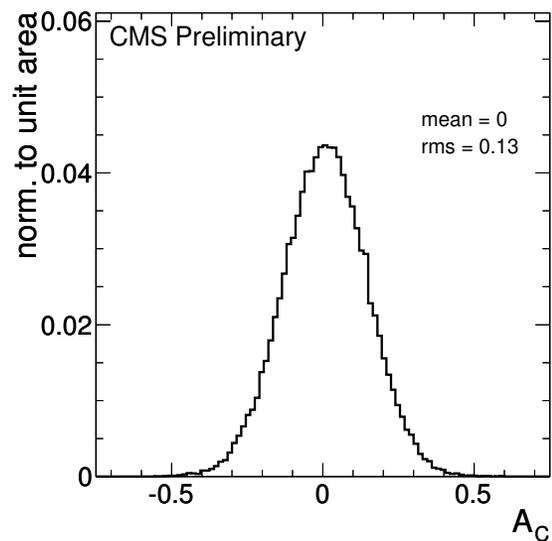
The unfolded $|\eta_t| - |\eta_{\bar{t}}|$ spectrum
and theory curves agree within errors

$$A_C = 0.060 \pm 0.134(\text{stat})$$

- from SM: $A_C^{SM} = 0.0121$

Unfolding Validation

- the method is tested with pseudo-experiments.
- for each experiment, pseudo data is constructed from random distributions of the MC samples (Poisson distribution, involving also the statistical uncertainties from the covariance matrix)



$$pull(A_C) = \frac{A_C^{true} - A_C^{rec}}{\sigma_{unfolding}}$$

The pull width is ~ 1 , meaning that the error propagation is done correctly by the unfolding method.

Systematics Results

- Only systematics influencing the direction of the reconstructed top quark momenta can change the charge asymmetry value.
- Systematics are evaluated by drawing pseudo-experiments from systematically shifted templates

source of systematic	positive shift in A_C	negative shift in A_C
jet energy scale	0.017	-
jet energy resolution	0.007	-0.006
Q^2 scale	0.003	-0.007
ISR/FSR	0.005	-0.0006
matching threshold	0.004	-0.006
PDF	0.004	-0.011
b tagging	0.007	-
lepton efficiency	0.017	-0.018
QCD model	0.005	-0.005
overall	± 0.026	

$$A_C = 0.060 \pm 0.134(\text{stat})^{+0.028}_{-0.025}(\text{syst})$$

Summary

- We developed a method to measure the top pair charge asymmetry A_C in proton-proton collisions with the CMS detector in the lepton+jets decay channel.
- For the A_C measurement, the spectrum of $|\eta_t| - |\eta_{\bar{t}}|$ is corrected for selection and reconstruction inefficiencies using an unfolding technique.
- The measured value A_C obtained for 36 pb^{-1} of data is dominated by the statistical uncertainty and is consistent with the Standard Model prediction.

$$A_C = 0.060 \pm 0.134(\text{stat})^{+0.028}_{-0.025}(\text{syst})$$

- With a larger data set ($> 1 \text{ fb}^{-1}$), the measurement of the top quark charge asymmetry can reach the same sensitivity as the Tevatron results.

Back-up slides

QCD templates

- MC QCD templates:

- hard to model isolated fake leptons in MC

- modeled with Pythia 2-to-2 - insufficient statistics is available, especially for high jet

multiplicity bins

- QCD templates are obtained from data, using sidebands regions:

e+jets - use events passing at least two of the following criteria:

- i) $0.1 < \text{relative isolation} < 0.5$

- ii) impact parameter (measured wrt beam spot) > 0.02 cm

- iii) fail standard tight electron identification

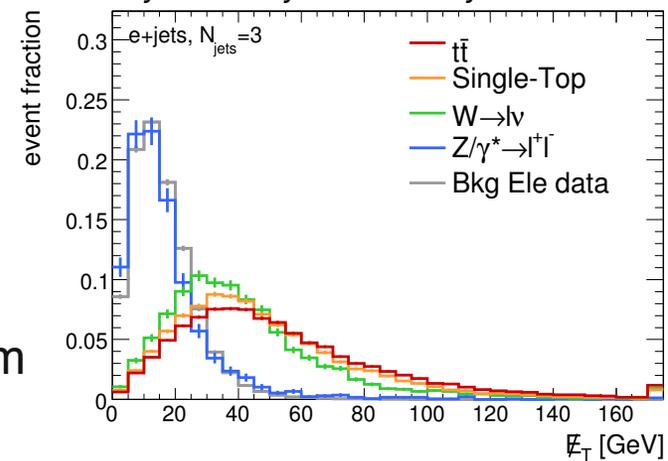
muon+jets - use events satisfying:

- i) $0.2 < \text{relative isolation} < 0.5$

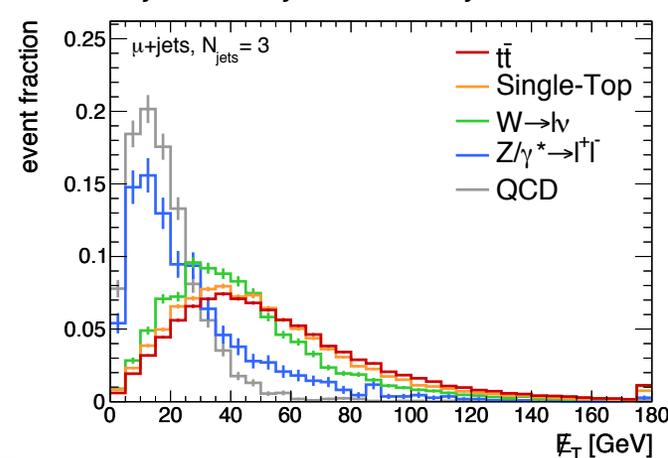
- Discriminating variables between signal and background:

missing transverse energy and M3

CMS Physics Analysis Summary TOP-10-002

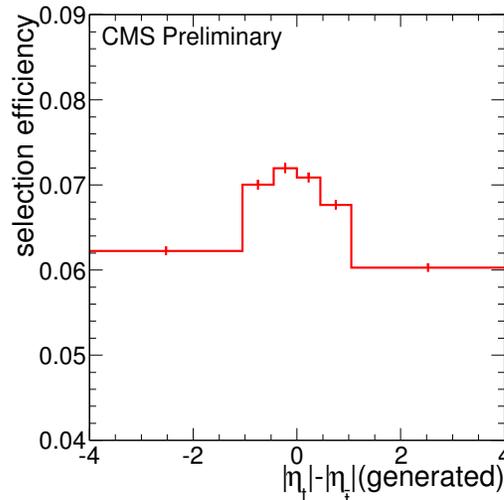
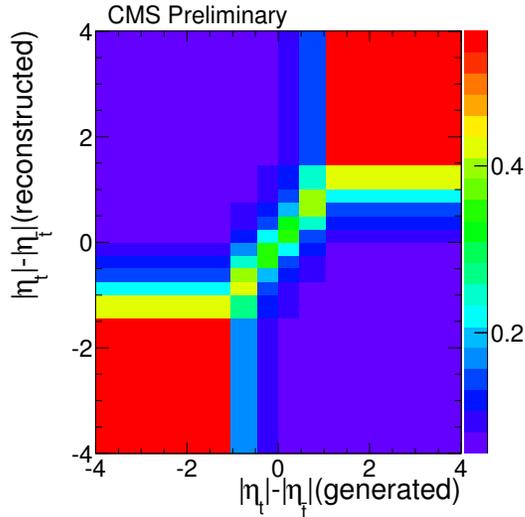


CMS Physics Analysis Summary TOP-10-002



Smearing and Selection Effects

- Selection efficiency - not flat. This can affect the charge asymmetry measurement
- Matrix A - from MADGRAPH generated top pair events. The resolution for $|\eta_t| - |\eta_{\bar{t}}|$ is ~ 0.5 .



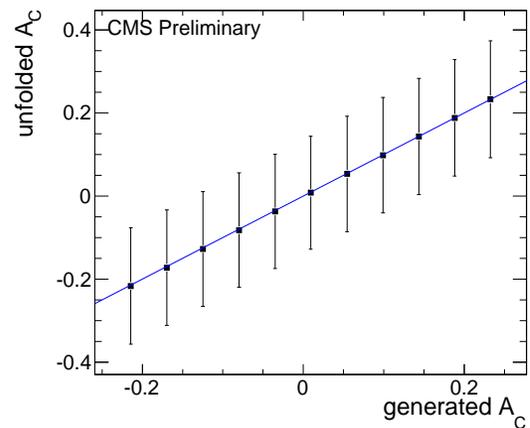
The result of the unfolding is a full covariance matrix for the measured spectrum. The elements of the covariance matrix are relative bin uncertainties multiplied with the corresponding bin by bin correlation $\sigma_i \sigma_j * Cor(i, j)$

CMS Preliminary

bin 1	0.241	-0.011	-0.070	-0.031	0.007	0.000
bin 2	-0.010	0.048	0.027	-0.040	-0.022	0.003
bin 3	-0.070	0.027	0.087	0.027	-0.034	-0.013
bin 4	-0.032	-0.040	0.026	0.177	0.043	-0.053
bin 5	0.006	-0.023	-0.035	0.043	0.068	-0.003
bin 6	0.001	0.003	-0.013	-0.052	-0.002	0.064
	bin 1	bin 2	bin 3	bin 4	bin 5	bin 6

Unfolding Checks

- **linearity check:** construct pseudo data with MC samples with different $|\eta_t| - |\eta_{\bar{t}}|$ asymmetries.



- the error bars correspond to the mean of the expected statistical uncertainty in each bin

Generated asymmetry is found correctly with the unfolding method.

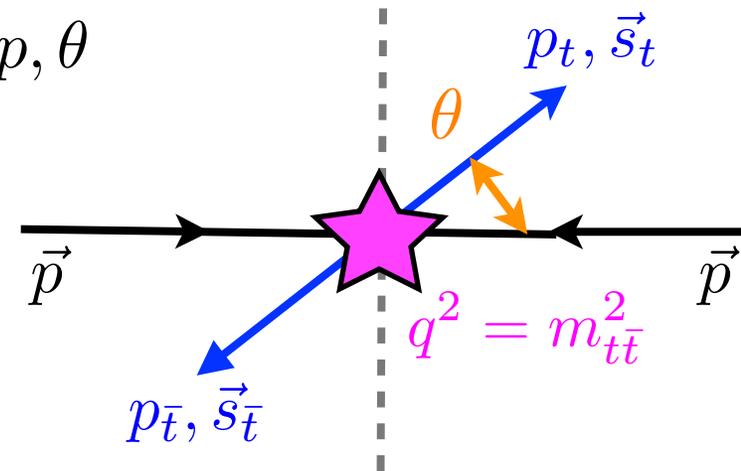
Top Quark Pair Production at LHC

★ Parameters characterizing a top quark pair event: $q^2, \sigma_{t\bar{t}}, p, \theta$

$q^2, \sigma_{t\bar{t}}$ - measured to be within the SM

$m_{t\bar{t}}^2$ - reconstructed, might show if BSM particles are present

- wide distribution, which hides such resonances



★ At low order, there are no differences between top and anti-top differential distributions. At higher order (α^3), the distributions are not longer equal.