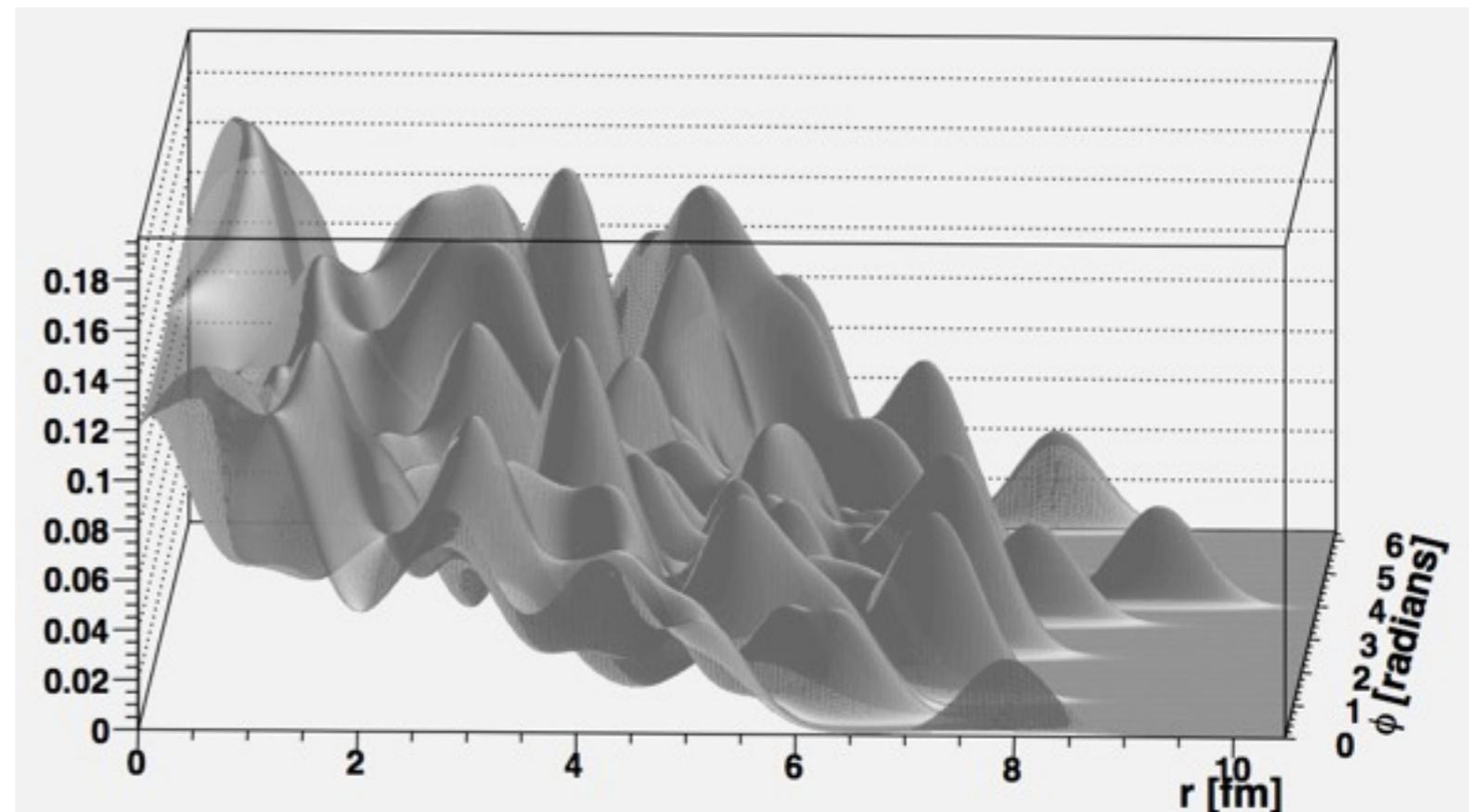
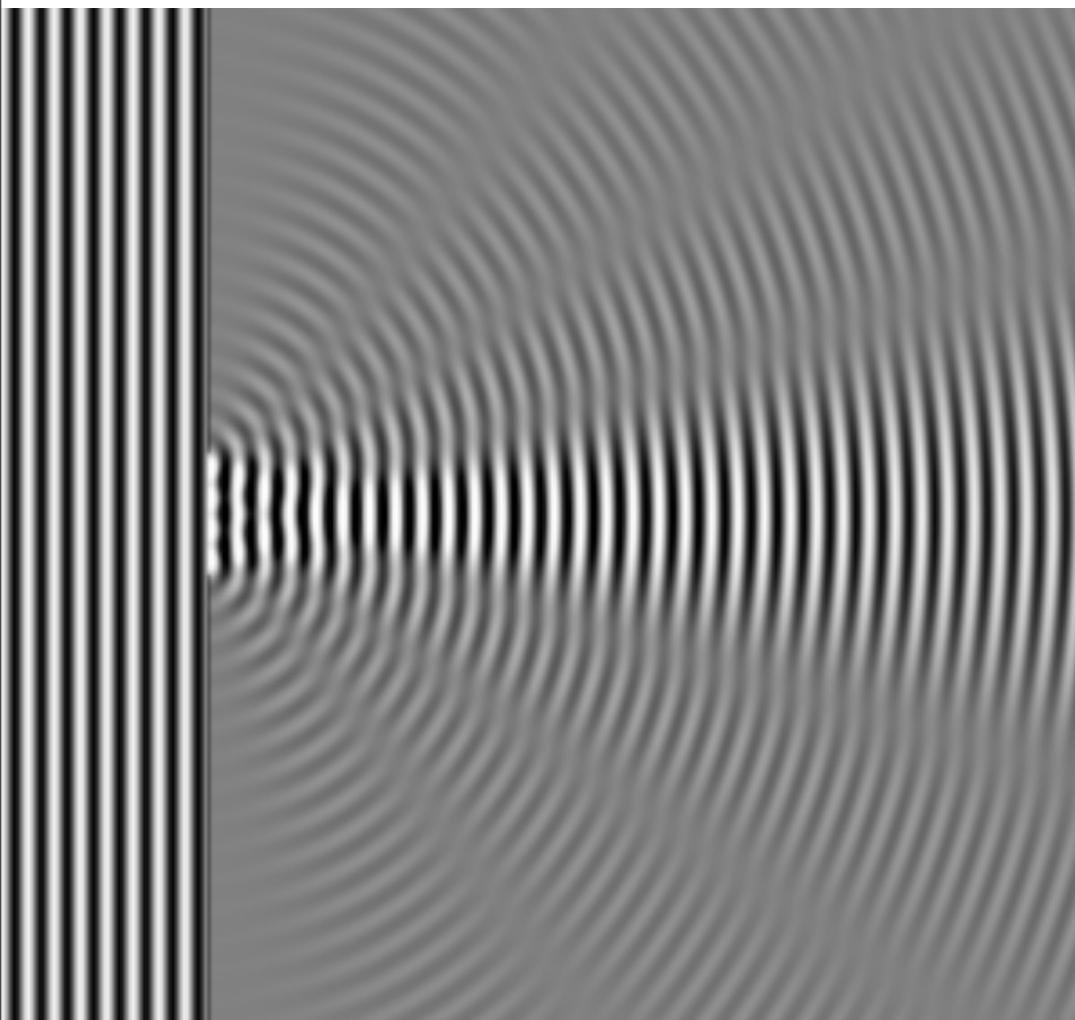




# Understanding the initial condition of the heavy ion

2012 RHIC & AGS Annual Users' Meeting

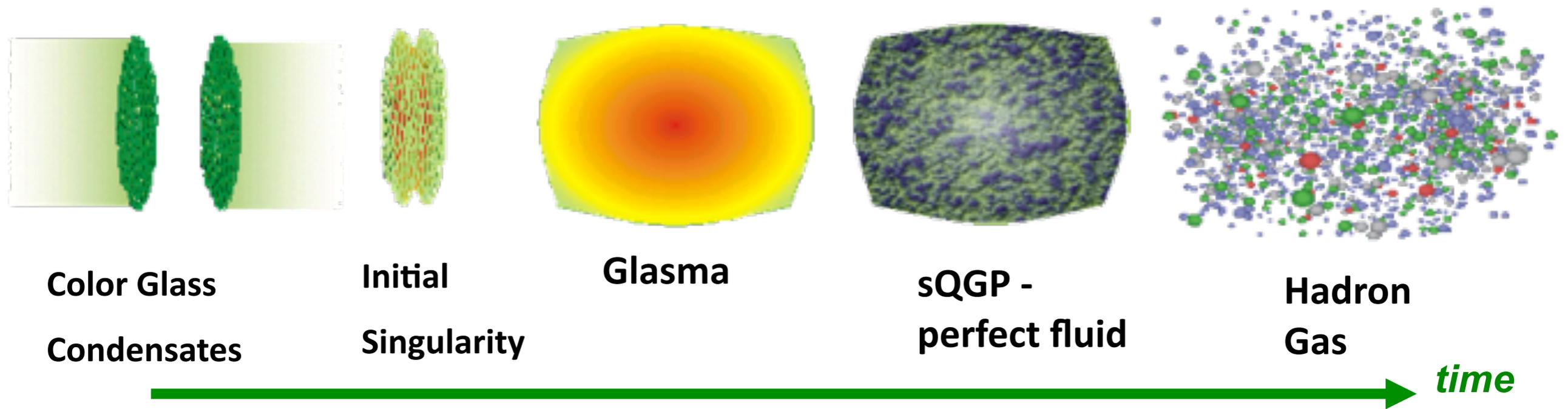
Tobias Toll



# Standard model of Heavy Ion Collisions

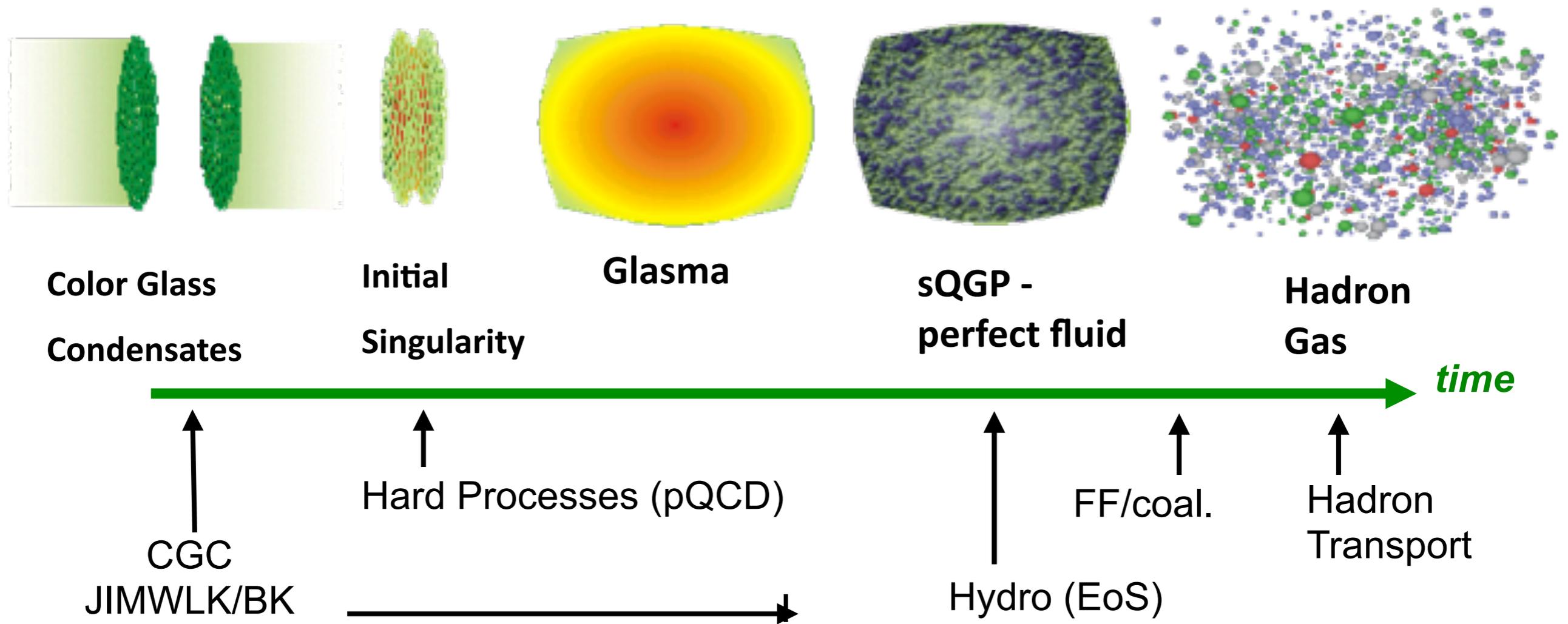
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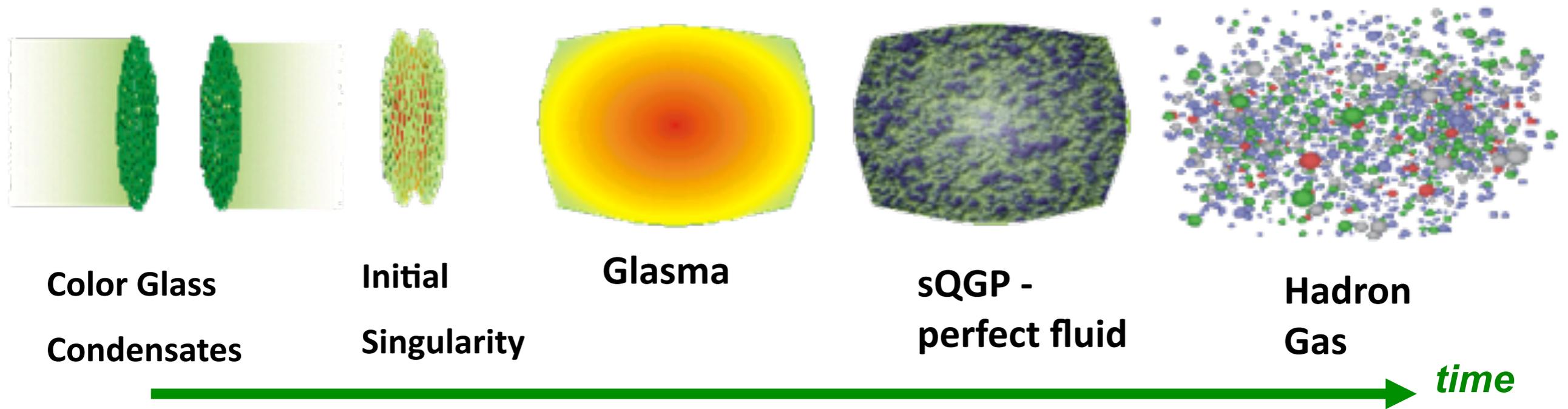
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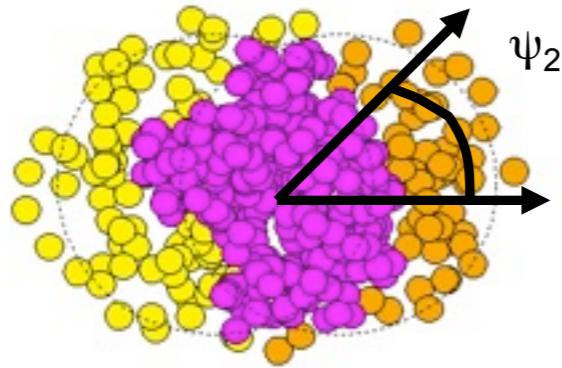
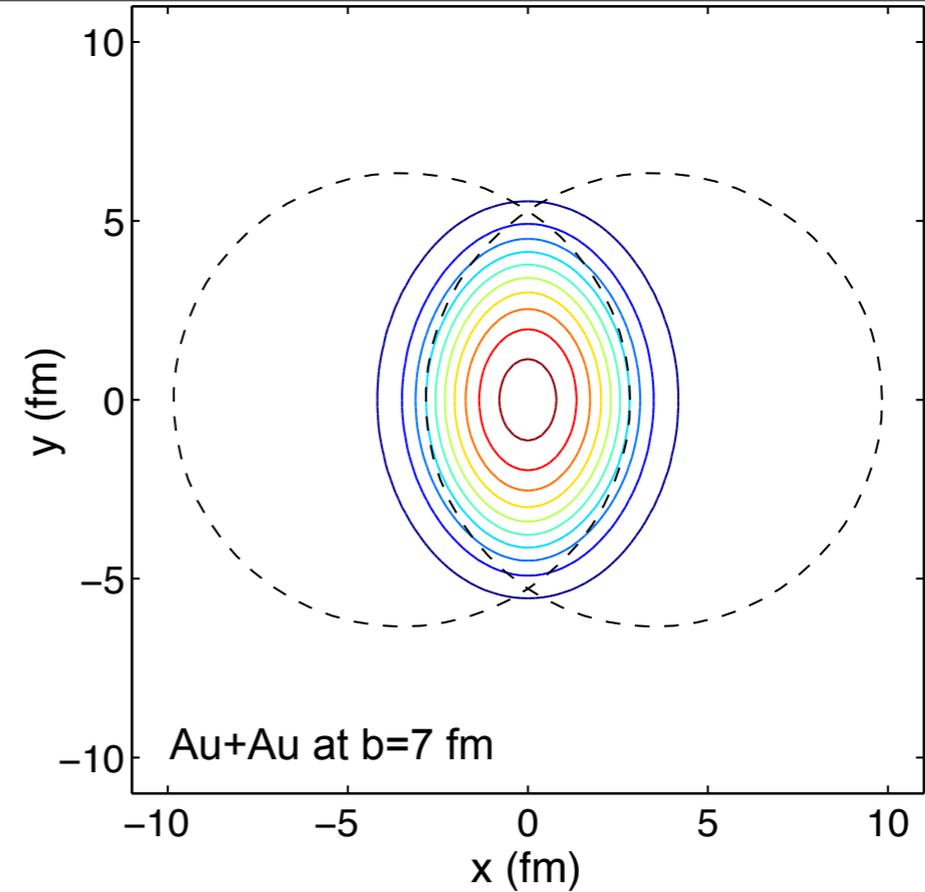
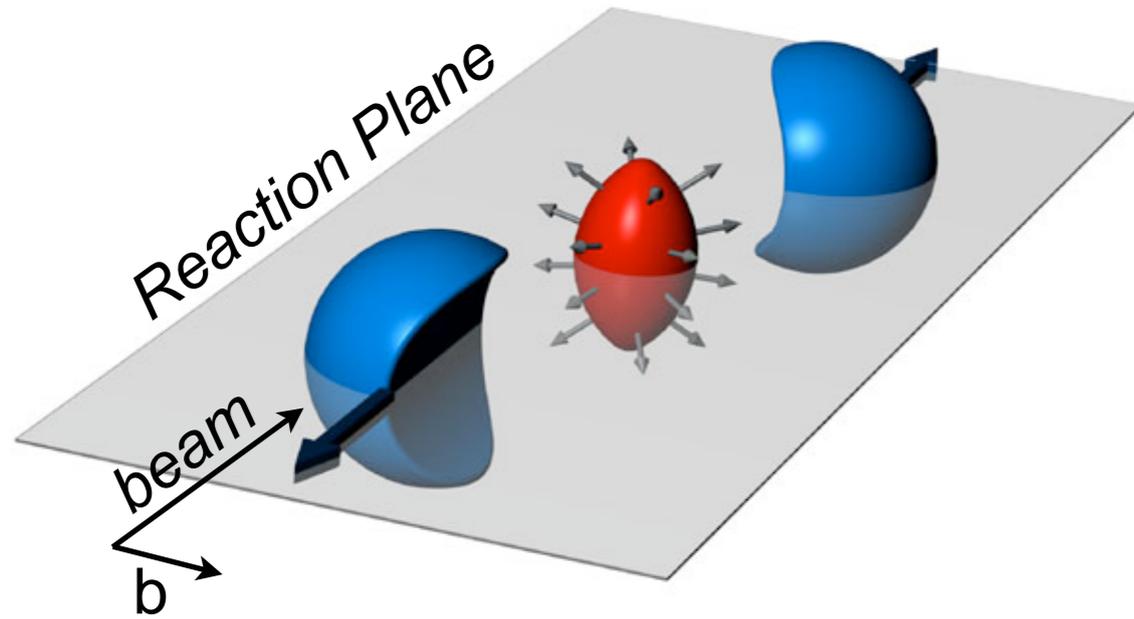


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# Standard model of Heavy Ion Collisions



Our understanding of some **fundamental** properties of the Glasma, sQGP and Hadron Gas depend strongly on our knowledge of the initial state!



$$\frac{dN}{d\varphi} \propto 1 + 2v_2 \cos[2(\varphi - \psi_R)] + \dots$$

$$v_2 = \langle \cos[2(\varphi - \psi_R)] \rangle$$

Sensitive to **early interactions** and **pressure gradients**

In ideal hydrodynamics  $v_2 \propto$  spatial eccentricity  $\epsilon_2$ :  $\epsilon_2 = \frac{\langle y^2 - x^2 \rangle}{\langle y^2 + x^2 \rangle}$

$v_2/\epsilon$  versus particle density is sensitive test of ideal hydrodynamic:

$$\frac{v_2}{\epsilon_2} = \frac{h}{1 + B / \left( \frac{1}{S} \frac{dN}{dy} \right)}$$

S = transverse area,

h = hydro limit of  $v_2/\epsilon$  and  $B \propto \eta/s$

# Different initial distributions gives different flows!

Two methods for  $\epsilon$ :

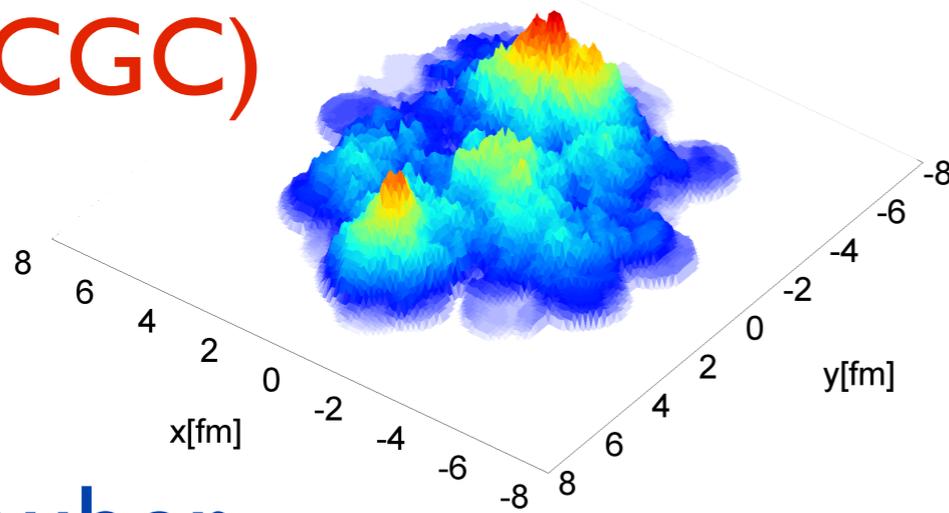
- ▶ Glauber (non-saturated)?
- ▶ CGC (saturated)?

The question is what is  $\epsilon$ ?

RHIC & LHC: low- $p_T$  realm driven almost entirely by glue

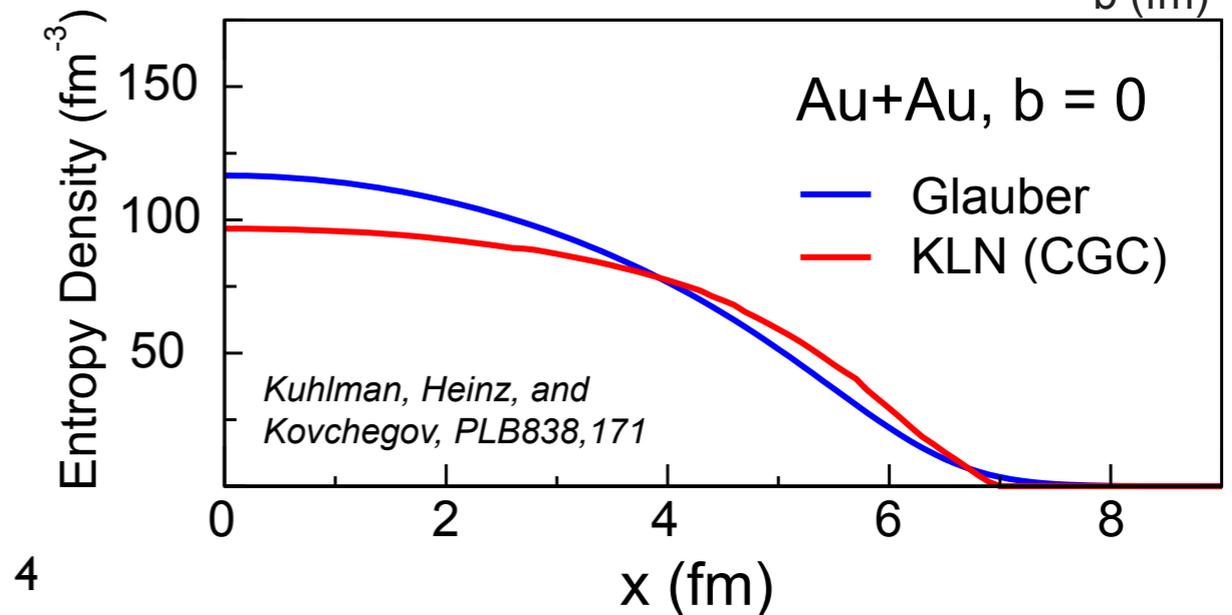
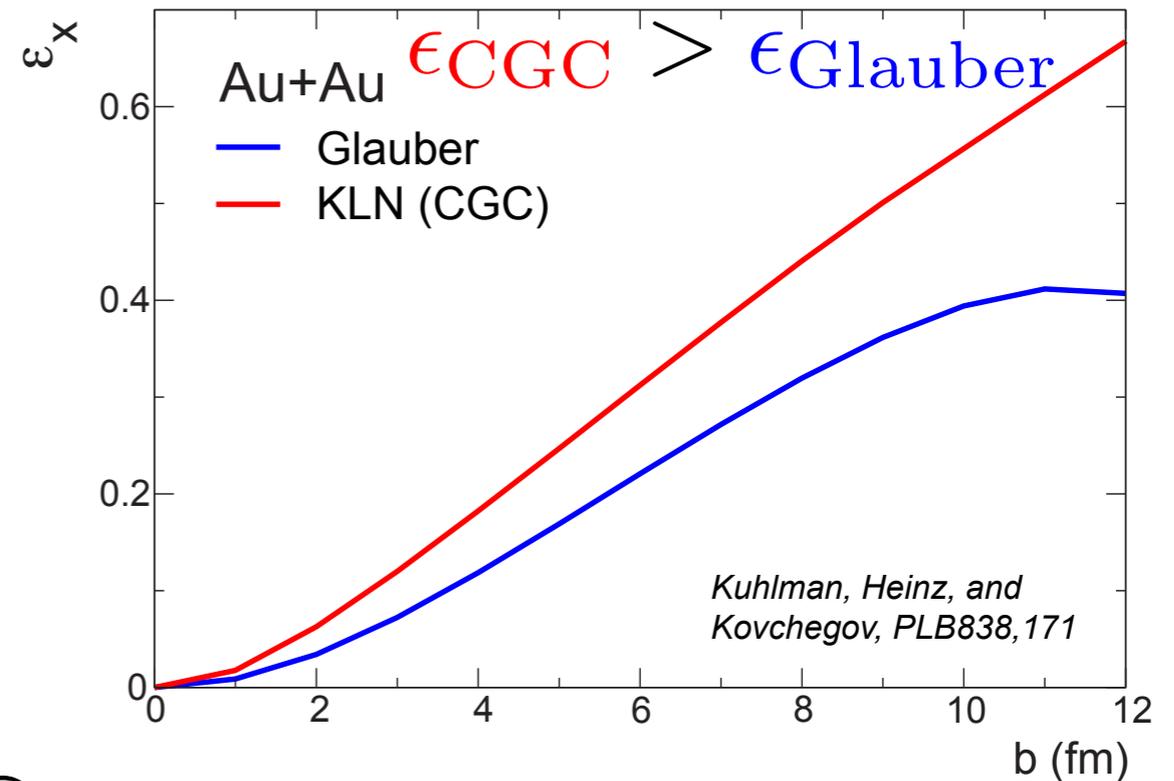
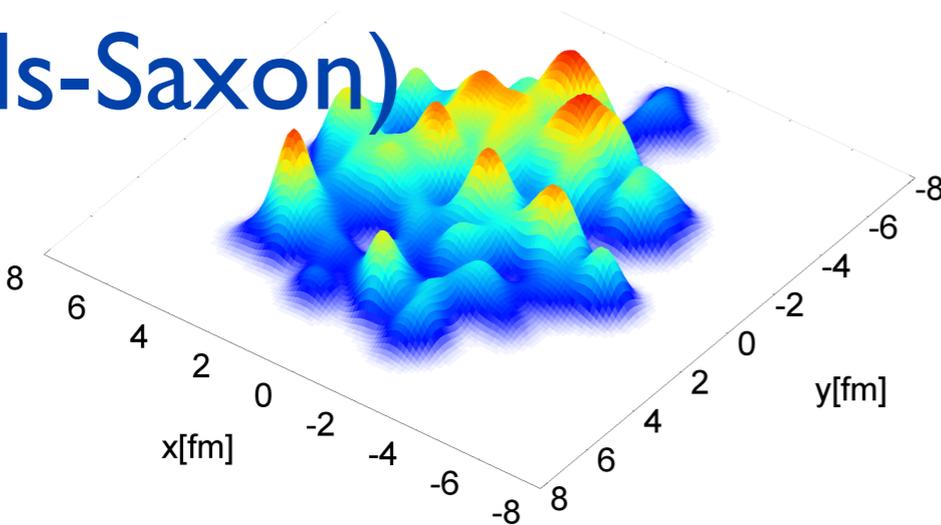
⇒ spatial distribution of glue in nuclei?

KLN(CGC)



Glauber

Woods-Saxon



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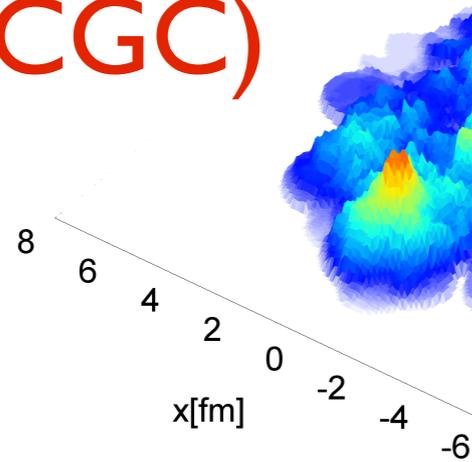
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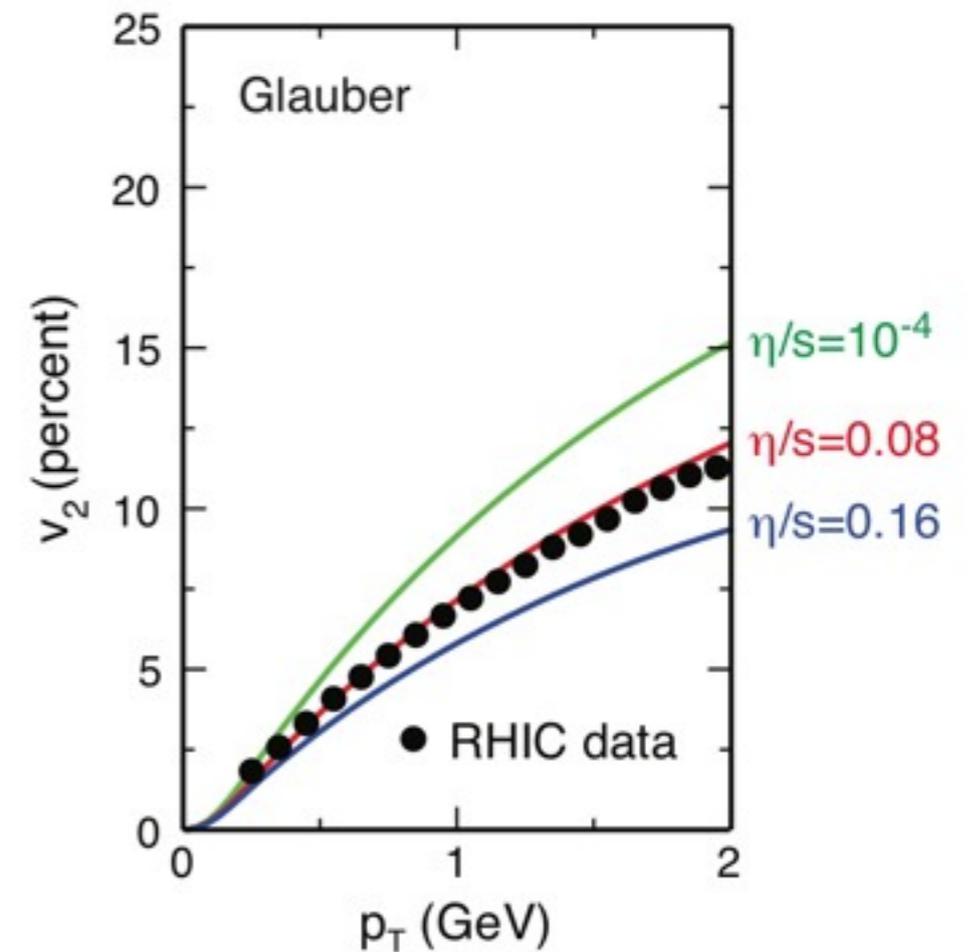
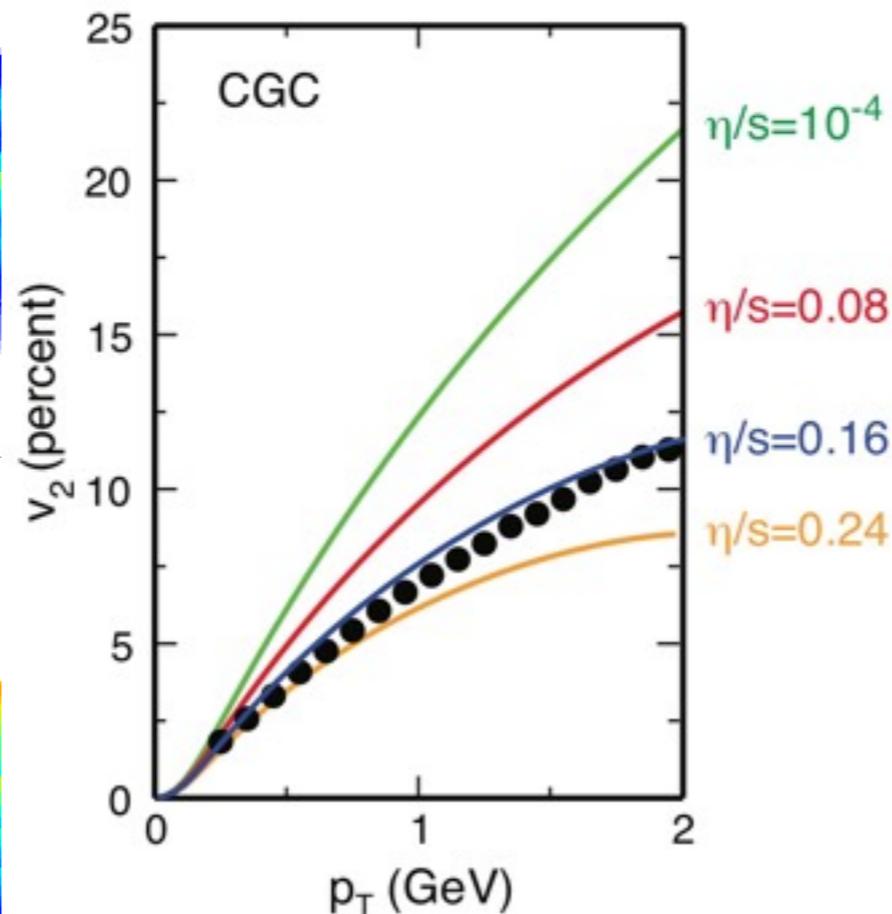
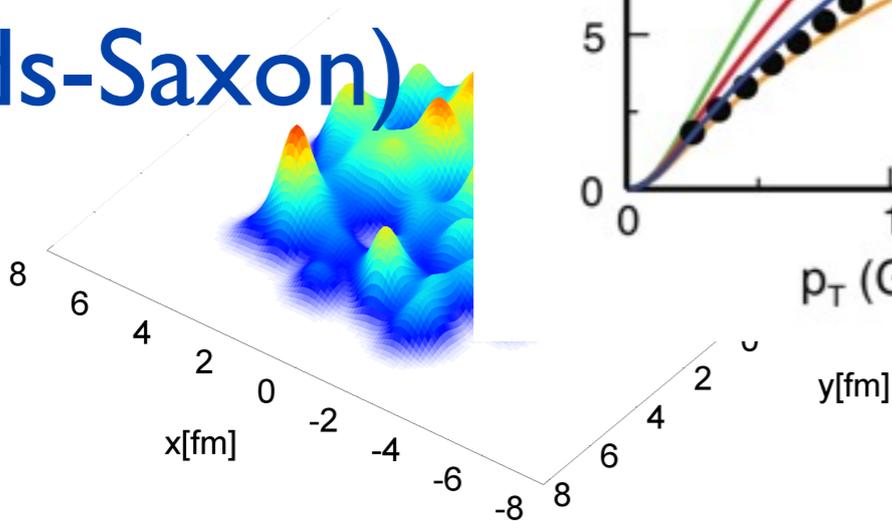
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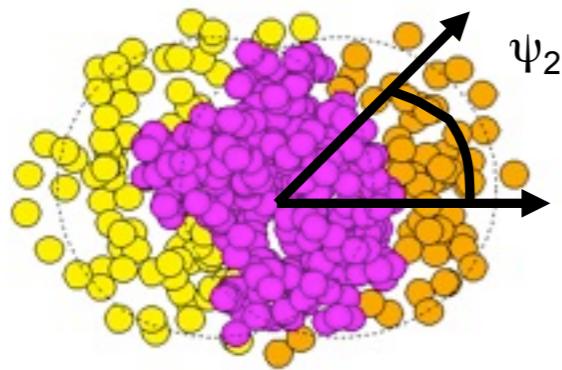
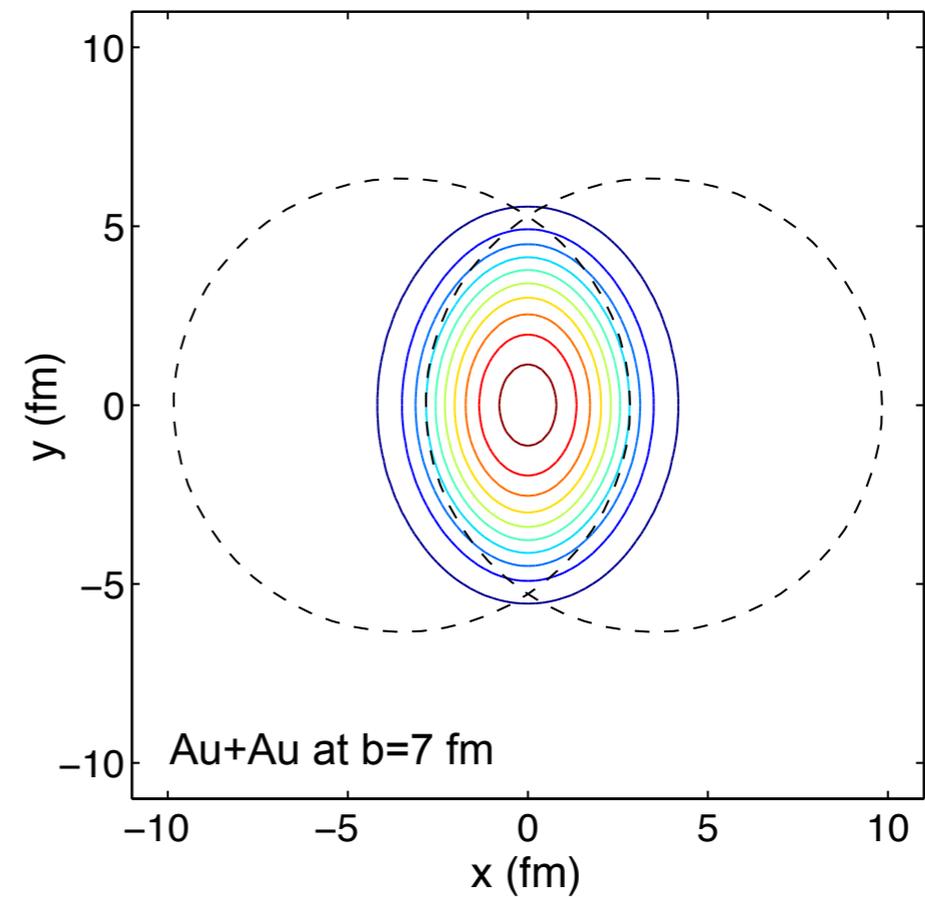
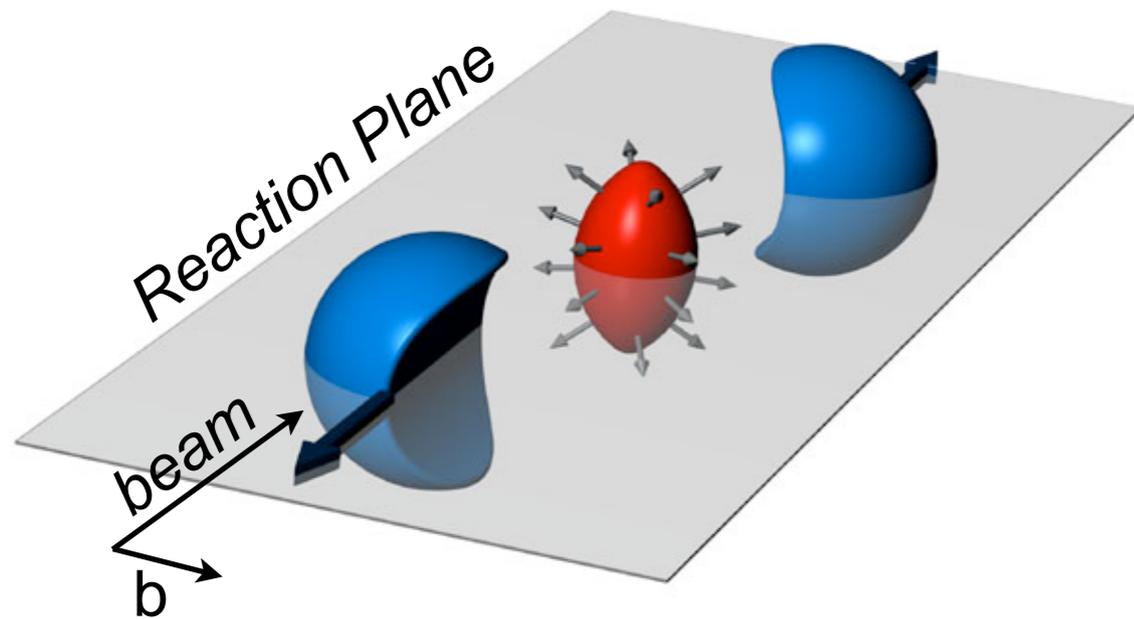
## Impact on $\eta/s$

KLN(CGC)

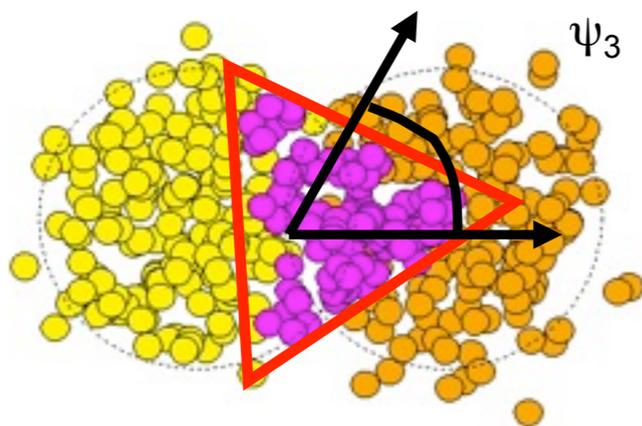


Glauber  
Woods-Saxon

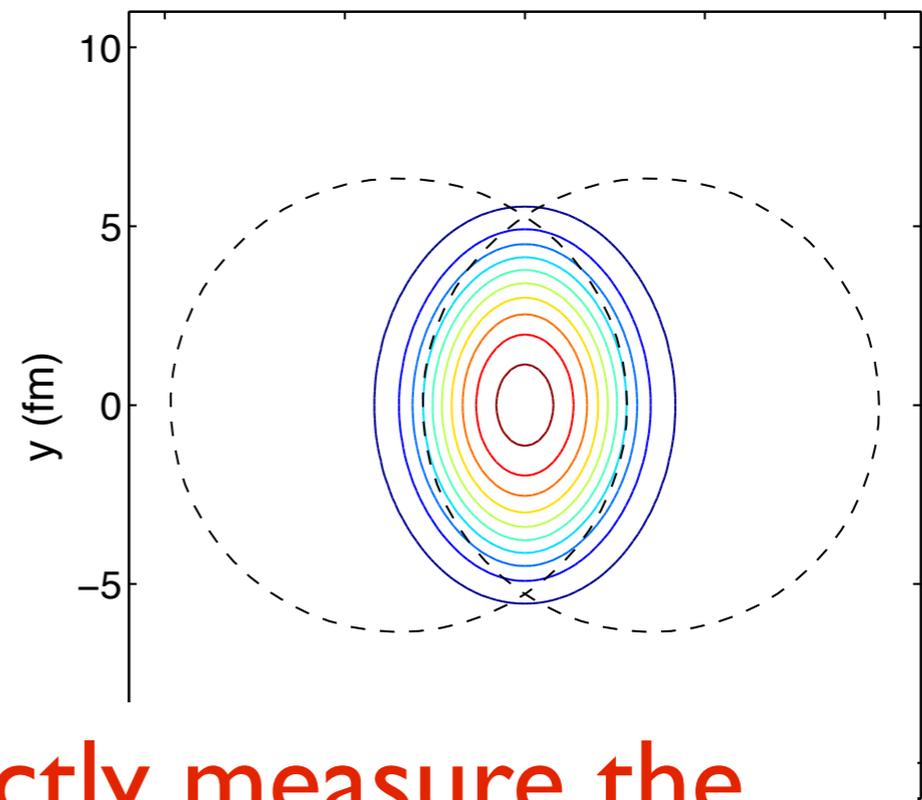
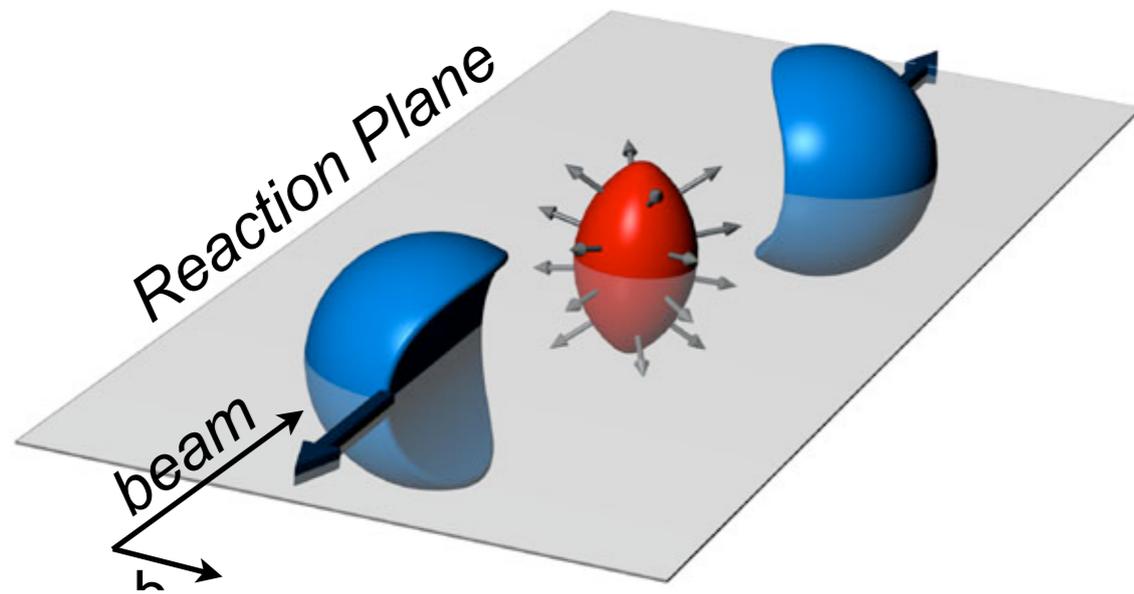




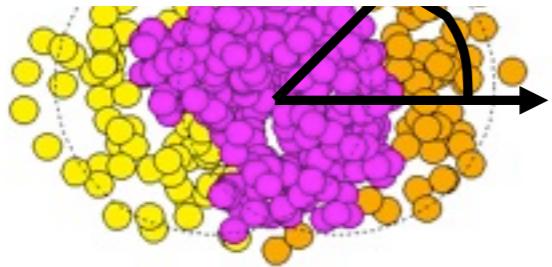
$$\epsilon_n = \frac{\sqrt{\langle r^n \cos(n\psi_n) \rangle^2 + \langle r^n \sin(n\psi_n) \rangle^2}}{\langle r^n \rangle}$$



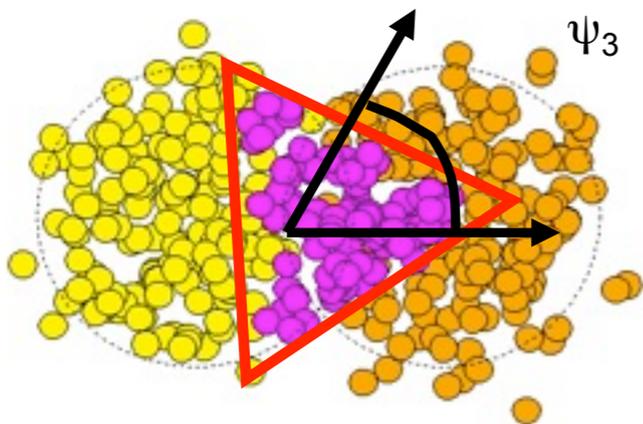
$\epsilon_2$  and  $v_2$  depend on ion density distribution  
 $\epsilon_3$  and  $v_3$  depend also on fluctuations!



Would be great to directly measure the transverse structure of the ion!



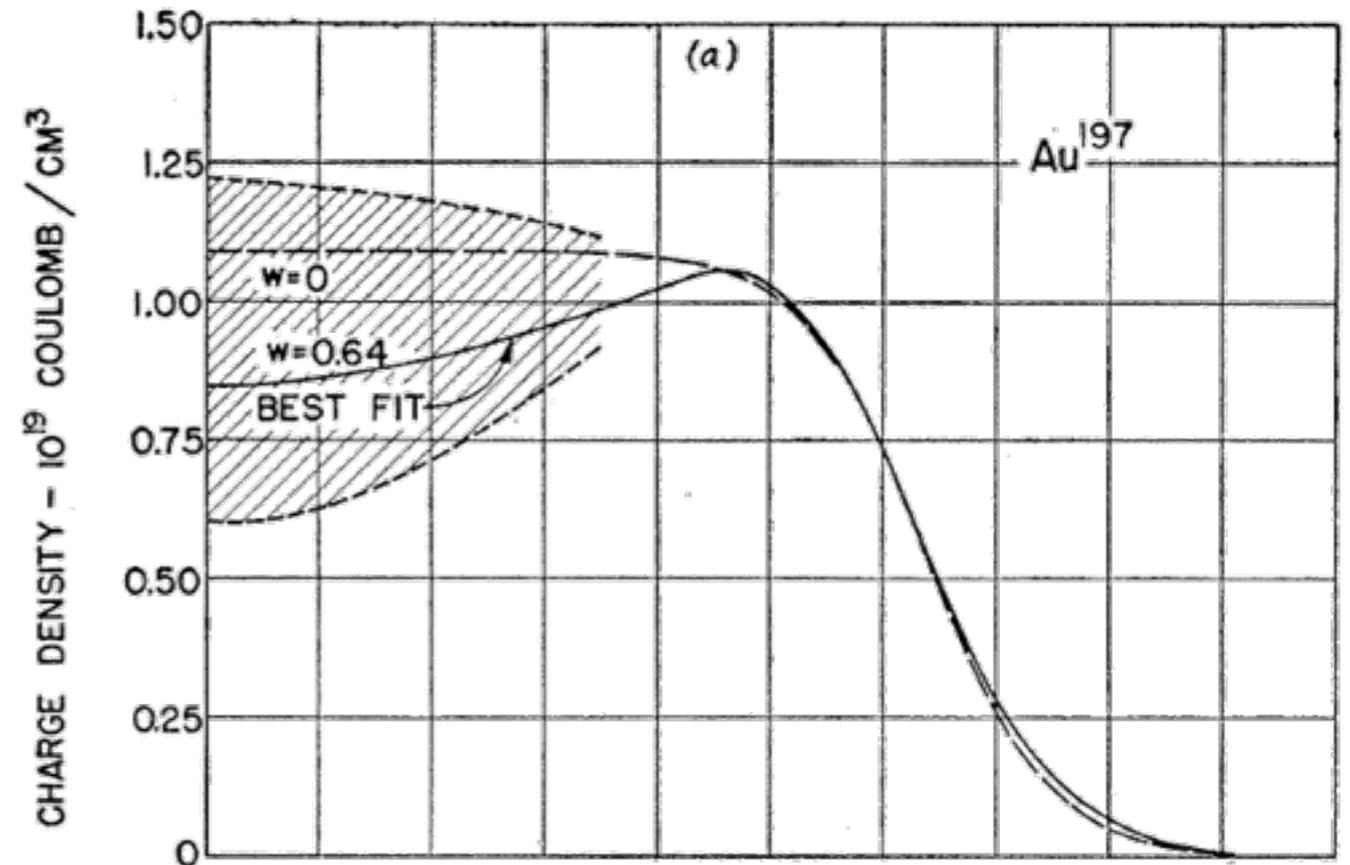
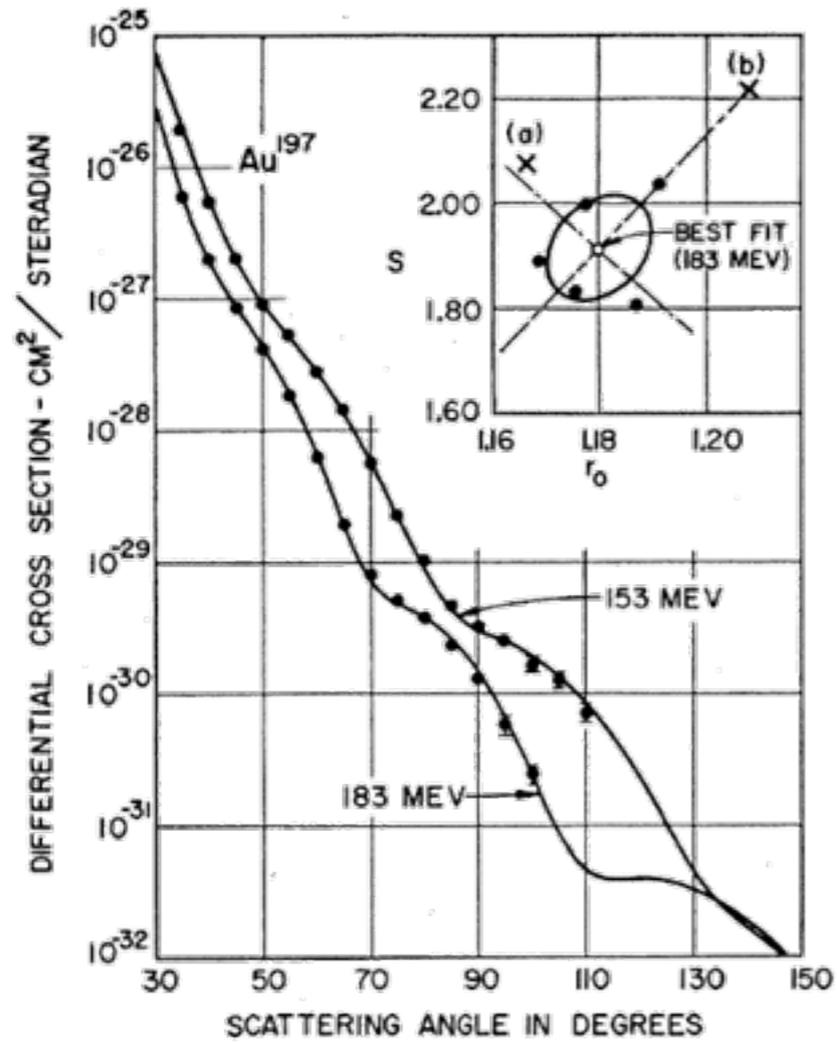
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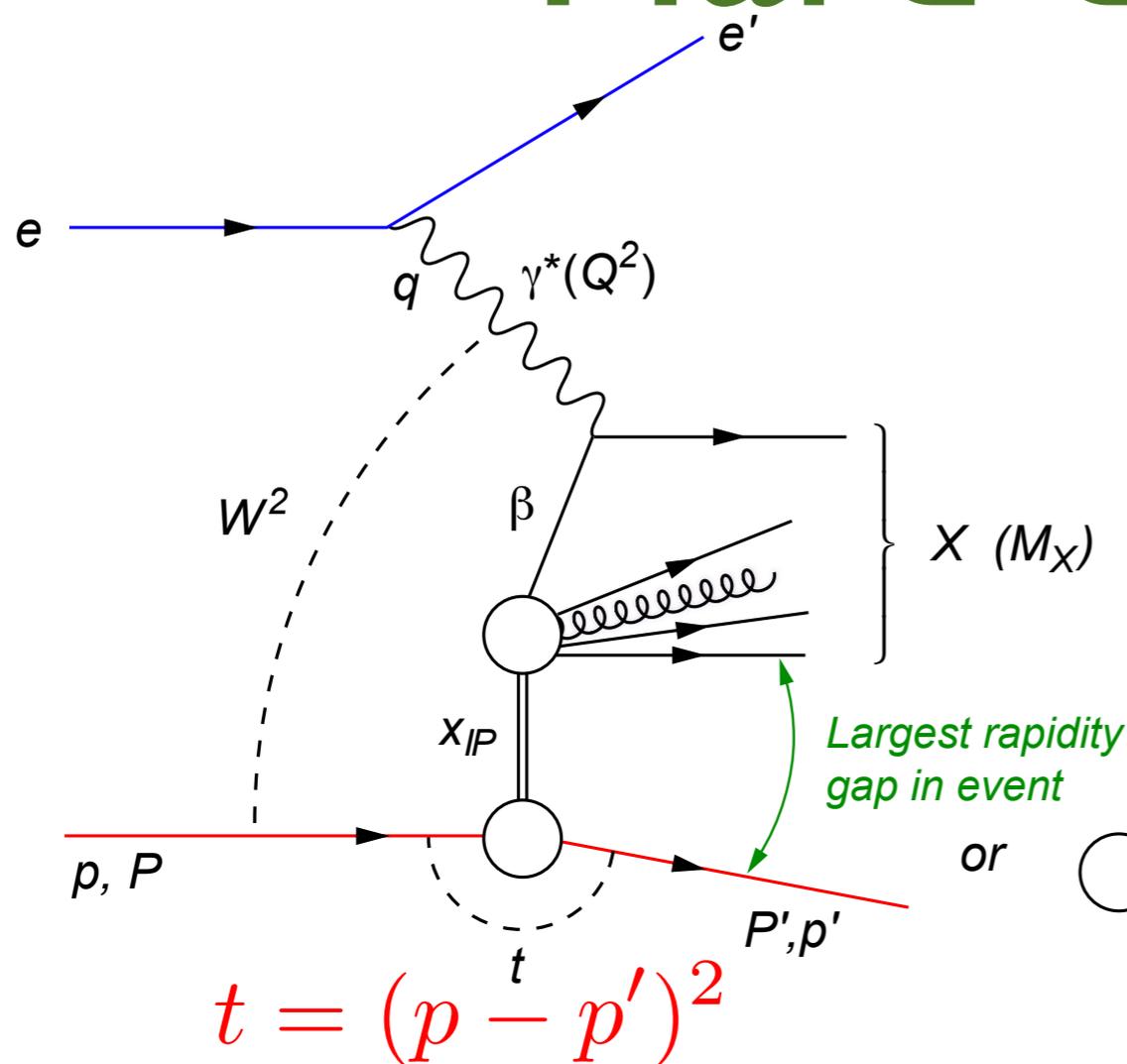
# What exists?



Hahn, Ravenhall, and Hofstadter,  
Phys Rev 101 (1956)

Electron colliding with fixed ion target, large  $x$  charge distribution

# Hard diffraction



- $\beta$  is the momentum fraction of the struck parton w.r.t. the Pomeron
- $x_{IP} = x/\beta$ : momentum fraction of the exchanged object (Pomeron) w.r.t. the hadron

$$\beta = \frac{x}{x_{IP}} = \frac{Q^2}{Q^2 + M_X^2 - t}$$



## • Diffraction in e+p:

- ▶ HERA: 15% of all events are diffractive

## • Diffraction in e+A:

- ▶ Predictions:  $\sigma_{\text{diff}}/\sigma_{\text{tot}}$  in e+A ~25-40%
- ▶ Coherent diffraction (nuclei intact)
- ▶ Incoherent diffraction: breakup into nucleons (nucleons intact)

# Hard diffraction

$$\beta = \frac{x}{x_{IP}} = \frac{Q^2}{Q^2 + M_X^2 - t}$$

$$t = (p - p')^2$$

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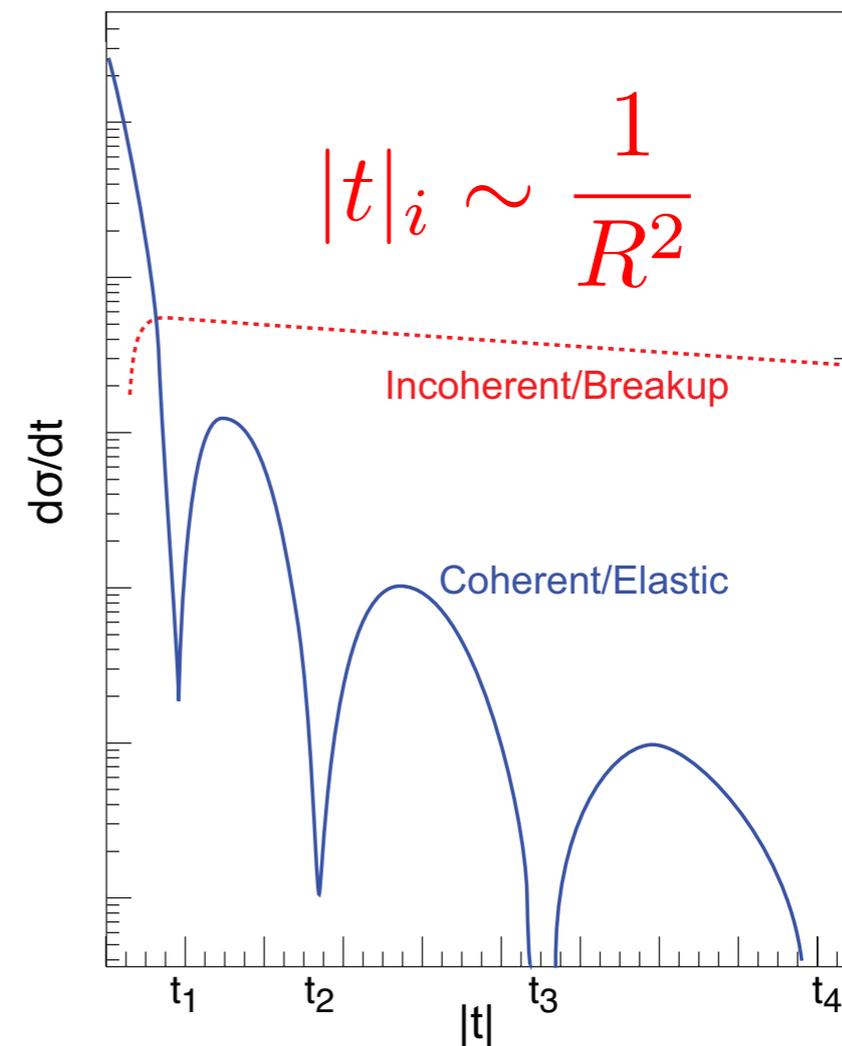
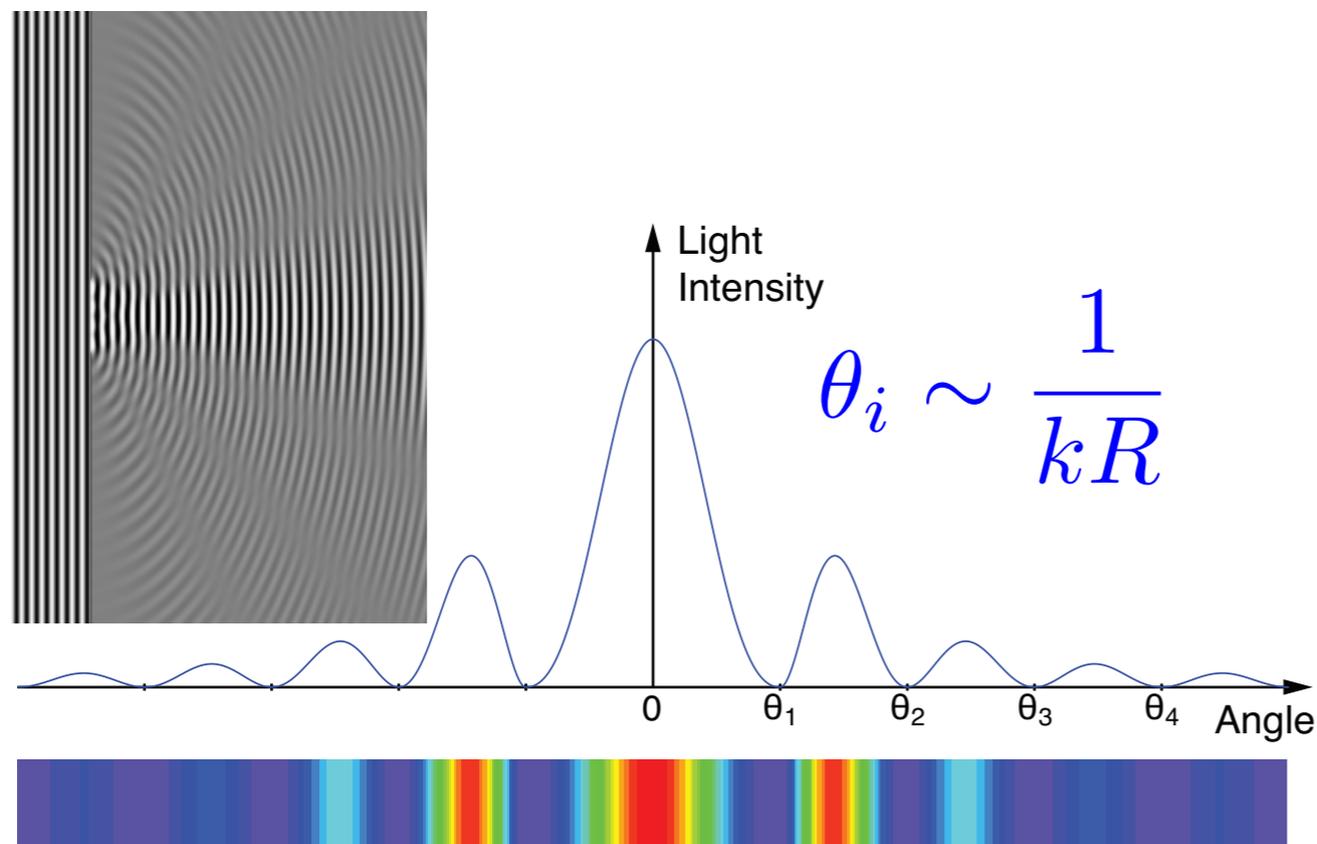
# Why is diffraction so great?

Sensitive to **spatial gluon distributions**

A projectile scattering off a nucleus of radius  $R$

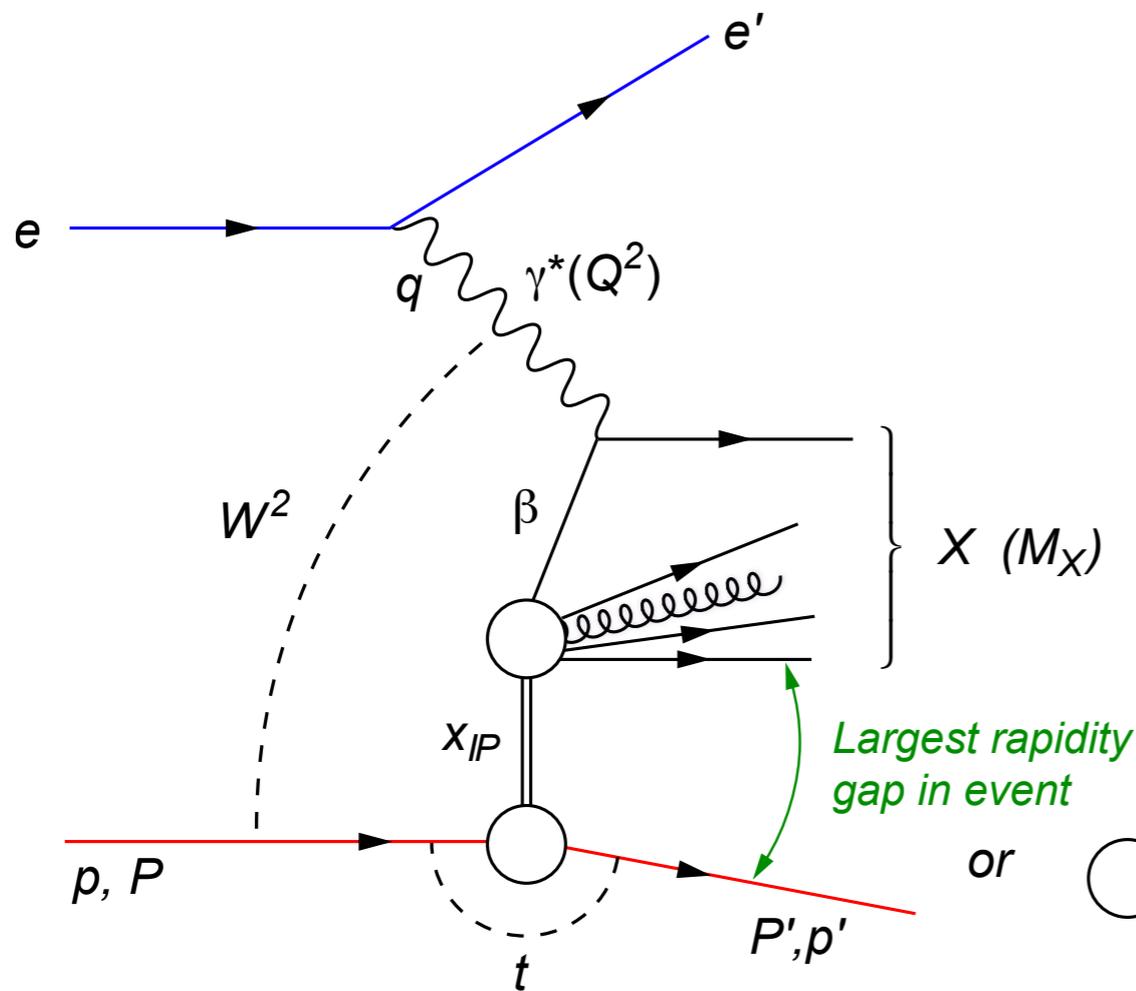
-not a 'black disk', edge effects  
-target may break up

Light scattering off a circular screen of radius  $R$

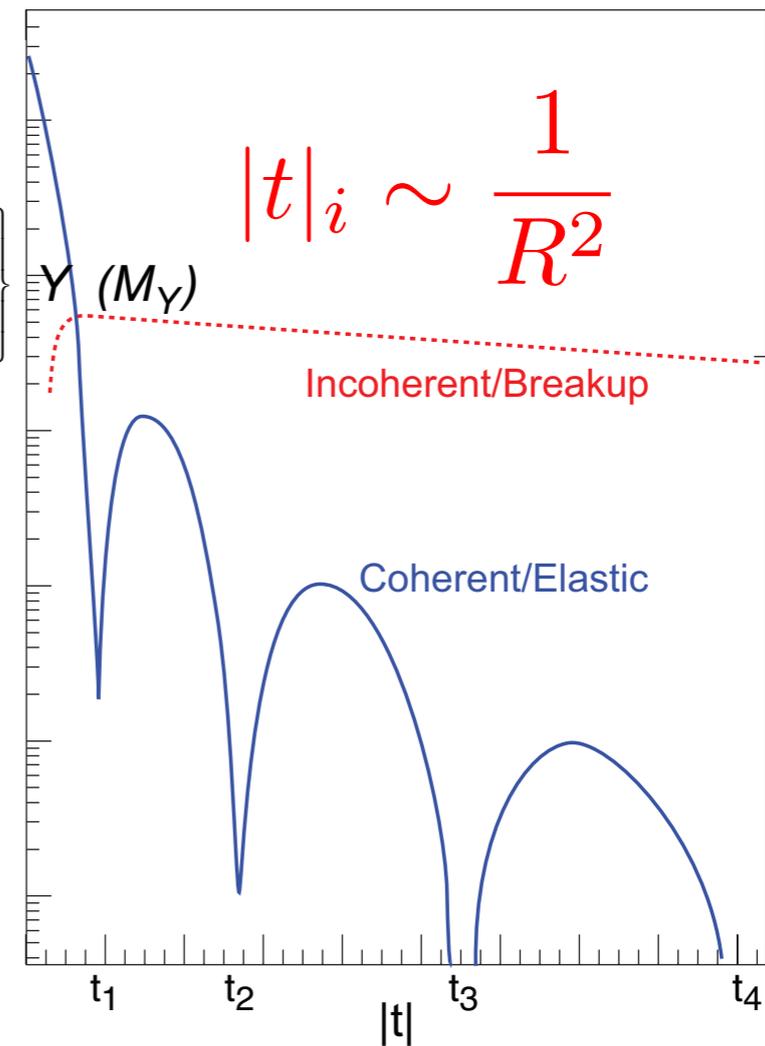
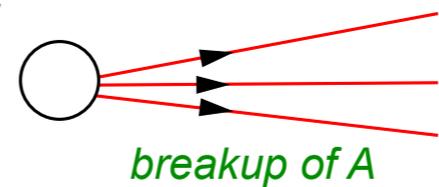


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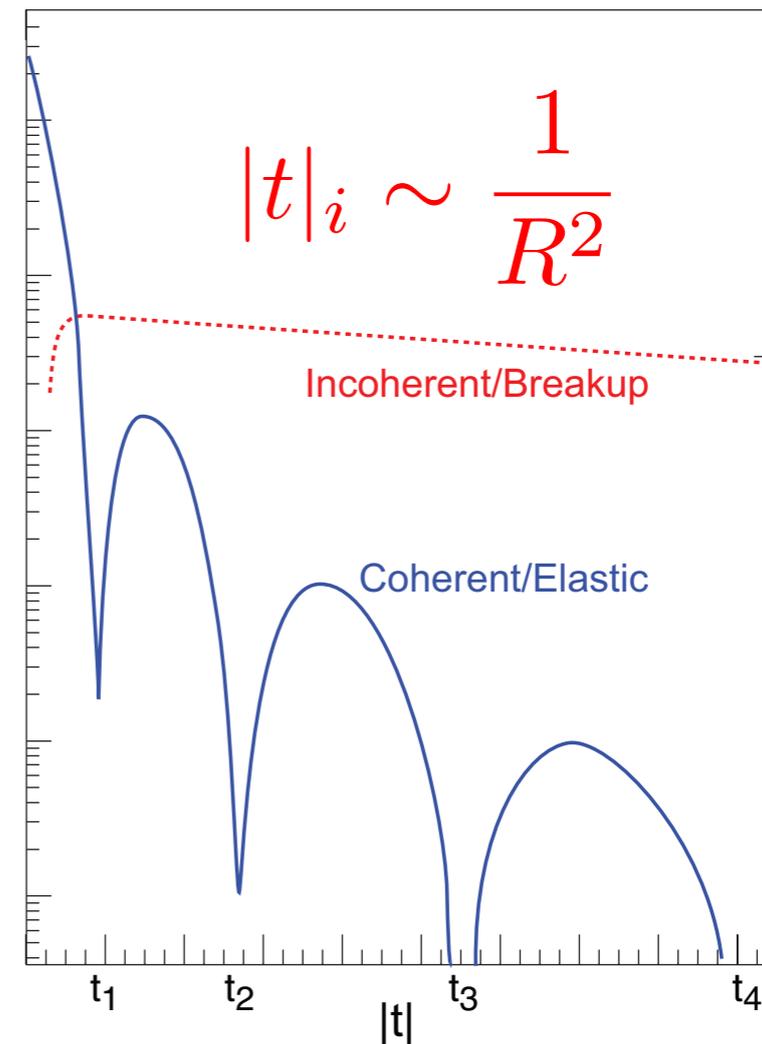
$$t = (p - p')^2$$



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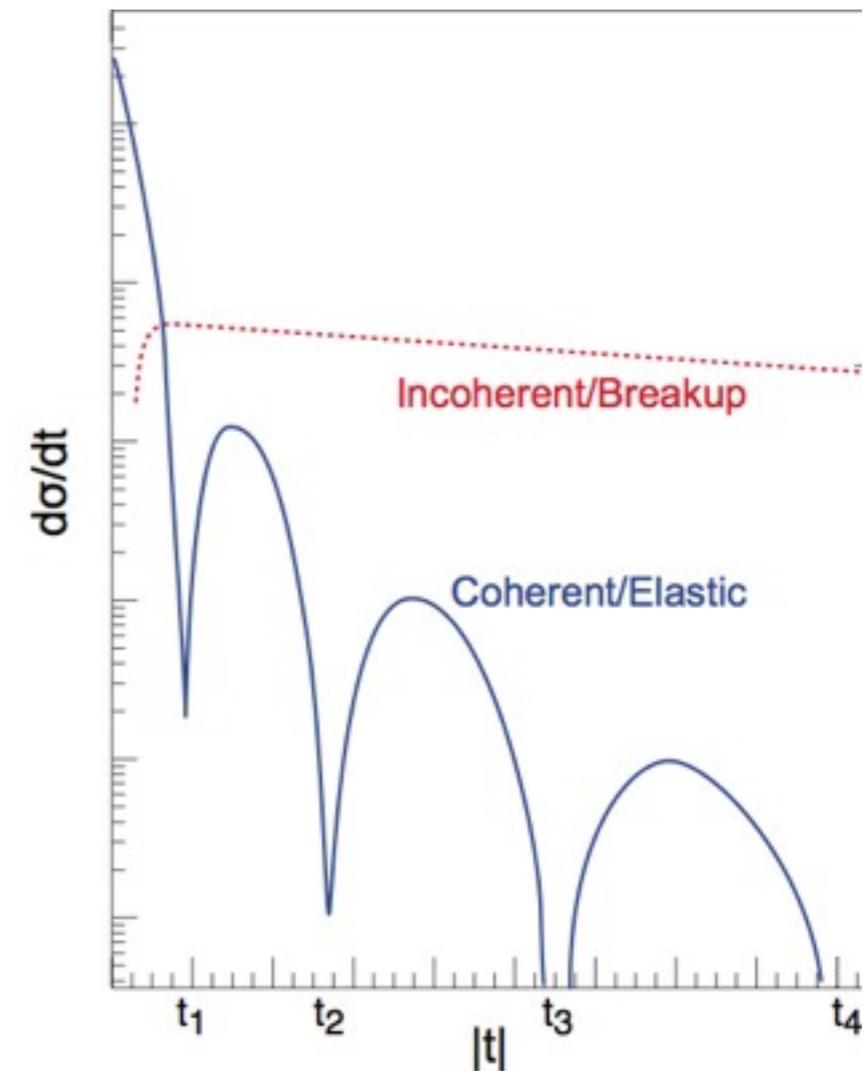
# Diffraction at eRHIC

Difference in between  $ep$  &  $eA$ :  
The Nucleus can break up  
into colour neutral fragments!

When the nucleus breaks up, the  
scattering is called **incoherent**

When the nucleus stays intact, the  
scattering is called **coherent**

Total cross-section = **incoherent** + **coherent**



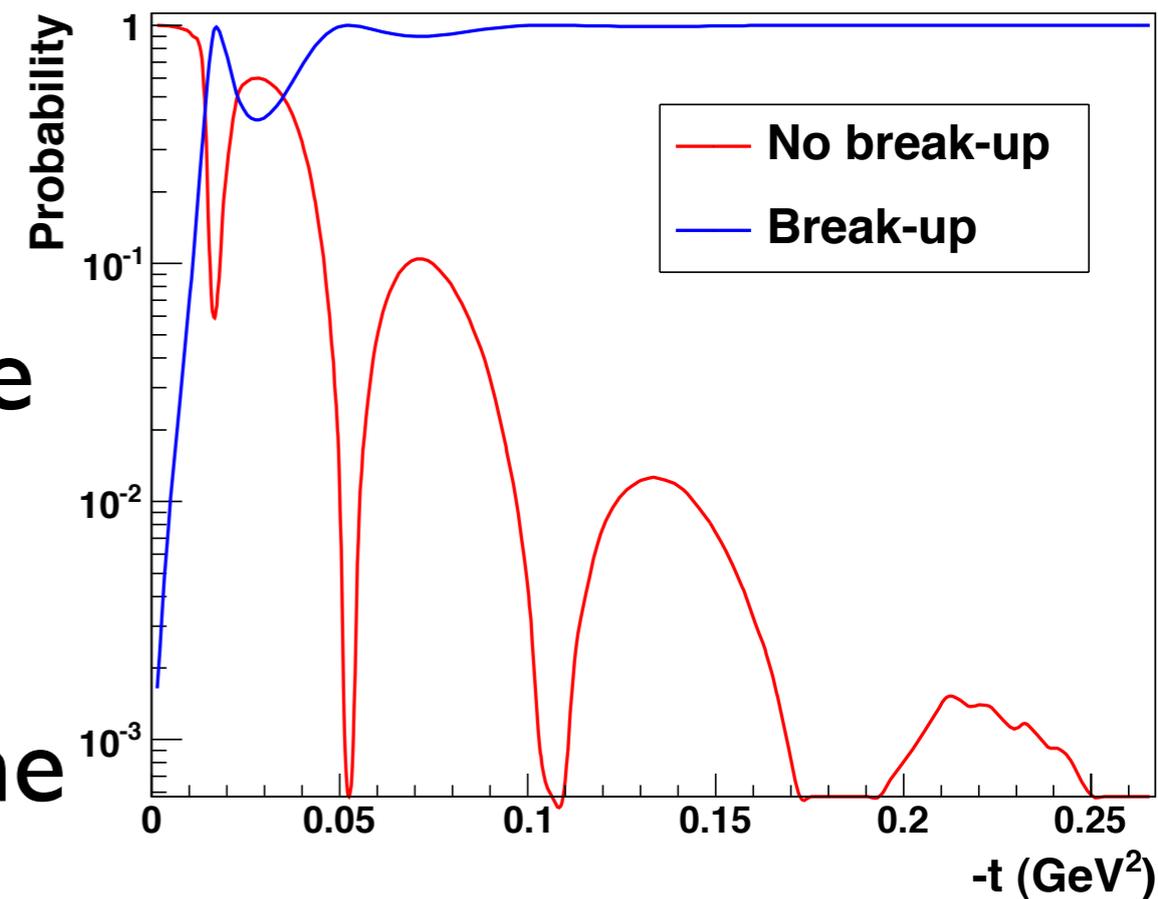
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# Incoherent Scattering

Good, Walker:

Nucleus dissociates ( $f \neq i$ ):

$$\sigma_{\text{incoherent}} \propto \sum_{f \neq i} \langle i | \mathcal{A} | f \rangle^\dagger \langle f | \mathcal{A} | i \rangle$$

complete set

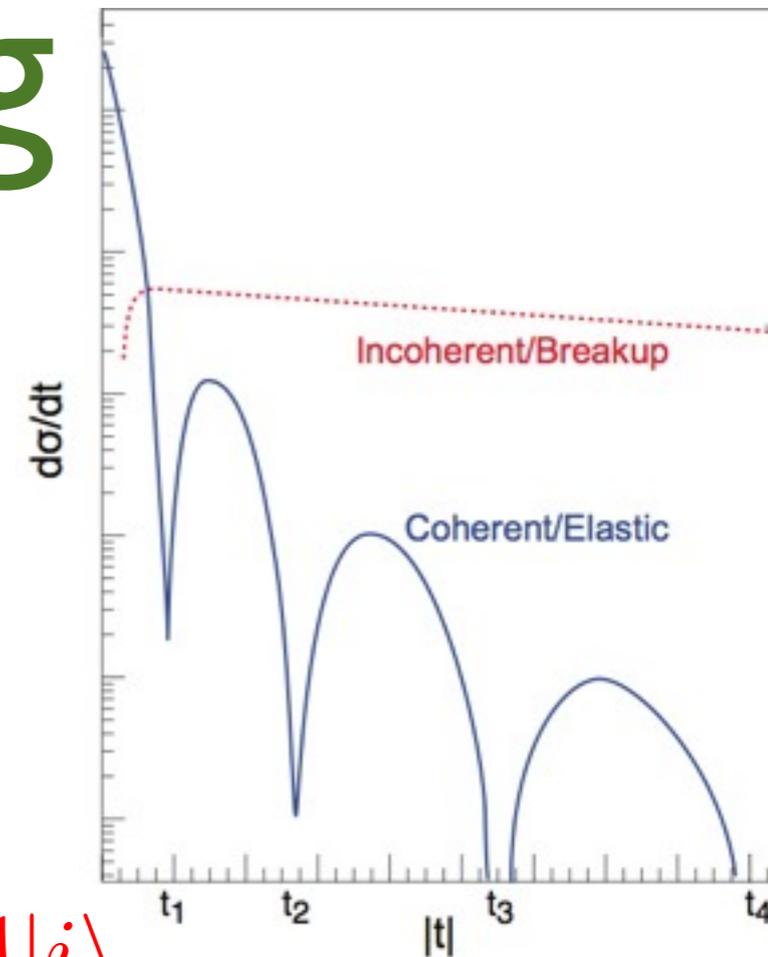
$$= \sum_f \langle i | \mathcal{A} | f \rangle^\dagger \langle f | \mathcal{A} | i \rangle - \langle i | \mathcal{A} | i \rangle^\dagger \langle i | \mathcal{A} | i \rangle$$

$$= \langle i | |\mathcal{A}|^2 | i \rangle - |\langle i | \mathcal{A} | i \rangle|^2 = \langle |\mathcal{A}|^2 \rangle - |\langle \mathcal{A} \rangle|^2$$

The incoherent CS is the variance of the amplitude!!

$$\frac{d\sigma_{\text{total}}}{dt} = \frac{1}{16\pi} \langle |\mathcal{A}|^2 \rangle$$

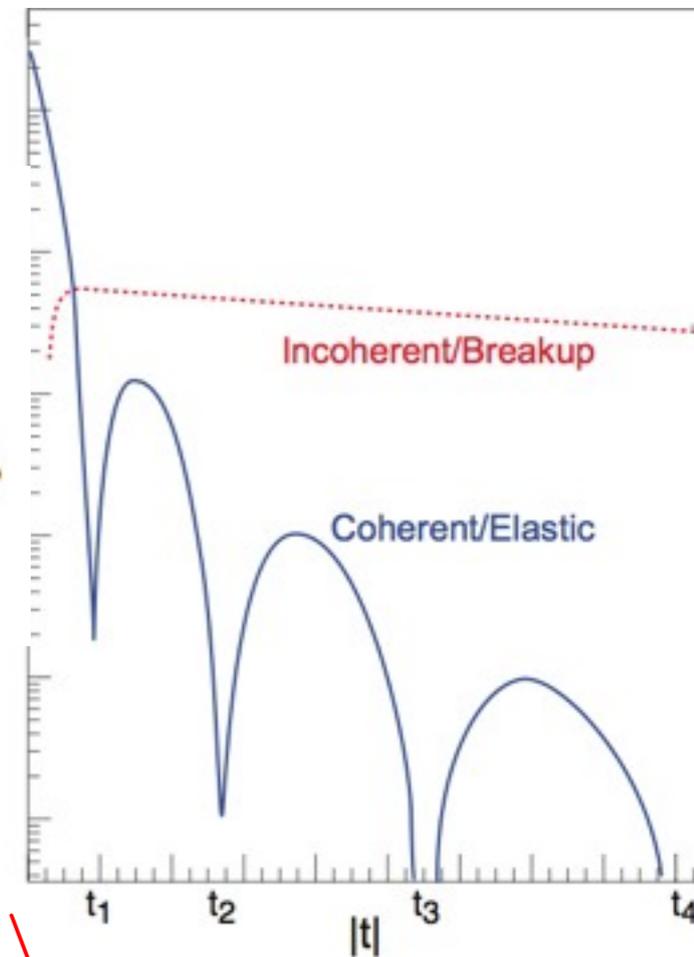
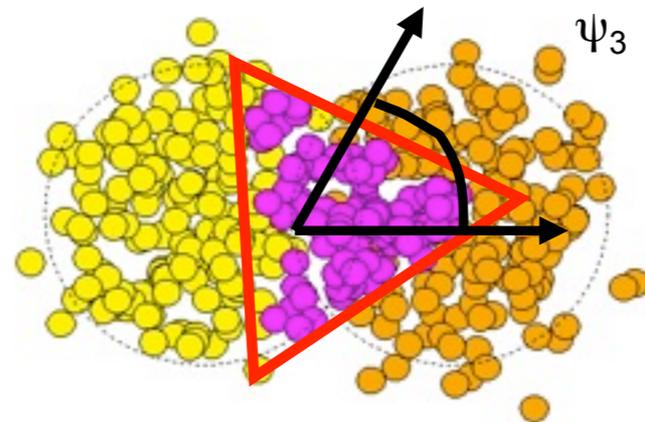
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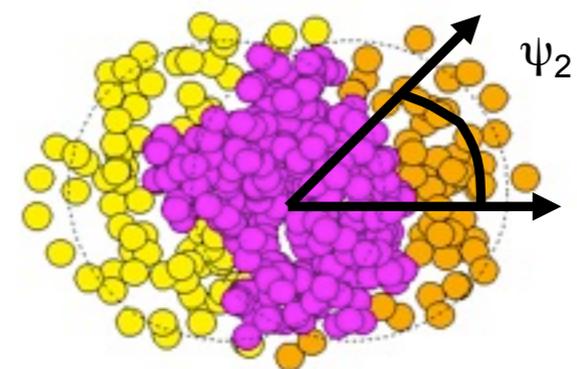
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$\frac{d\sigma}{dt}$

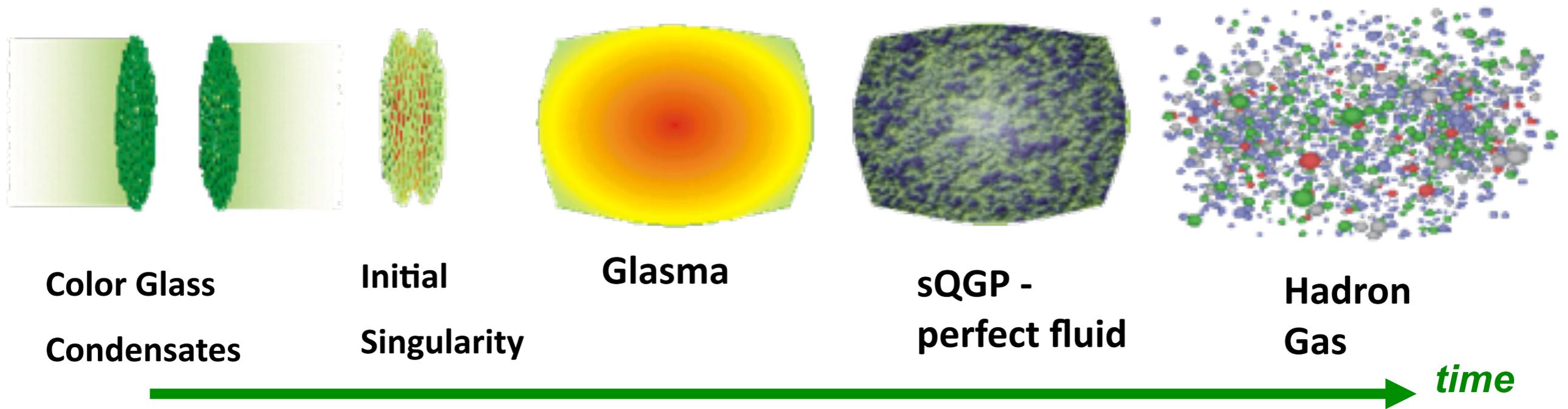


$|\langle \mathcal{A} \rangle|^2$

# Why? Standard model of Heavy Ion Collisions

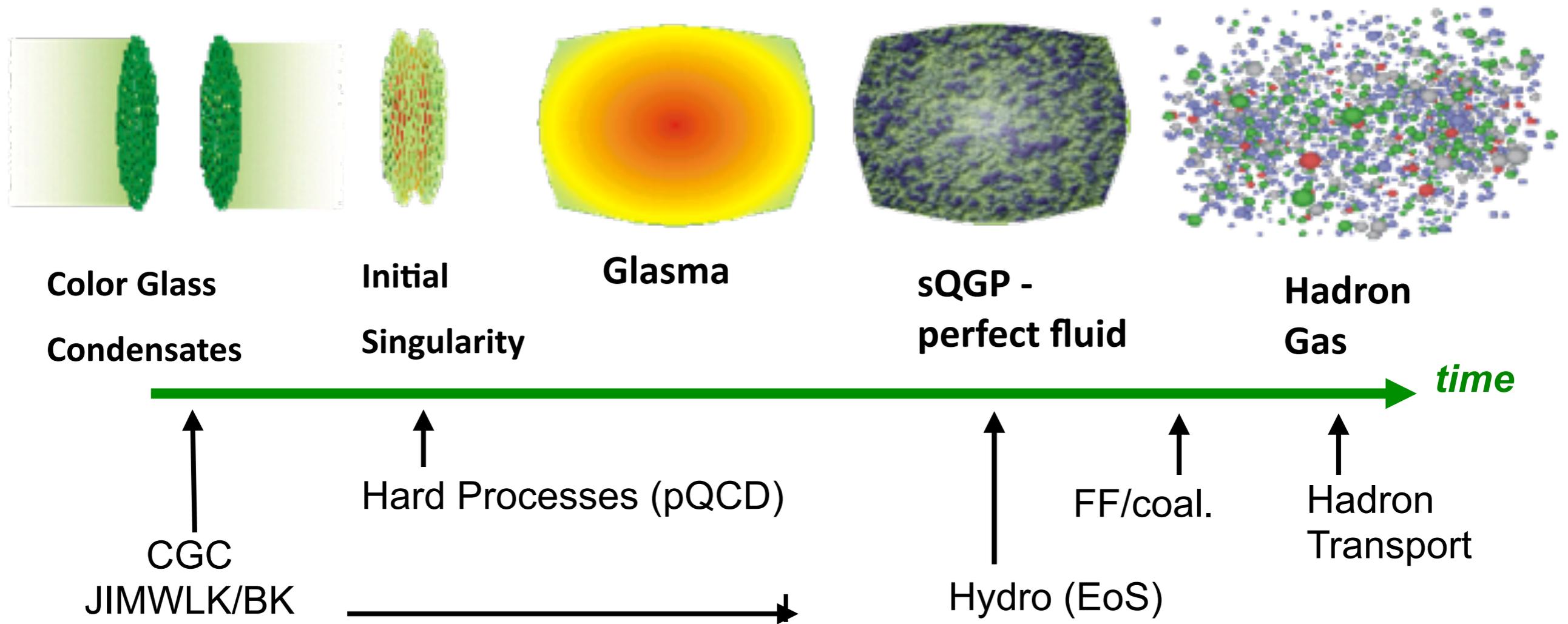
Our understanding of some fundamental properties of the Glasma, sQGP and **Hadron Gas** depend strongly on our knowledge of the initial state!

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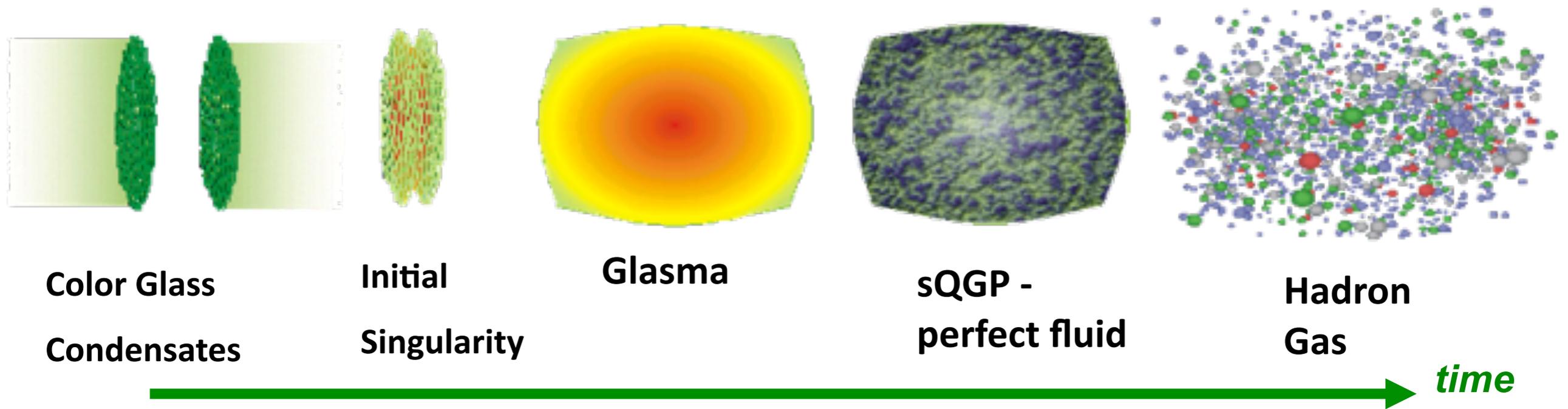
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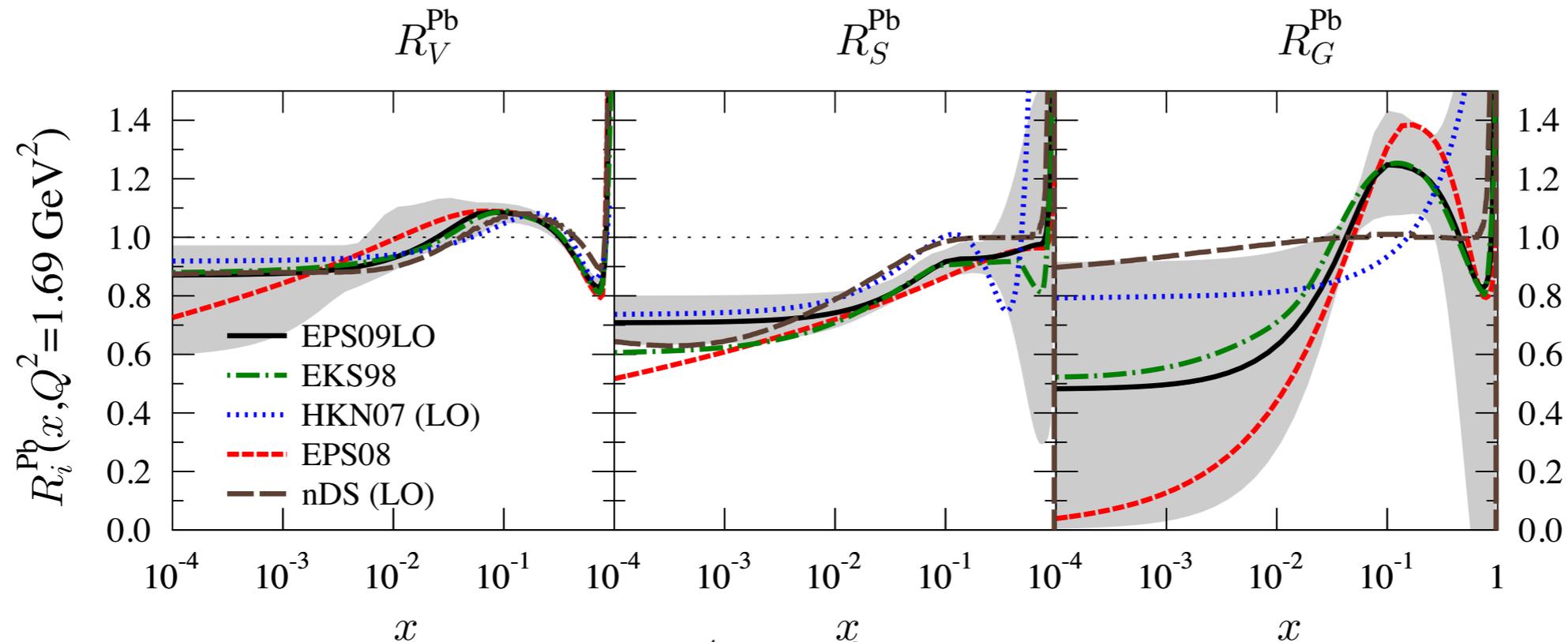
# Why? Standard model of Heavy Ion Collisions



Our understanding of some fundamental properties of the Glasma, sQGP and Hadron Gas depend strongly on our knowledge of the initial state!

# How well do we know the initial state?

## Momentum density functions:



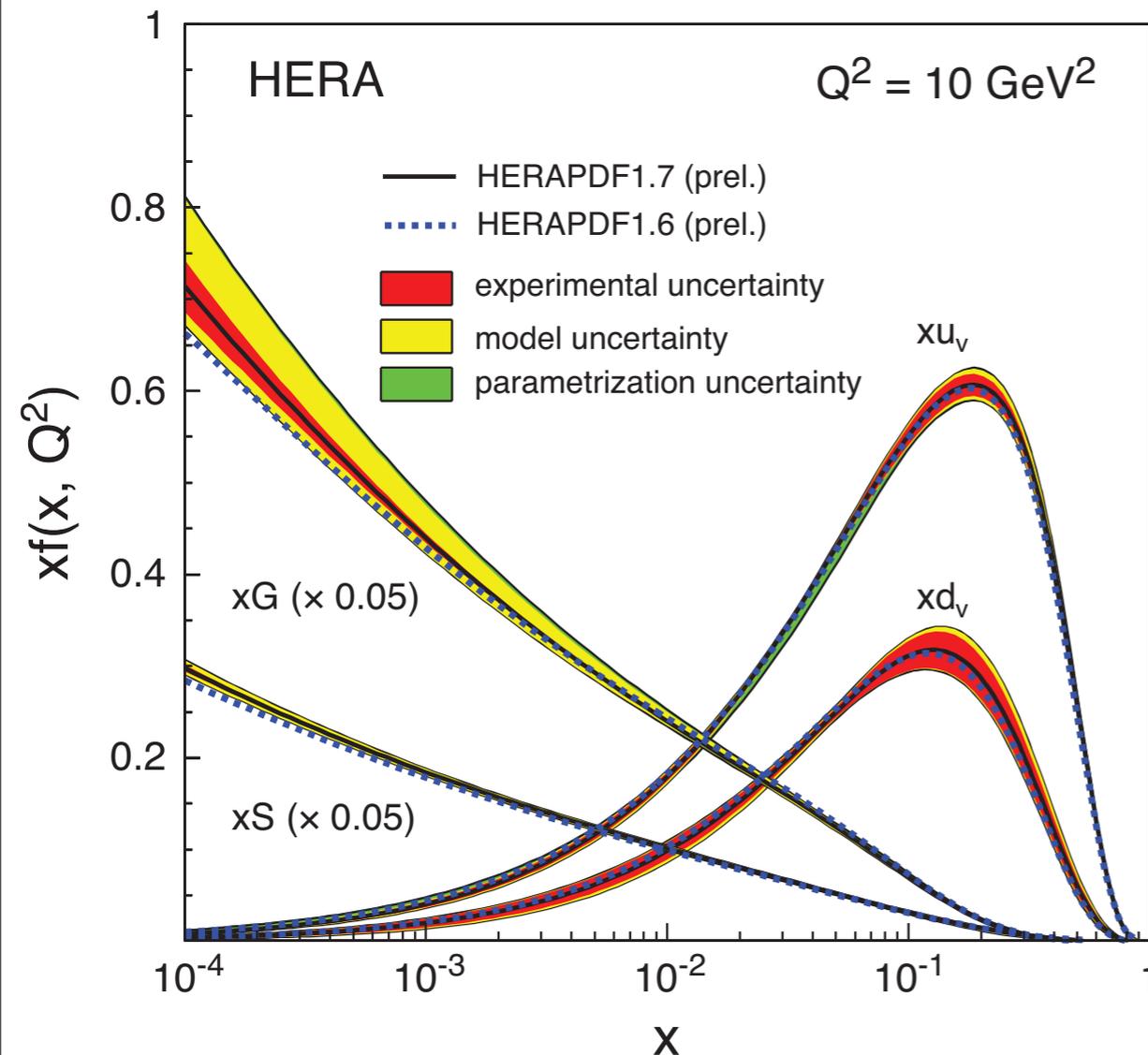
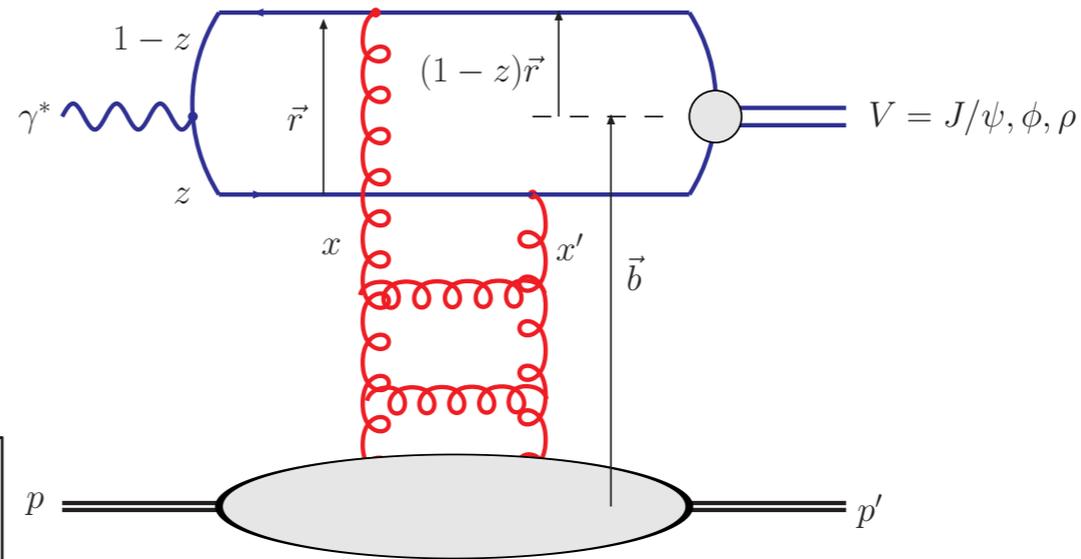
$$R^A(x, Q^2) = \frac{f_i^A(x, Q^2)}{A f_i^{\text{nucleon}}(x, Q^2)}, \quad f_i = q, \bar{q}, g,$$

- PDFs in  $p$  are reasonable well under control for  $10^{-4} < x < 0.3$
- PDFs in  $A$  less constraint (at low- $x$  could hide higher twist effects)
- EMC ( $0.25 < x < 0.8$ ) only at very high  $p_T$  at RHIC
- Anti-shadowing ( $0.1 < x < 0.25$ )
- Shadowing ( $x < 0.1$ )

# Why is diffraction so great?

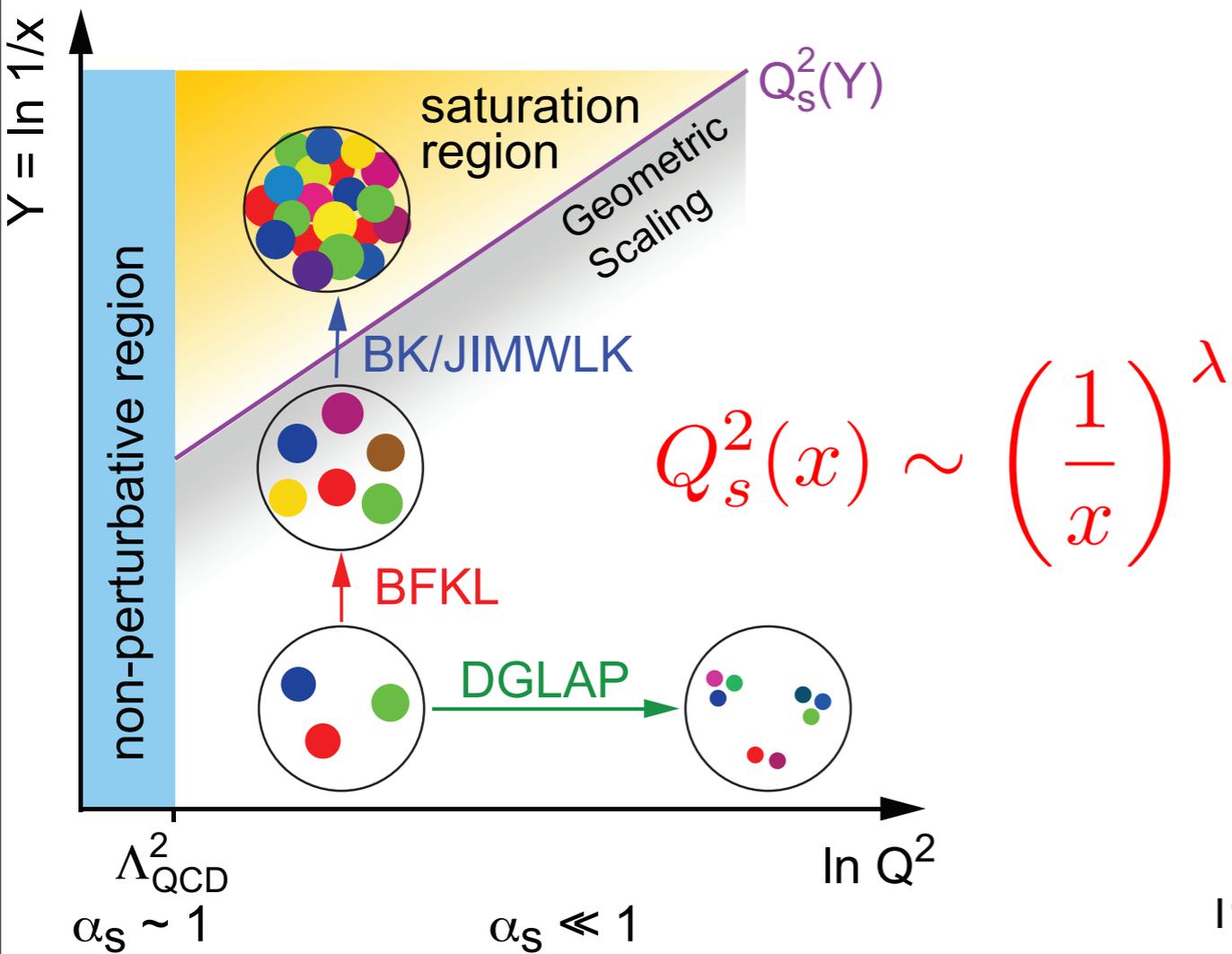
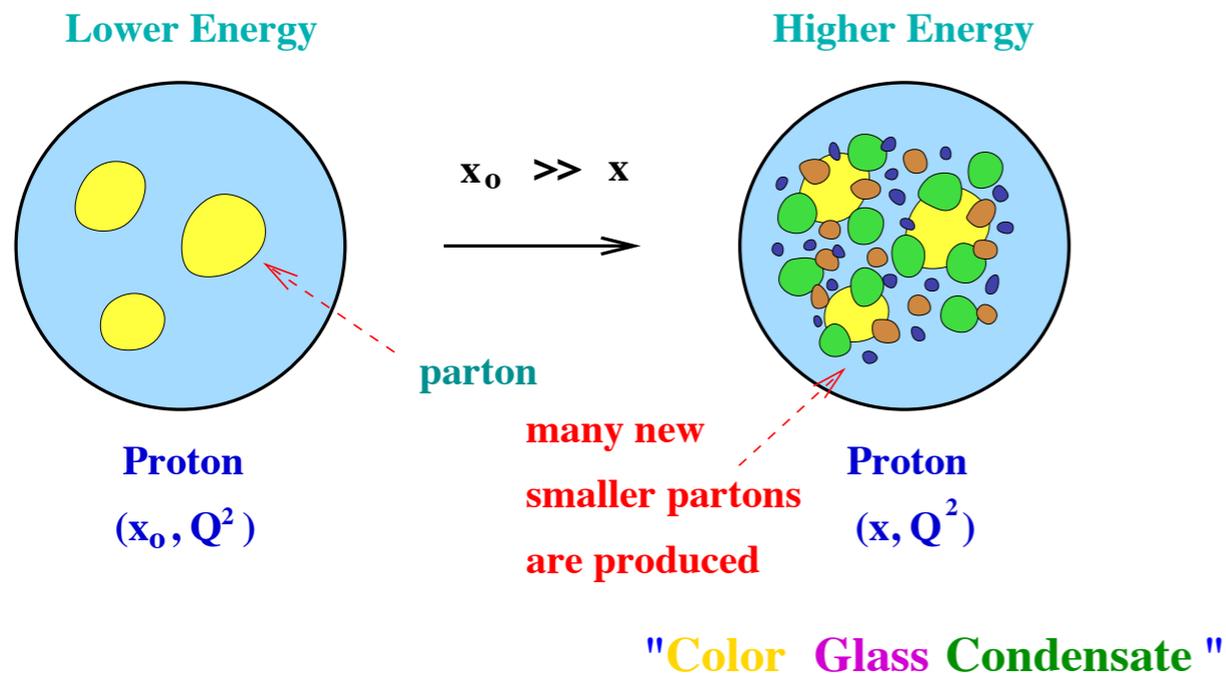
Diffraction sensitive to gluon momentum distributions<sup>2</sup>:

$$\sigma \propto g(x, Q^2)^2$$

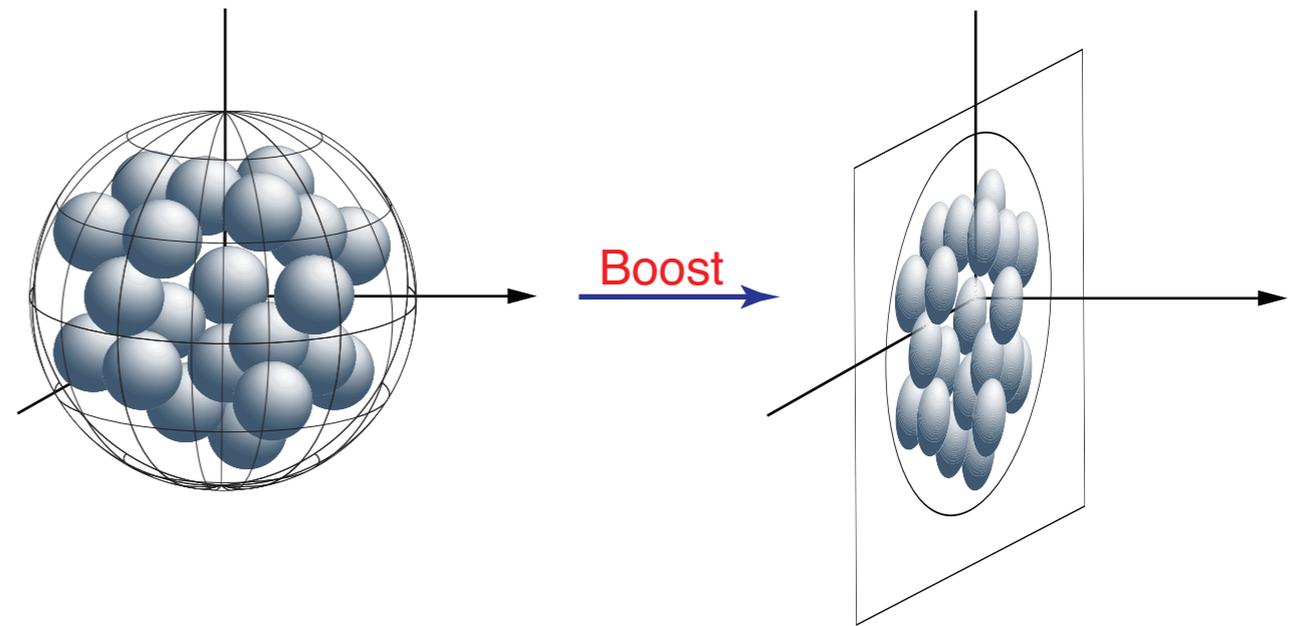
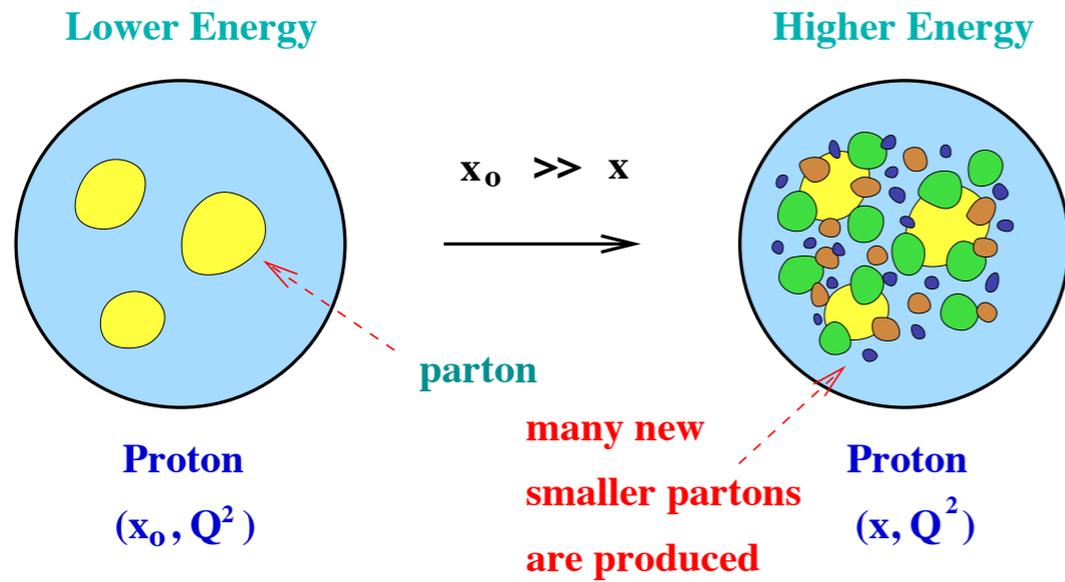


How does the gluon distribution saturate at small  $x$ ?

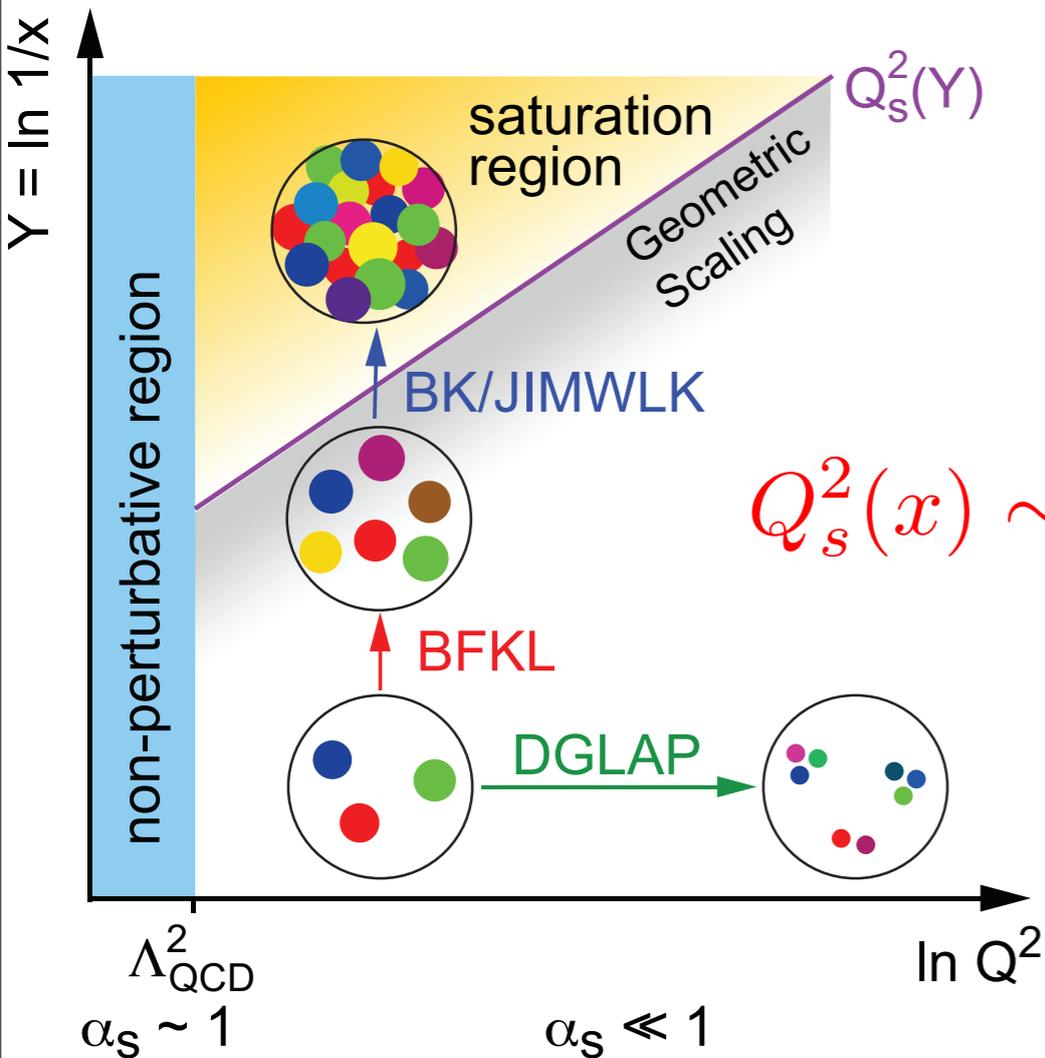
# Saturation at eRHIC



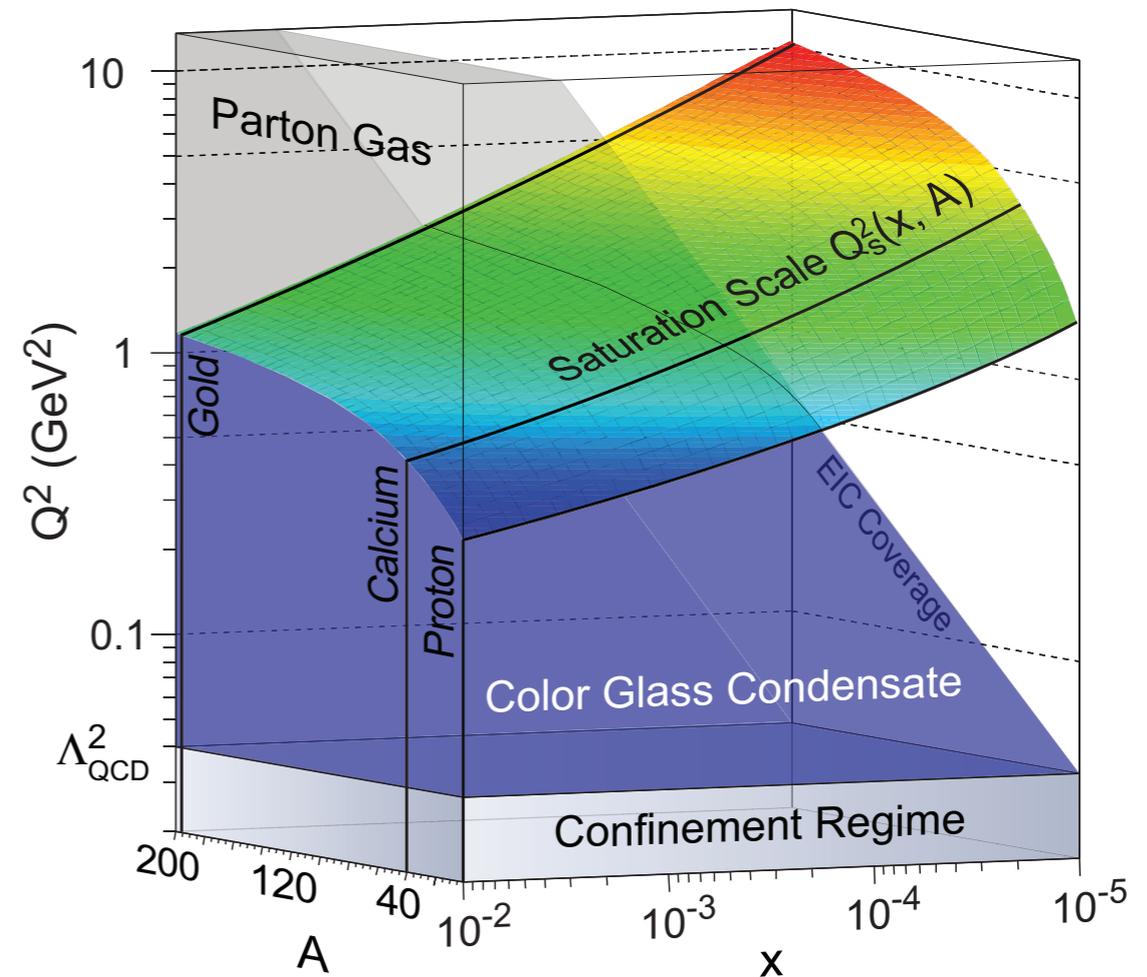
# Saturation at eRHIC



"Color Glass Condensate"



$$Q_s^2(x) \sim A^{1/3} \left( \frac{1}{x} \right)^\lambda$$

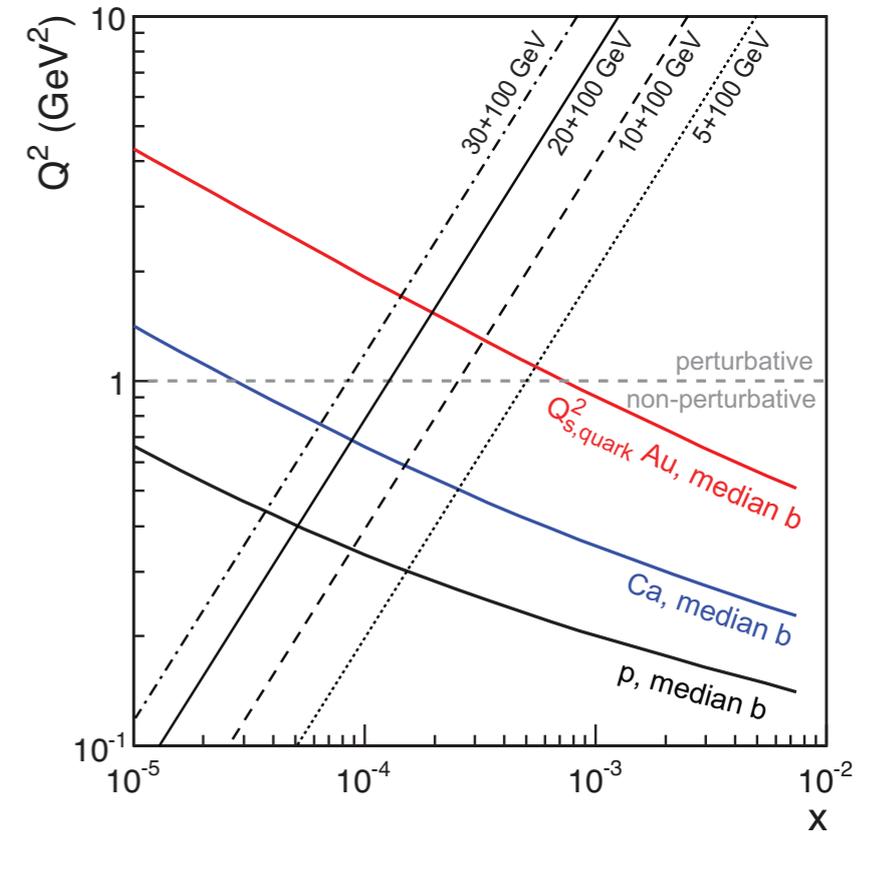
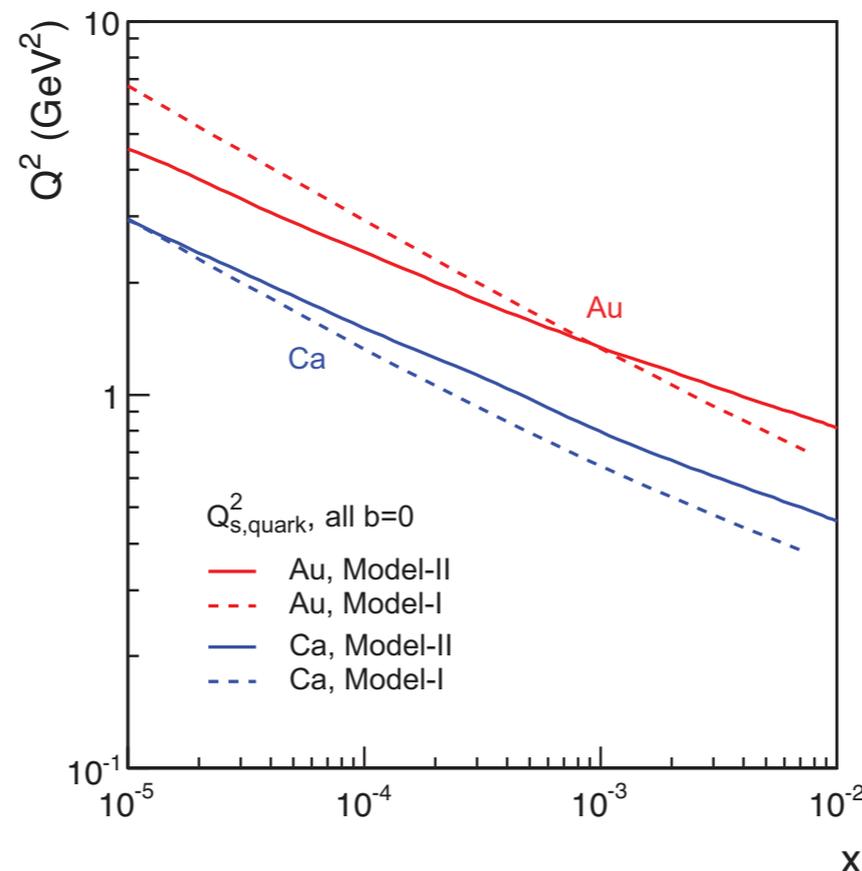
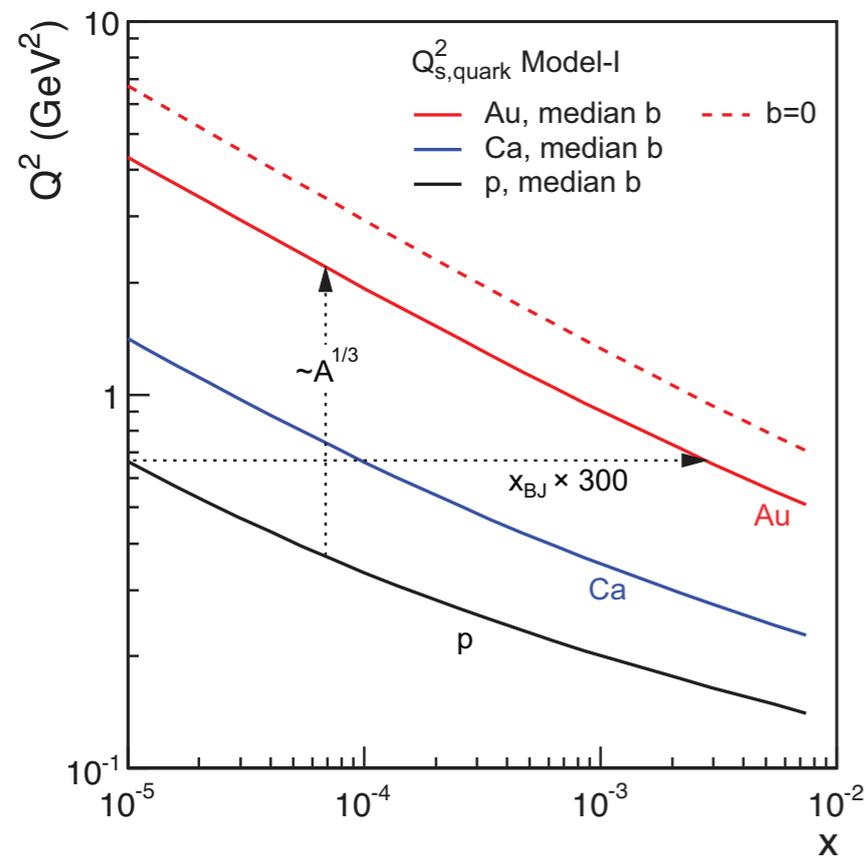


# Saturation at eRHIC

Pocket formula:

$$Q_s^2(x) \sim A^{1/3} \left(\frac{1}{x}\right)^\lambda \sim \left(\frac{A}{x}\right)^{1/3}$$

Gold:  $A=197$ ,  $x$  197 times smaller!



Model-I: bSat, Model-II: rcBK

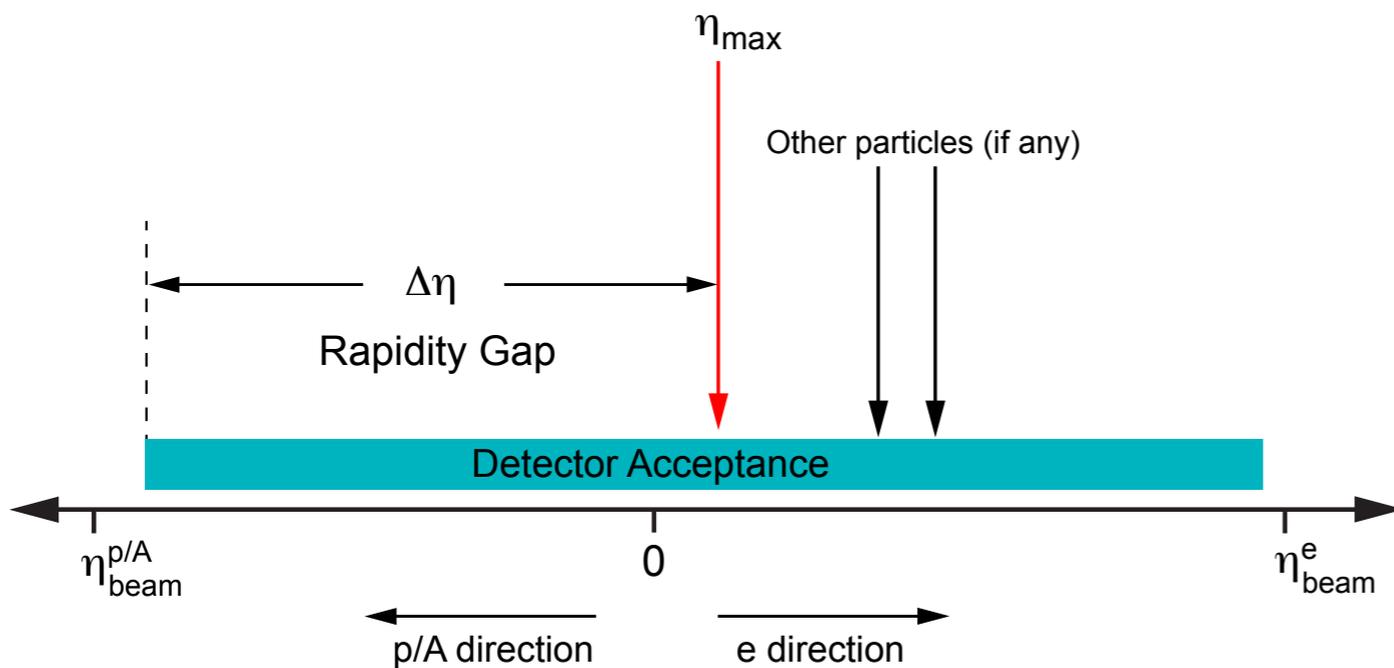
# How to measure diffraction at eRHIC

# Key eA measurements at eRHIC

Deliverables	Observables	What we learn	Stage-I	Stage-II
Integrated gluon momentum distributions	$F_{2,L}$	Nuclear wave function; saturation	Gluons at $10^{-3} \lesssim x \lesssim 1$	Exploration of the saturation regime
$k_T$ -dependent gluons; gluon correlations	Di-hadron correlations	Non-linear QCD evolution/universality; saturation scale $Q_s$	Onset of saturation; $Q_s$ measurement	Nonlinear small- $x$ evolution
Spatial gluon distributions; gluon correlations	Diffractive dissociation $\sigma_{\text{diff}}/\sigma_{\text{tot}}$ vector mesons & DVCS $d\sigma/dt, d\sigma/dQ^2$	Nonlinear small- $x$ evolution; saturation dynamics; black disk limit	saturation vs. non-saturation models	Spatial gluon distribution; $Q_s$ vs centrality

# Measuring Diffraction at eRHIC

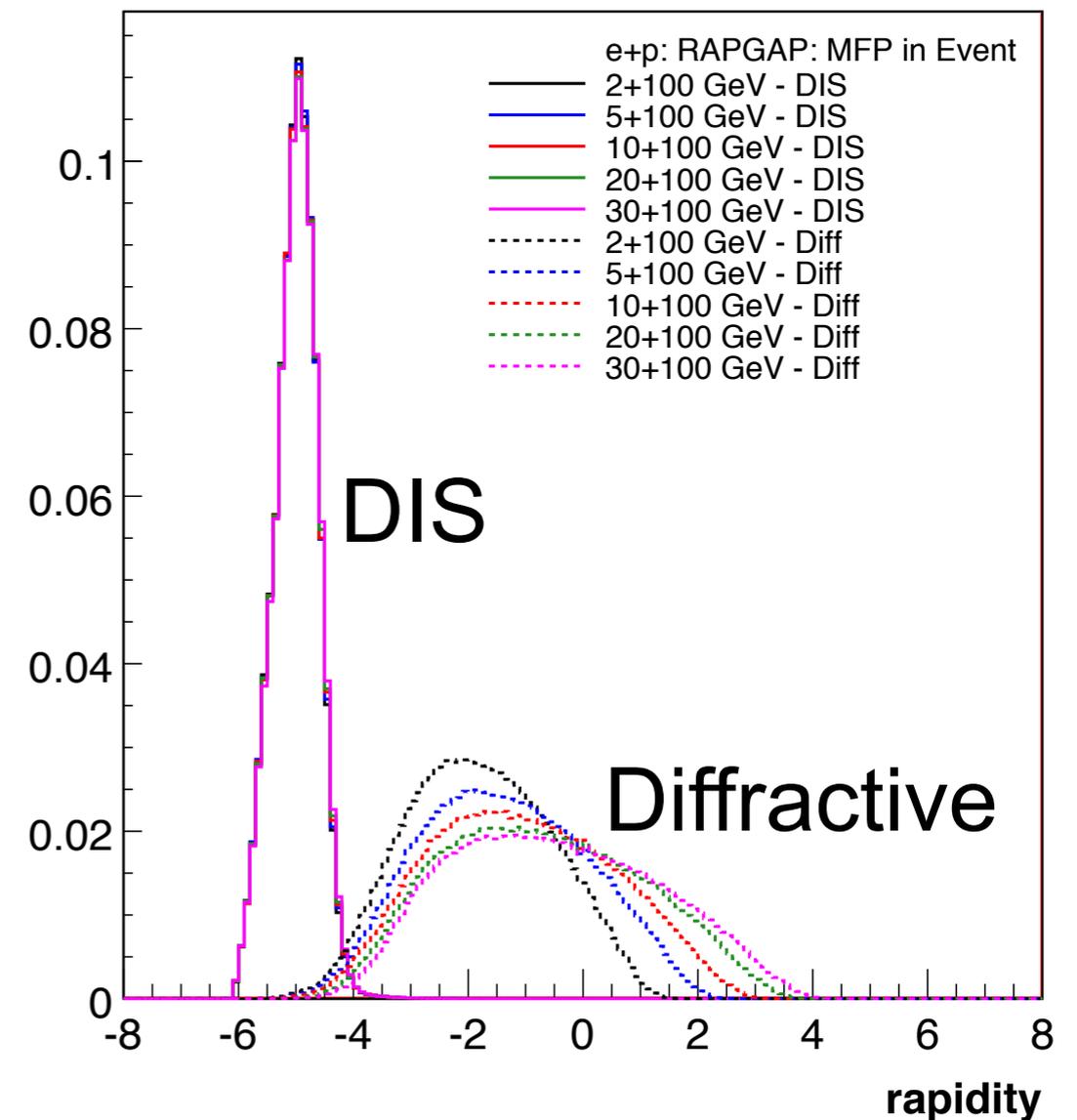
- Identify Most Forward Going Particle (MFP)



## Hermeticity requirement:

- needs just to detect presence
- does not need momentum or PID
- studies done at BNL: can achieve 1% contamination, 80% efficiency

Diffractive  $\rho^0$  production at eRHIC:  $\eta$  of MFP



M. Lamont '10

# Measuring $t=(p-p')^2$

For coherent diffraction one needs to measure the scattered ion.

Only possible if it is separated from the beamline detectors by an angle  $\theta_{\min}$ , which requires a momentum kick of at least:

$$p_t^{\min} \approx pA\theta_{\min}$$

For incoherent diffraction all beam remnants have to be measured for  $t$  to be reconstructed.

Both cases impossible - Need exclusive diffraction!

$$\theta_{\min} = 0.08\text{mrad} (10\sigma)$$

$$p = 100 \text{ GeV}$$

species (A)	$p_T^{\min}$ (GeV/c)
d (2)	0.02
Si (28)	0.22
Cu (64)	0.51
In (115)	0.92
Au (197)	1.58
U (238)	1.90

# Exclusive Vector Meson Production

- Golden channel:  $e + A \rightarrow e' + VM + A'$

- ▶  $t = (P_A - P_{A'})^2 = (P_{VM} + P_{e'} - P_e)^2$

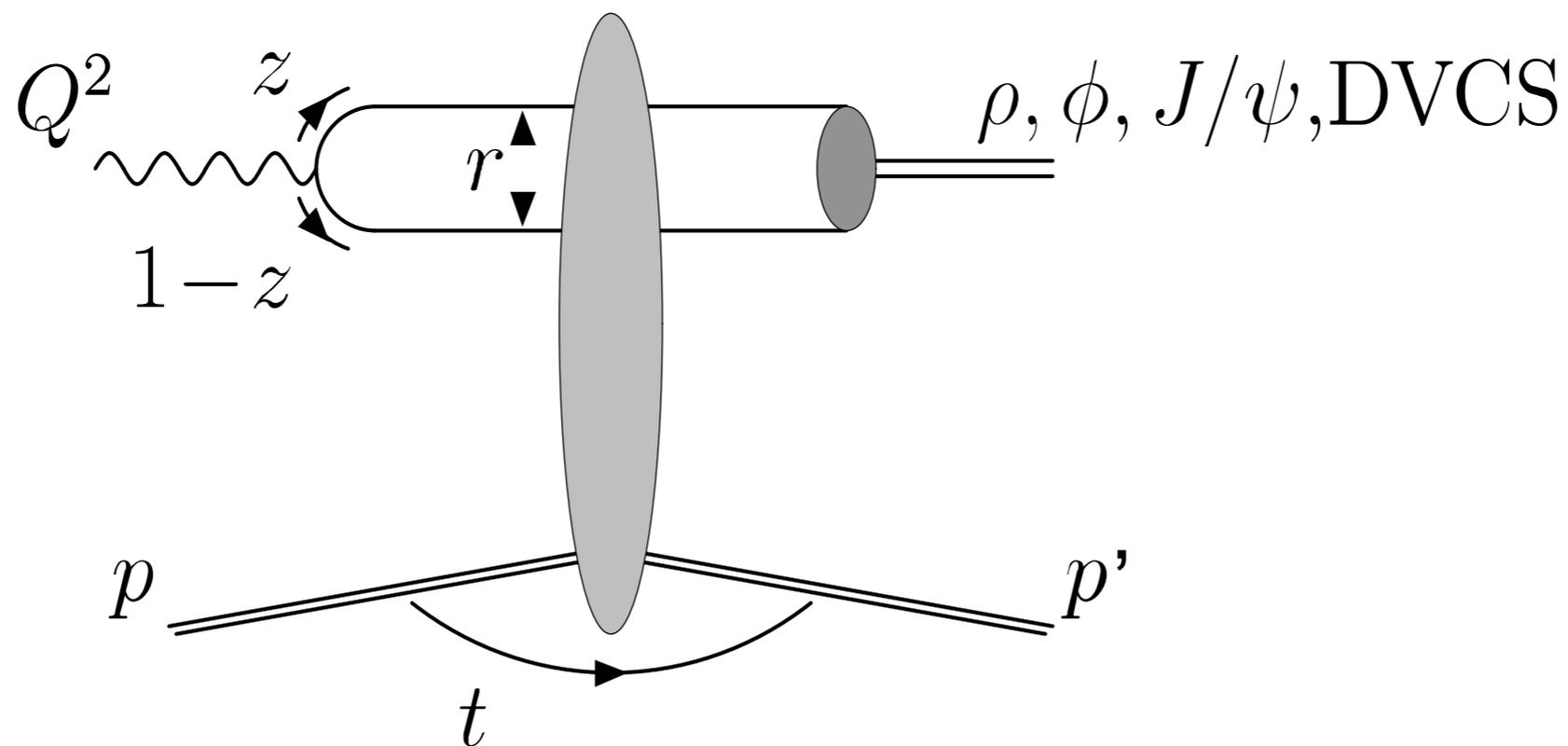
- ▶ photoproduction ( $Q^2 \approx 0$ ):  $t \approx p_{T,VM}^2$

- ▶ moderate  $Q^2$ : need  $p_T$  of  $e'$

- ▶ **Issues:**

- transverse spread of the beam (distorts small  $t$ )  $\Rightarrow$  requires beam cooling

- detect incoherent events  $\Rightarrow$  detect nuclear breakup



# Detecting Nuclear Breakup

- Detecting **all** fragments  $p_{A'} = \sum p_n + \sum p_p + \sum p_d + \sum p_\alpha \dots$  not possible
- Focus on n emission
  - ▶ Zero-Degree Calorimeter
  - ▶ **Requires careful design of IR**
- Additional measurements:
  - ▶ Fragments via Roman Pots
  - ▶  $\gamma$  via EMC

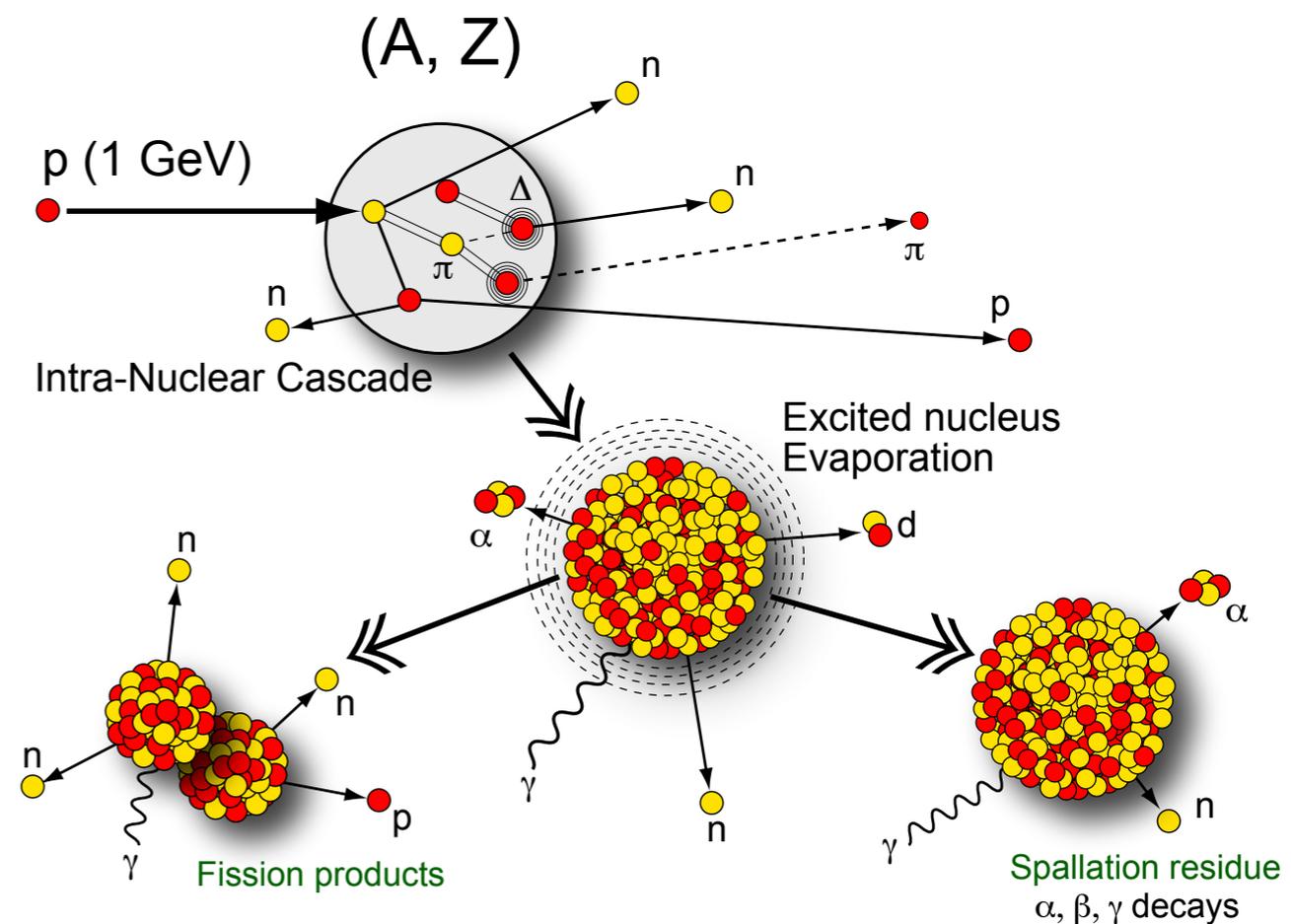
## Traditional modeling done in pA:

### Intra-Nuclear Cascade

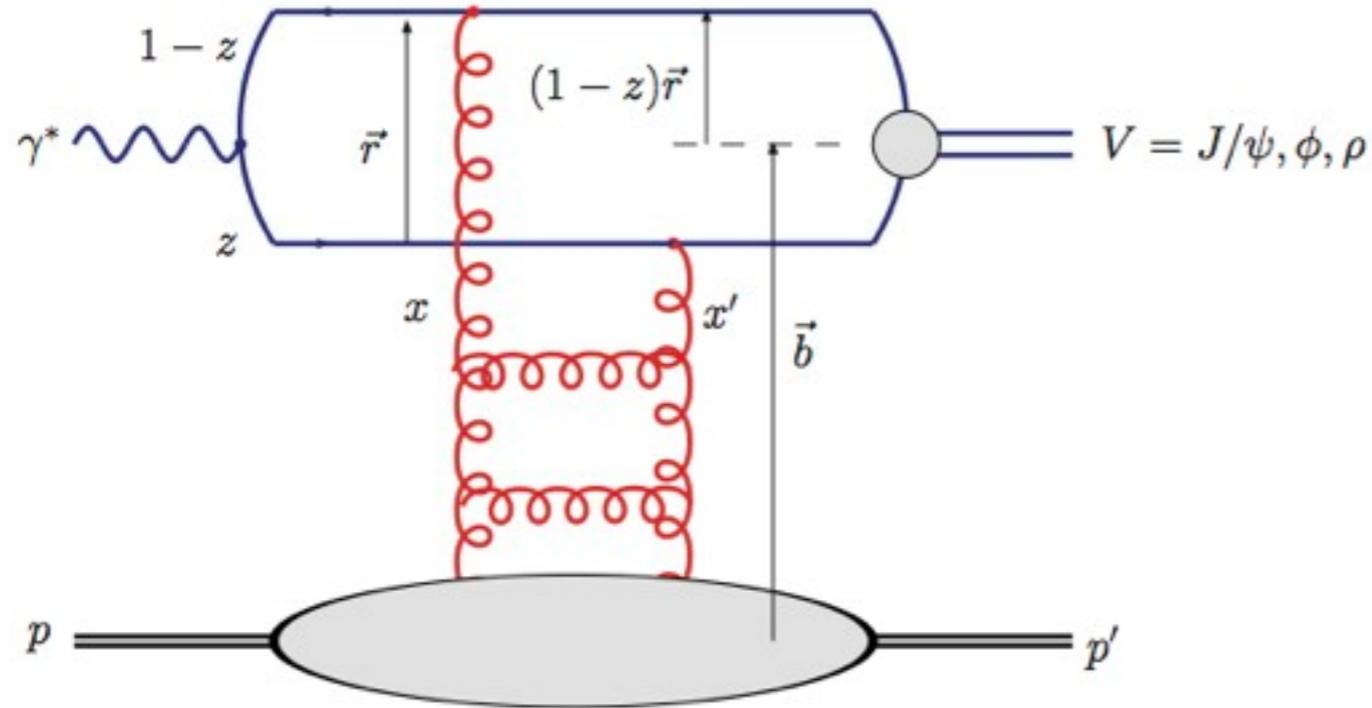
- Particle production
- Remnant Nucleus ( $A, Z, E^*, \dots$ )
- ISABEL, INCL4

### De-Excitation

- Evaporation
- Fission
- Residual Nuclei
- **Gemini++, SMM, ABLA** (all no  $\gamma$ )

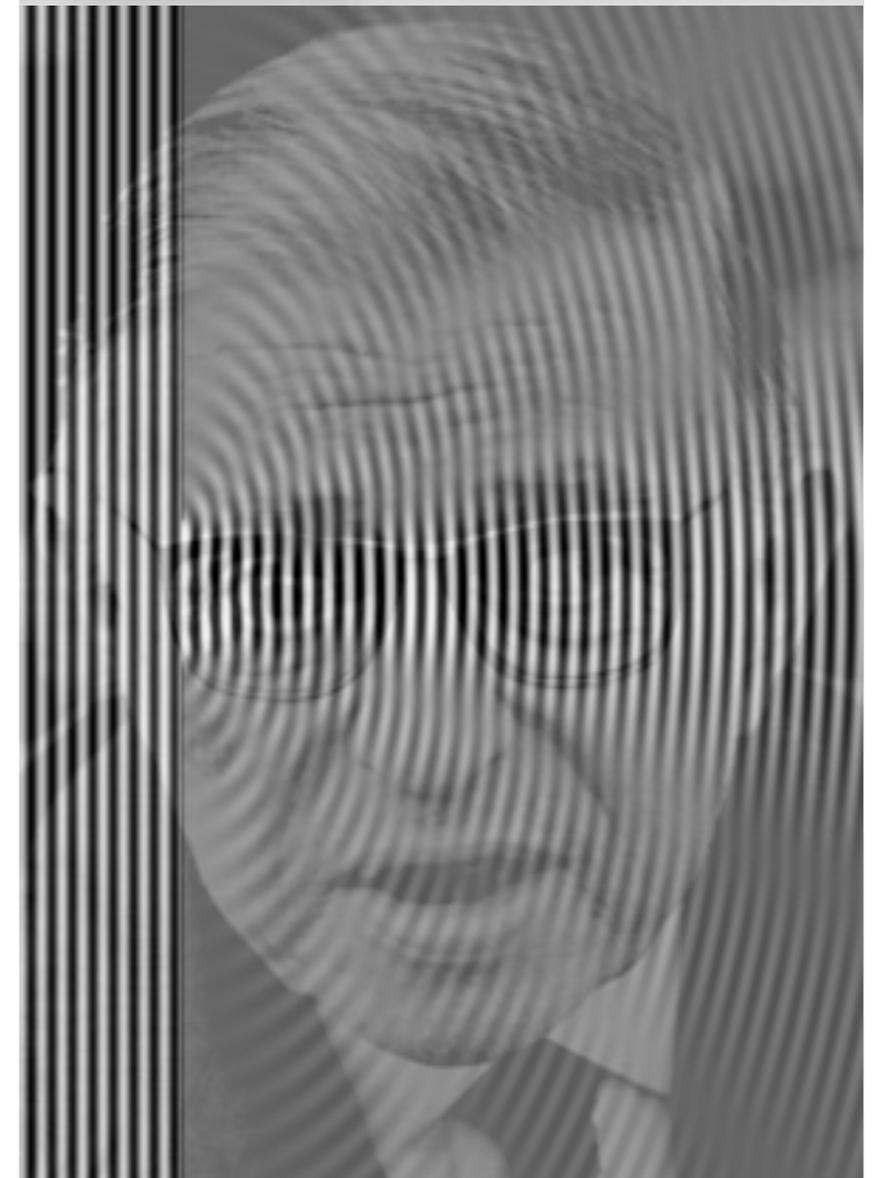
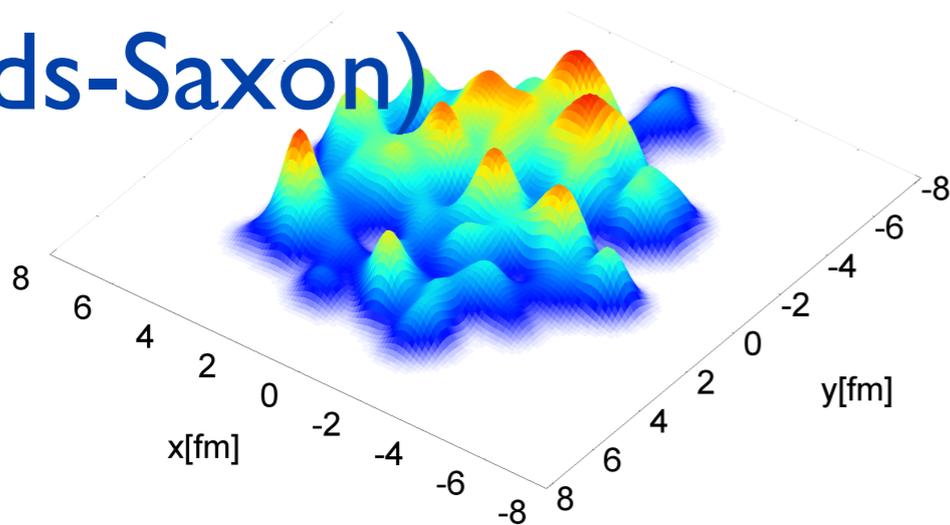


# eRHIC predictions: Exclusive diffraction Sartre



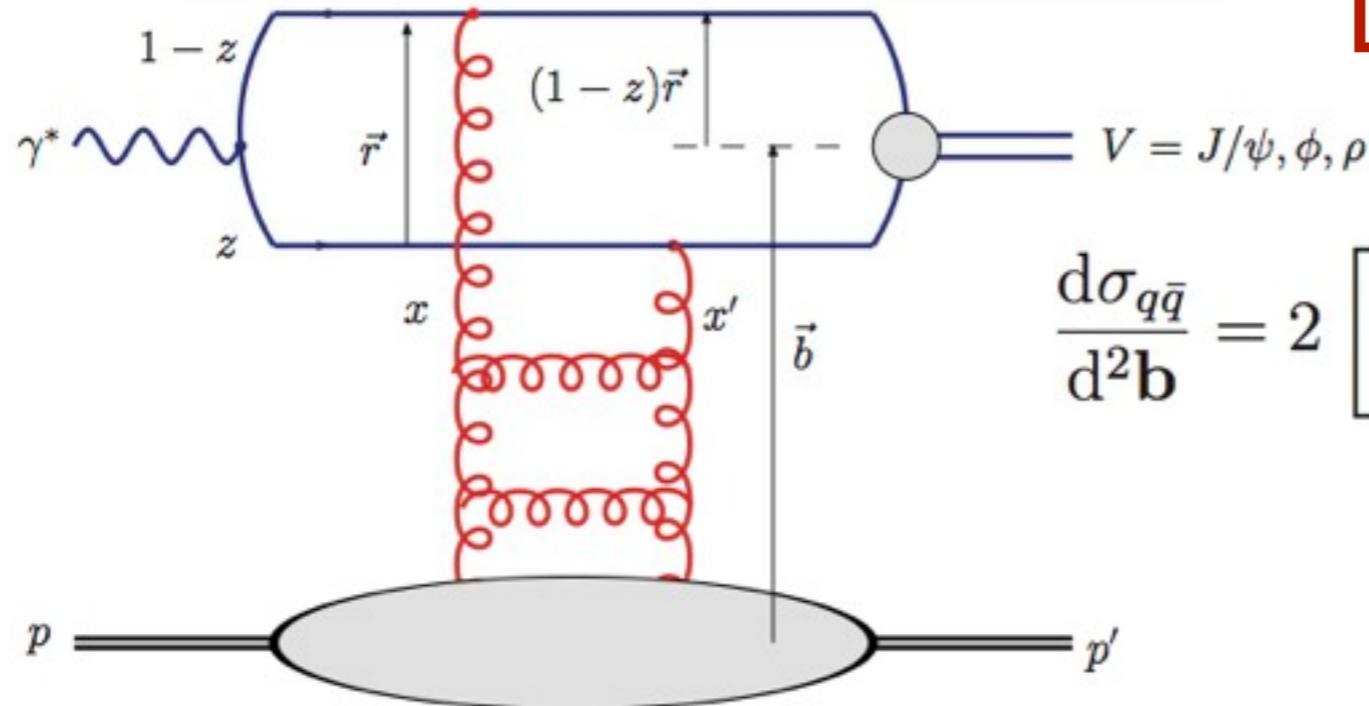
Glauber

(Woods-Saxon)



T. Ullrich & T.T.

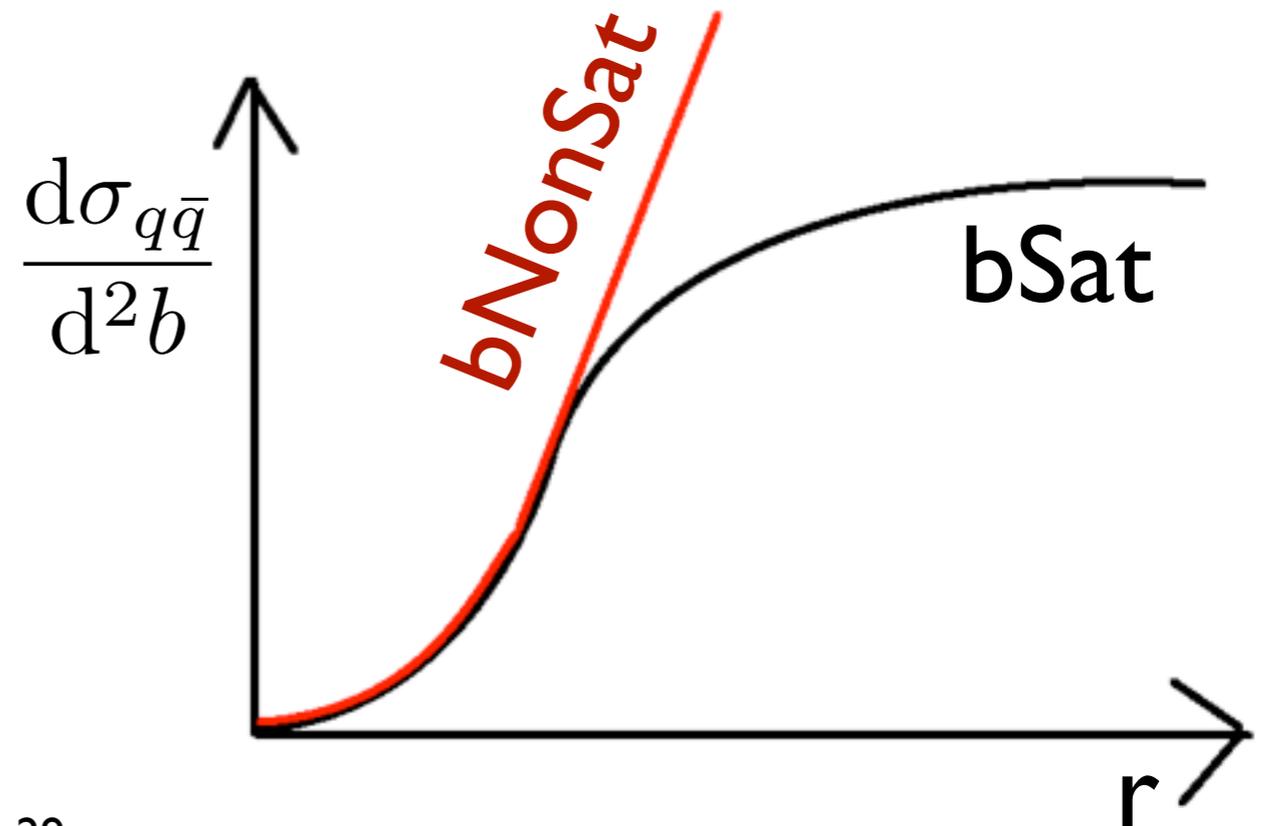
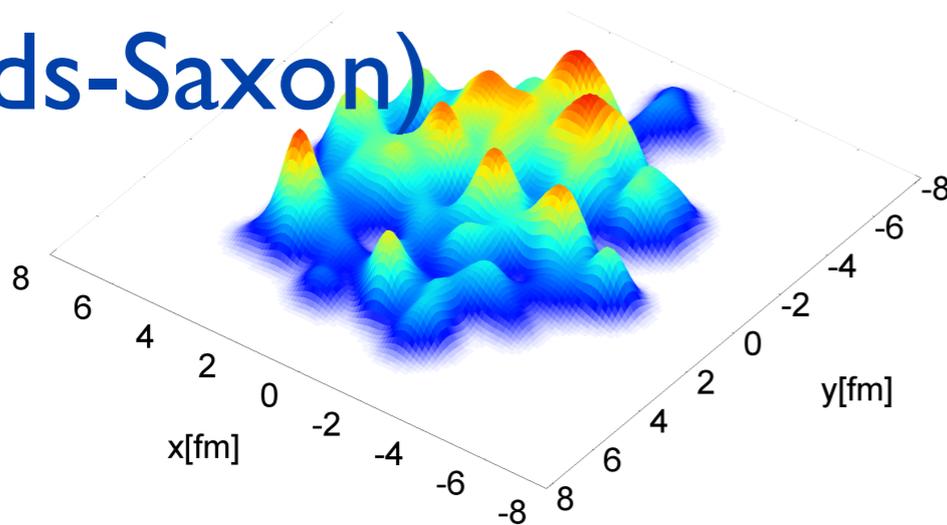
# eRHIC predictions: Exclusive diffraction Sartre



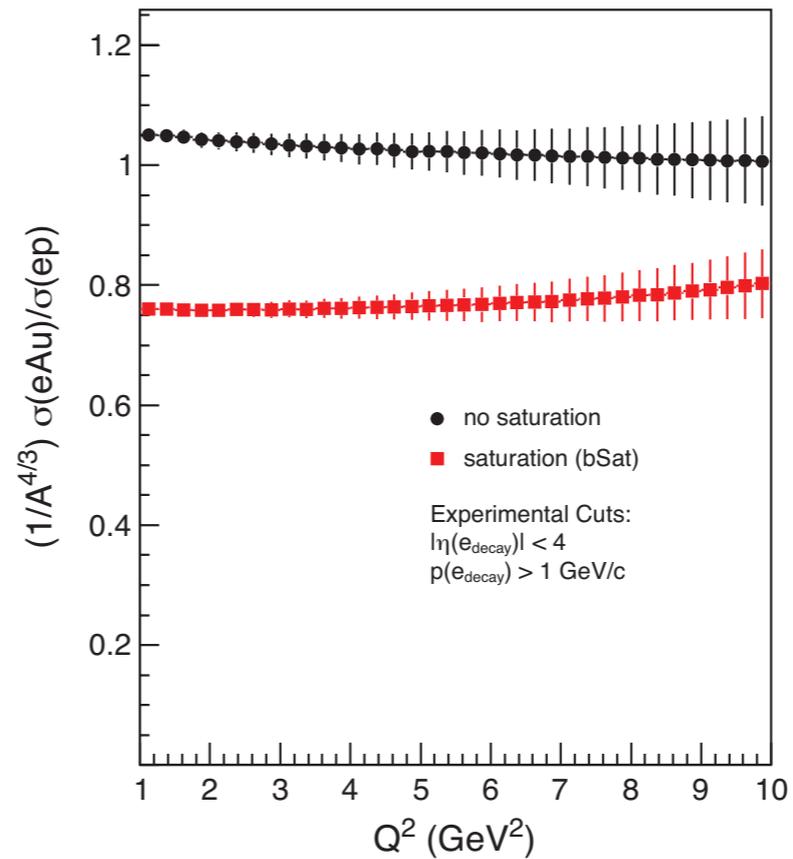
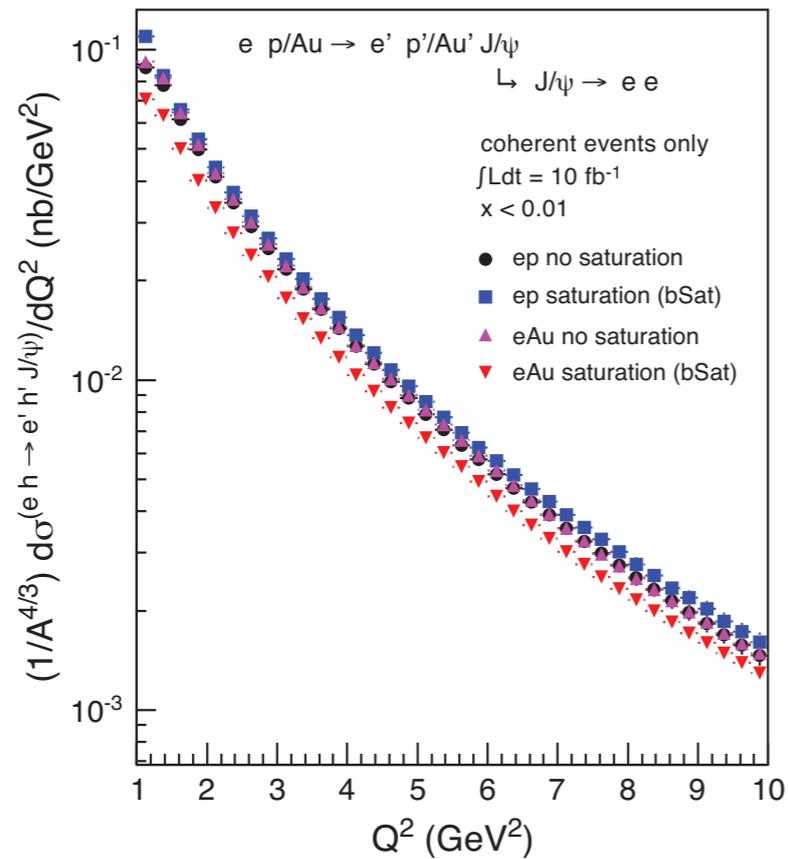
Dipole model with Glauber  
bSat and bNonSat

$$\frac{d\sigma_{q\bar{q}}}{d^2\mathbf{b}} = 2 \left[ 1 - \exp \left( -\frac{\pi^2}{2N_c} r^2 \alpha_s(\mu^2) x g(x, \mu^2) T(b) \right) \right] \frac{\pi^2}{N_c} r^2 \alpha_s(\mu^2) x g(x, \mu^2) \sum_{i=1}^A T(|\mathbf{b} - \mathbf{b}_i|)$$

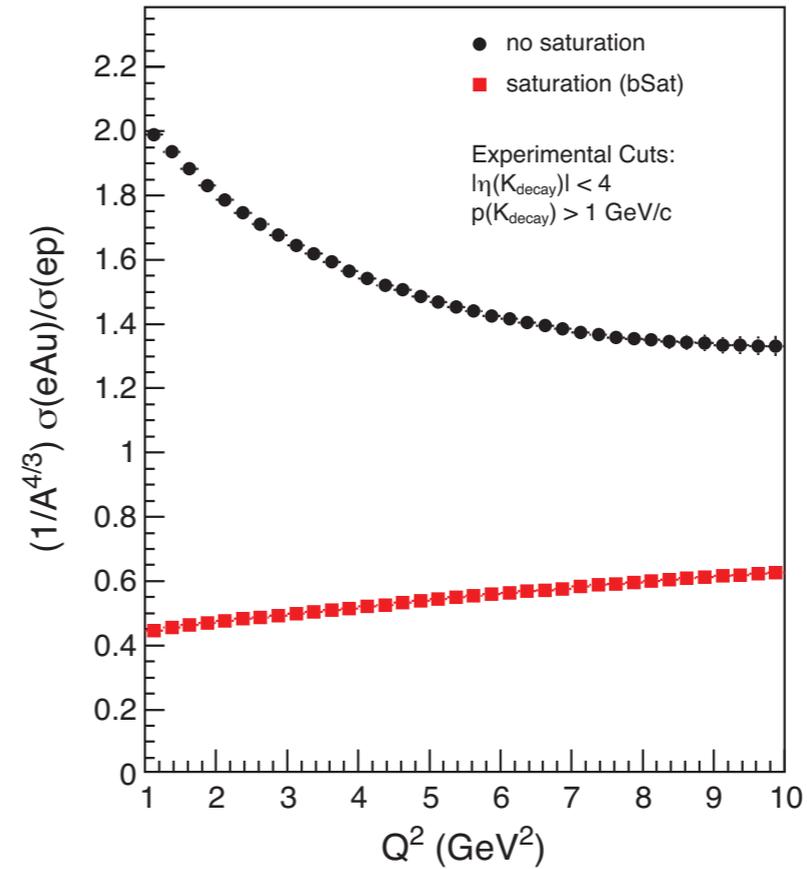
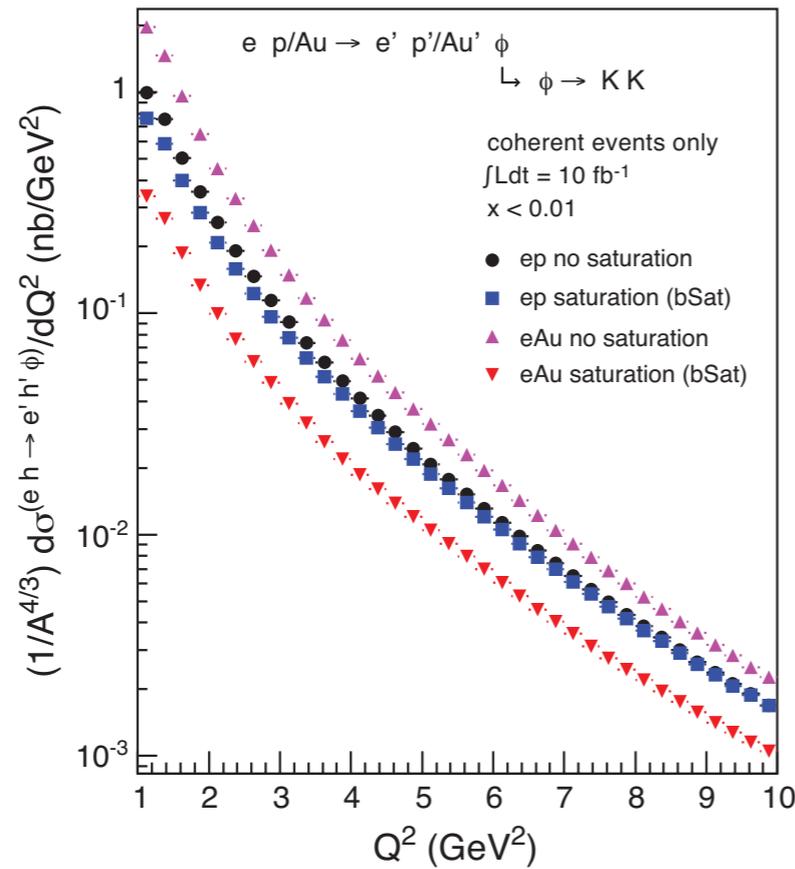
Glauber  
(Woods-Saxon)



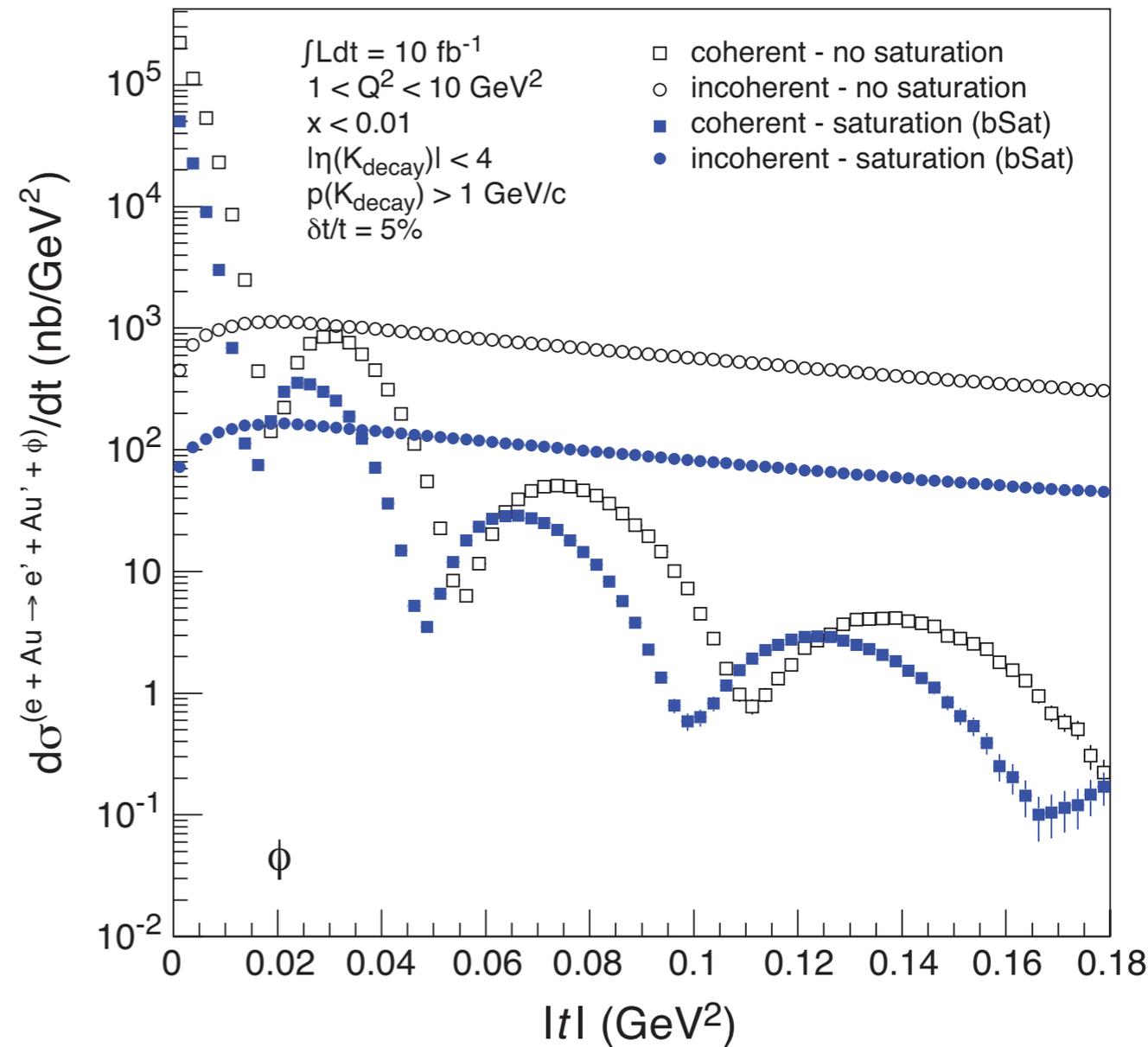
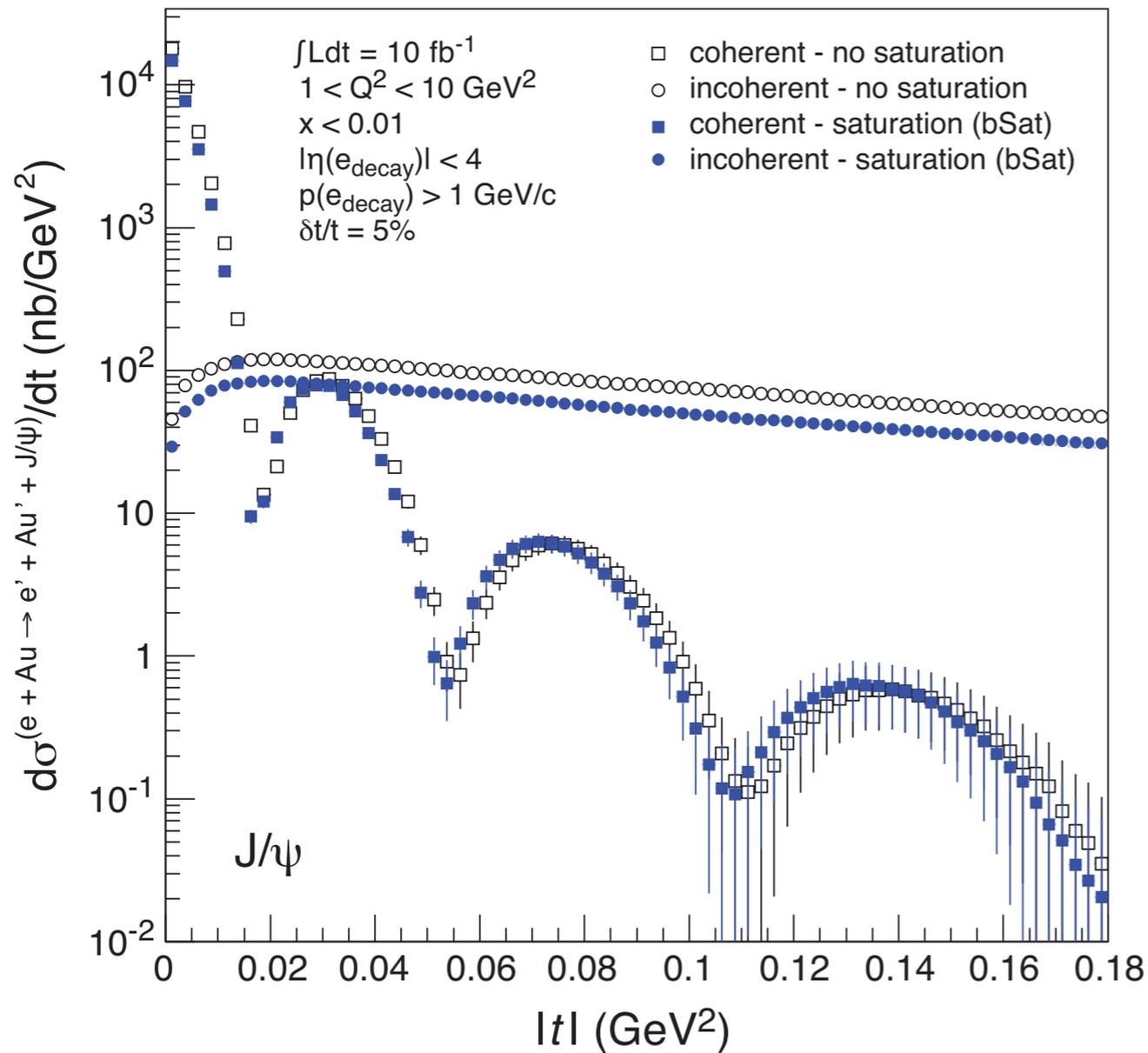
# eRHIC predictions: Exclusive diffraction Sartre



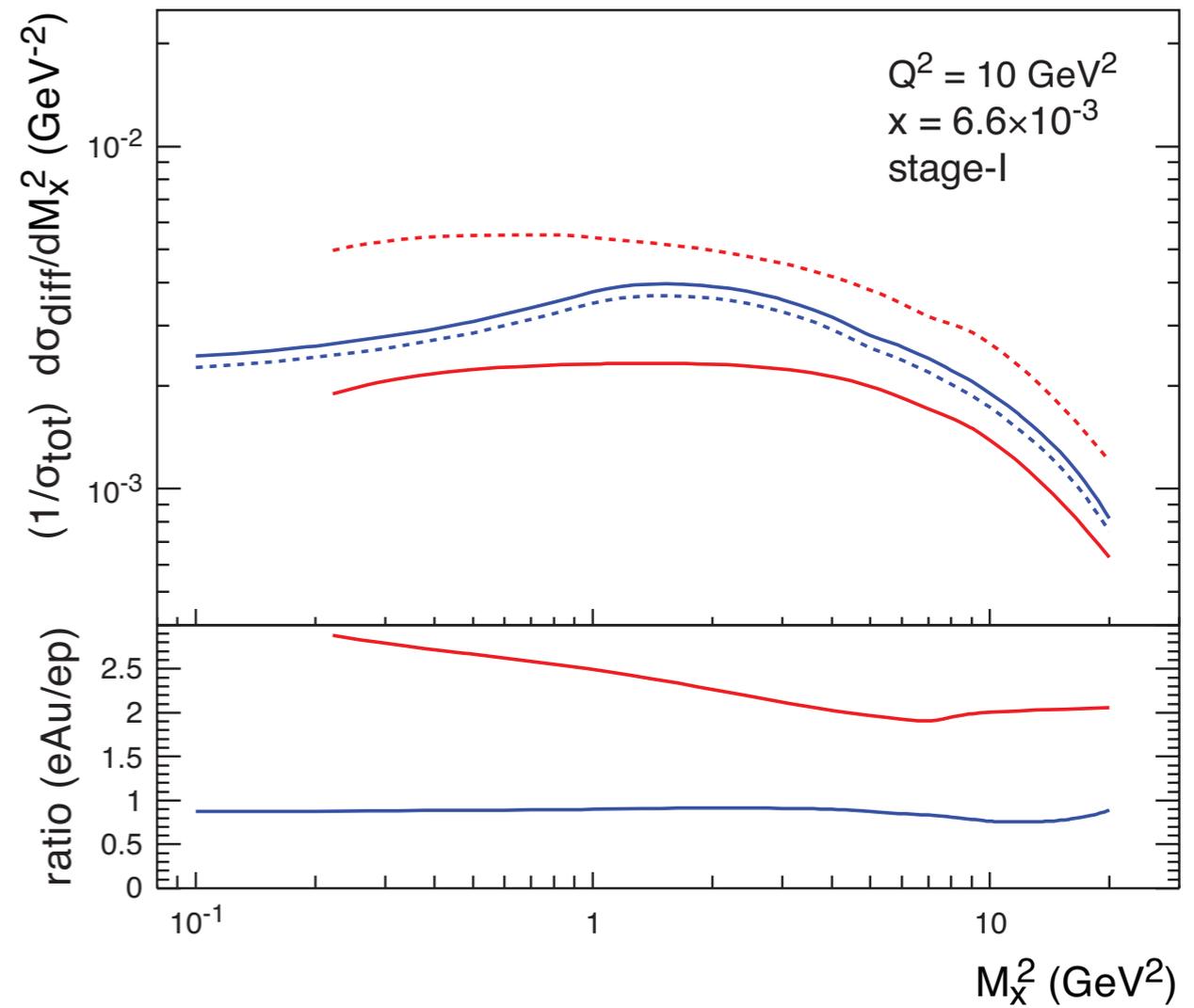
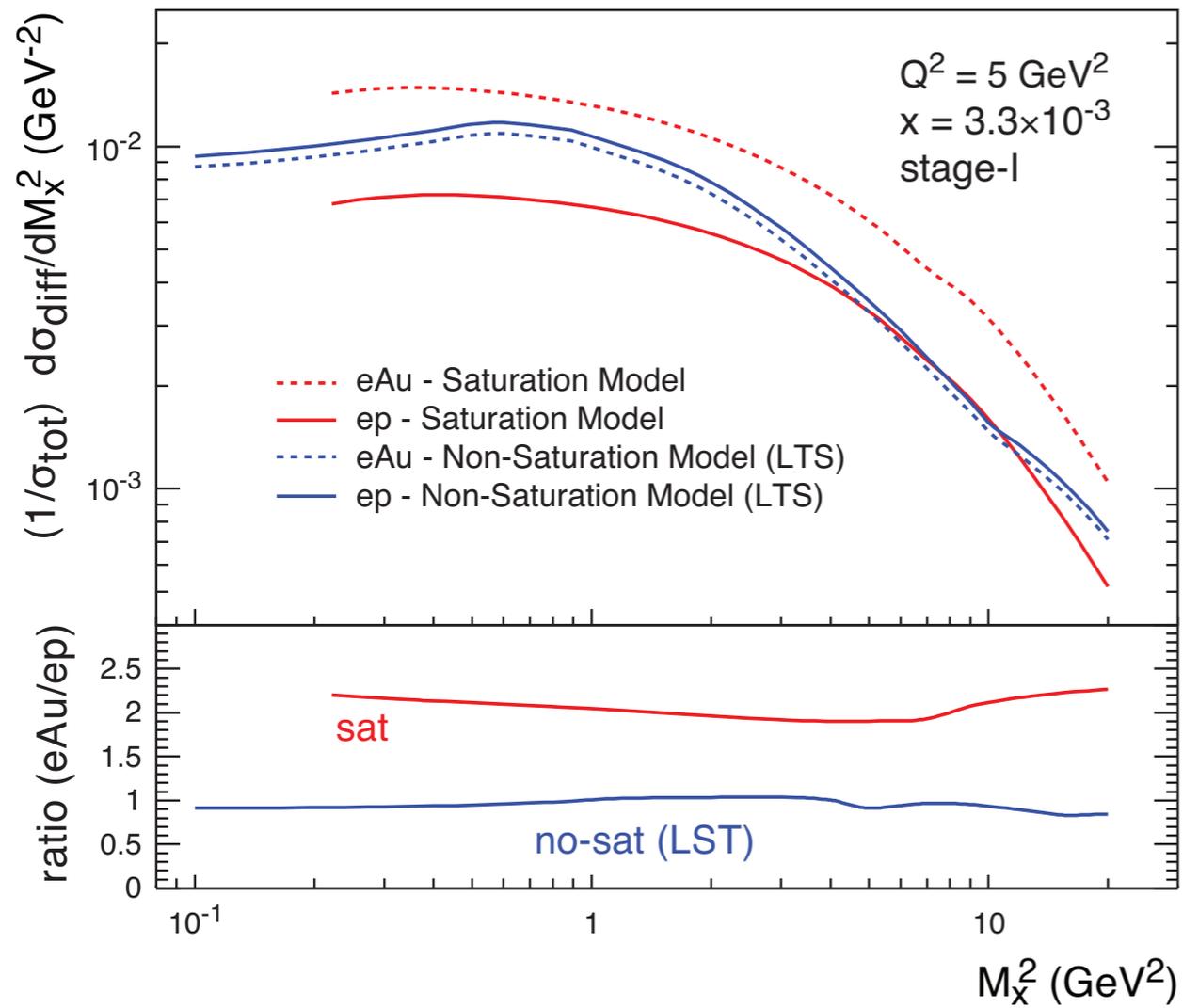
# eRHIC predictions: Exclusive diffraction Sartre



# eRHIC predictions: Exclusive diffraction Sartre

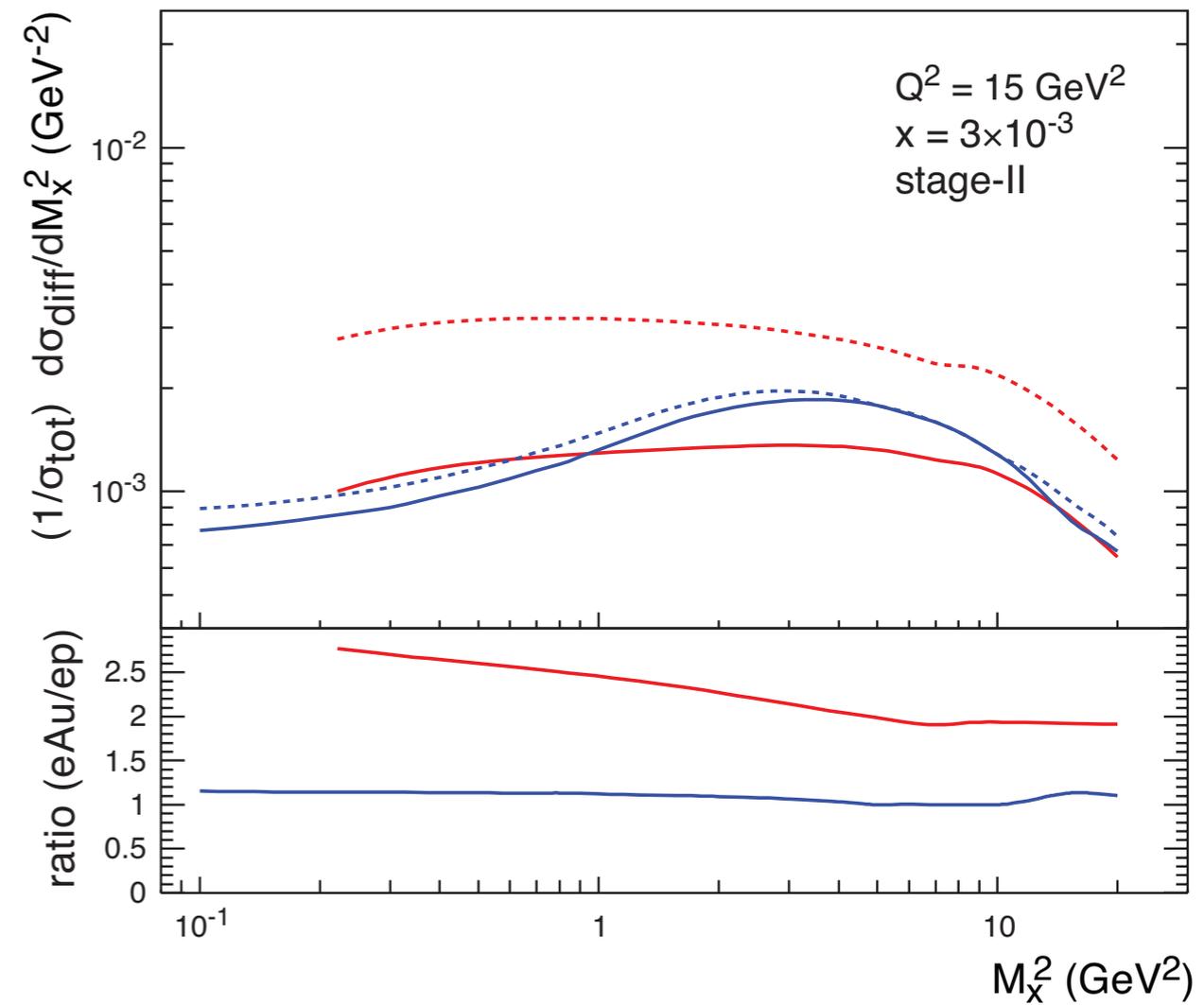
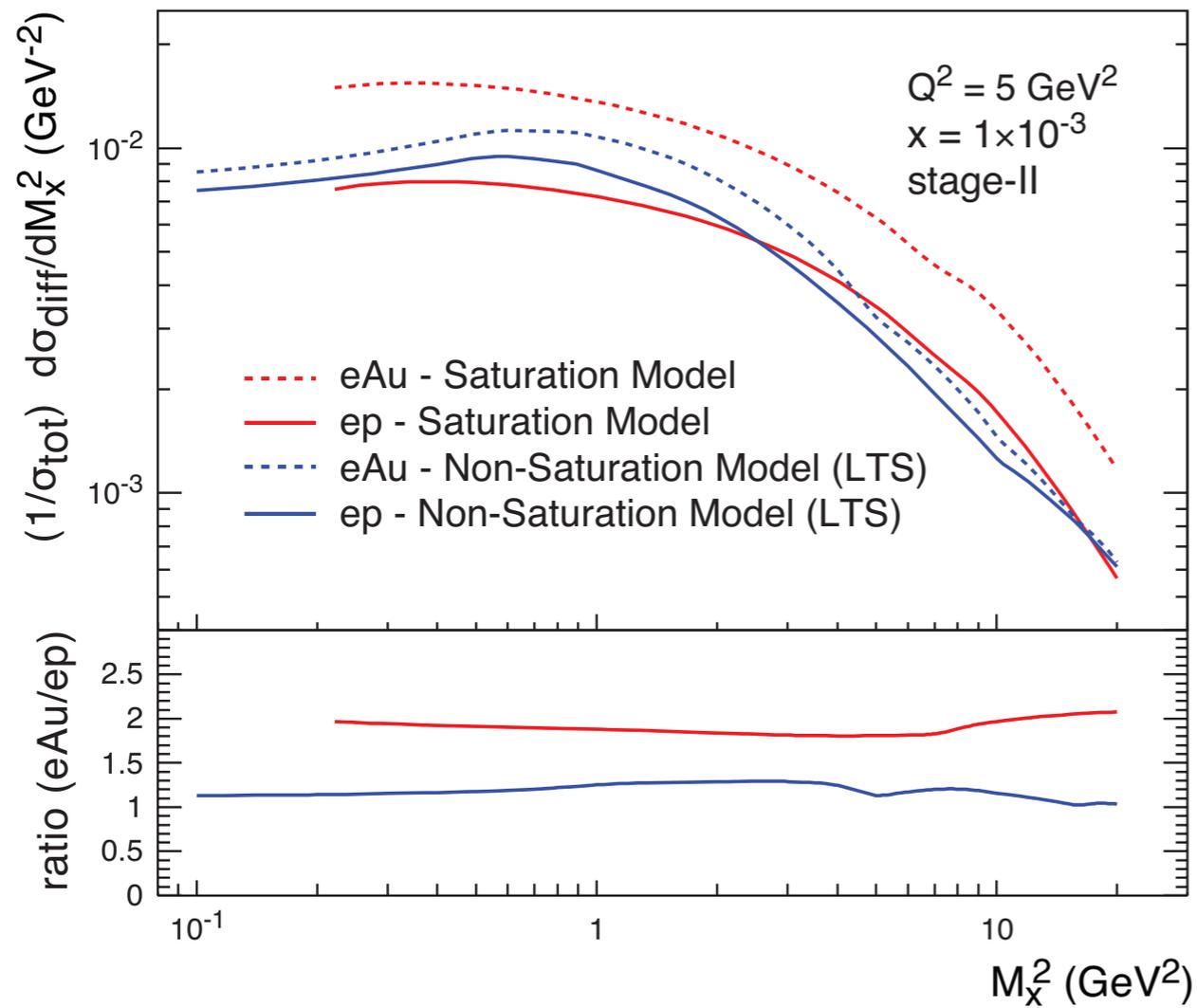


# eRHIC predictions: Inclusive diffraction



Stage I

# eRHIC predictions: Inclusive diffraction



Stage II

# Summary

To understand many properties at of heavy ion collision one must have a detailed understanding of the initial conditions of the ions.

eRHIC is a perfect environment to measure the initial condition at high precision.

eRHIC will open up a new regime for saturated QCD.

eRHIC is an ultra high resolution femtoscope!