

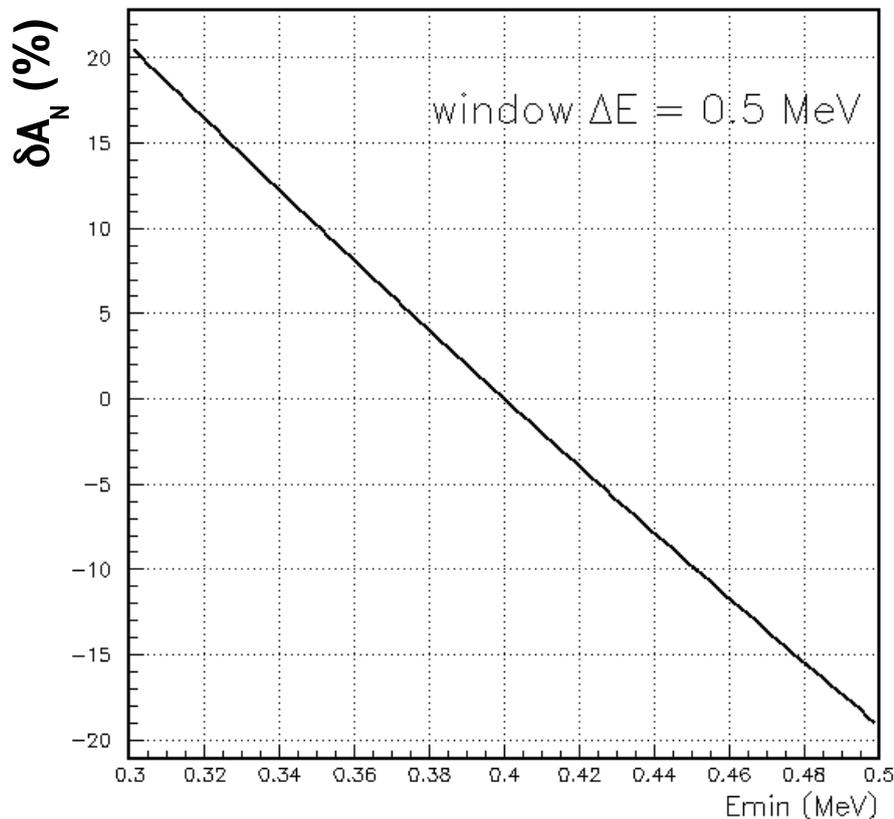
# Target orientation $\leftrightarrow$ effective $A_N$

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polar. mtg. 14.07.11

- Scattered  $^{12}\text{C}$  nuclei lose energy in  $^{12}\text{C}$  ribbon target enroute to Si detectors
- Measured  $E_{\text{meas}}$  down-shifted from scattered  $E_{\text{scat}}$
- If E-loss changes (e.g. different path-length through target  $\equiv L$ ), a given  $E_{\text{meas}}$  window corresponds to a different  $E_{\text{scat}}$  window, with different effective  $A_N$
- Path-length  $L$  changes as target orientation relative to detectors changes
- How big an effect on  $A_N$ ?  
 $\Rightarrow$  some rough estimates here

# Some numbers (1):

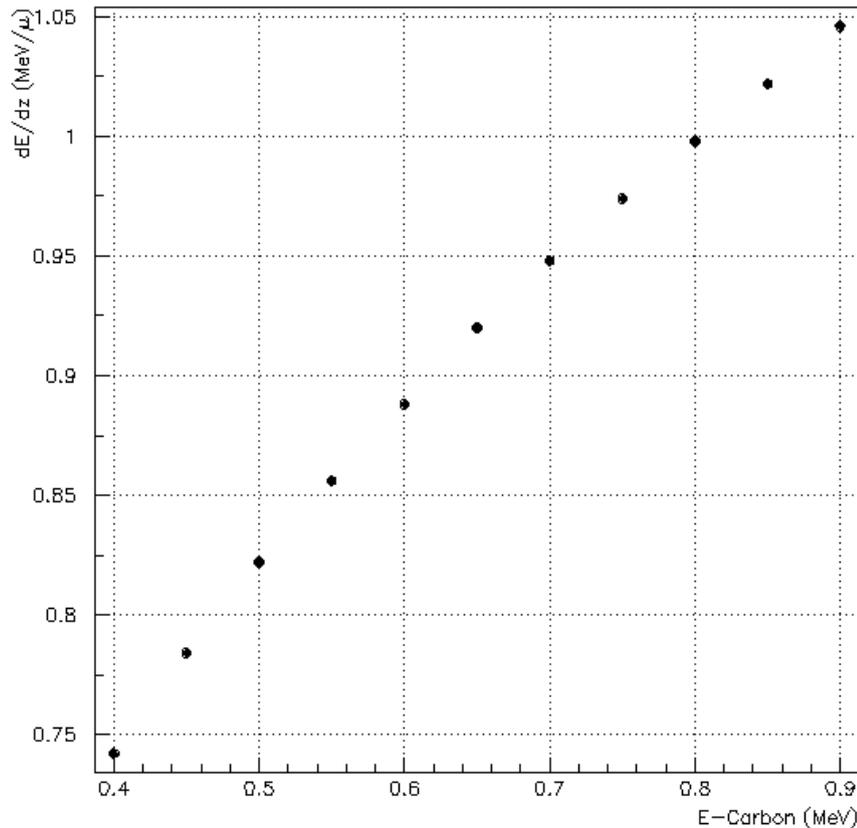
- We measure in window  $E_{\min} < E_{\text{meas}} < E_{\min} + \Delta E$   
nominal:  $E_{\min} = 0.4 \text{ MeV}$ ,  $\Delta E = 0.5 \text{ MeV}$
- From my slides 25.05.11, relative variation effective  $A_N$  vs.  $E_{\min}$ :



- Variation of  $E_{\min}$  by  $\delta E$   
 $\Rightarrow$  relative variation of  $A_N$  by  $\delta A_N$
- From the graph:  
 $\delta A_N = 1\% \cdot (\delta E / 5 \text{ keV})$

# Some numbers (2):

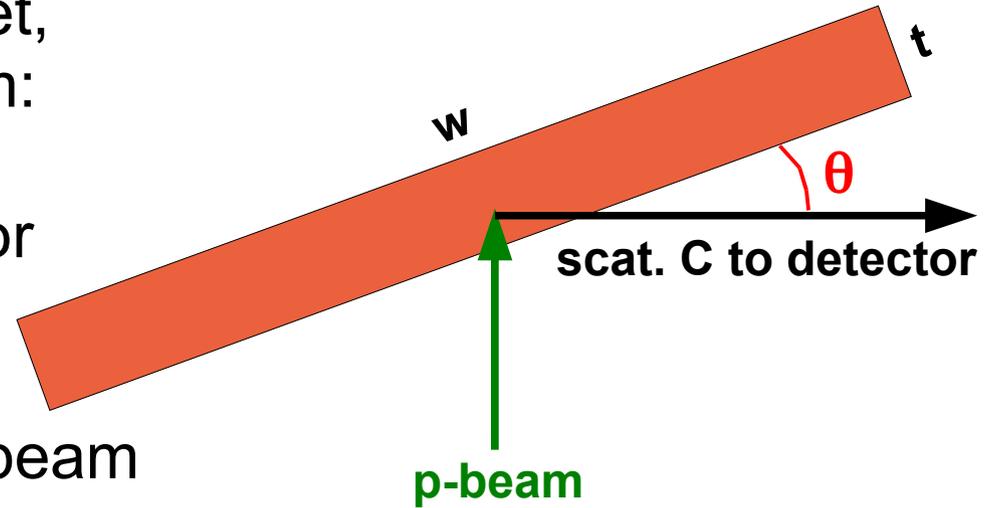
- C-C dE/dz from Santry, Werner paper (linked old CNlpol page) :



- In our C energy range:  
 $\delta E / \delta z \approx 1 \text{ MeV}/\mu = 1 \text{ keV}/\text{nm}$
- From previous slide:  
 $\delta A_N = 1\% \cdot (\delta E / 5 \text{ keV})$   
we have for  $\delta z = L$ :  
 $\delta A_N = 1\% \cdot (L / 5 \text{ nm})$
- **$A_N$  changes 1% for every 5 nm of path-length through target**

# Ribbon target geometry

- Top view of vertical ribbon target, width  $w \approx 7\mu$ , thickness  $t \approx 25\text{nm}$ :
  - Angle  $\theta$  flat w-side w.r.t. detector
  - Entire ribbon ( $w,t$ ) is bathed in beam (beam  $\sigma_{x,y} = 0.5\text{-}1\text{ mm}$ )
  - Mean path length:  $L = t / (2 \cdot \sin\theta)$
  - Consider effect on  $A_N$  as  $\theta$ , hence  $L$ , varies
  - Note: there is a spread of path lengths  $0 < L < t/\sin\theta$  with a spread of E-windows,  $A_N$  etc.
- 2<sup>nd</sup> order effect, focus on means for now



# $\theta \leftrightarrow$ effective $A_N$

## Taking:

- $t=25$  nm (nominal, worse for 2 $\times$ , 4 $\times$ )

- $\delta A_N = 1\% \cdot (L / 5 \text{ nm})$

- Relative shifts in  $A_N$  vs.  $\theta$ :

- e.g.  $\theta = 20^\circ \rightarrow 30^\circ$ ,  $\Delta A_N = 2\%$

$$\theta = 20^\circ \rightarrow 10^\circ, \Delta A_N = 7\%$$

- Singularity as  $\theta \rightarrow 0$  !

- Is our nominal orientation near  $\theta=0$ ? Dangerous...

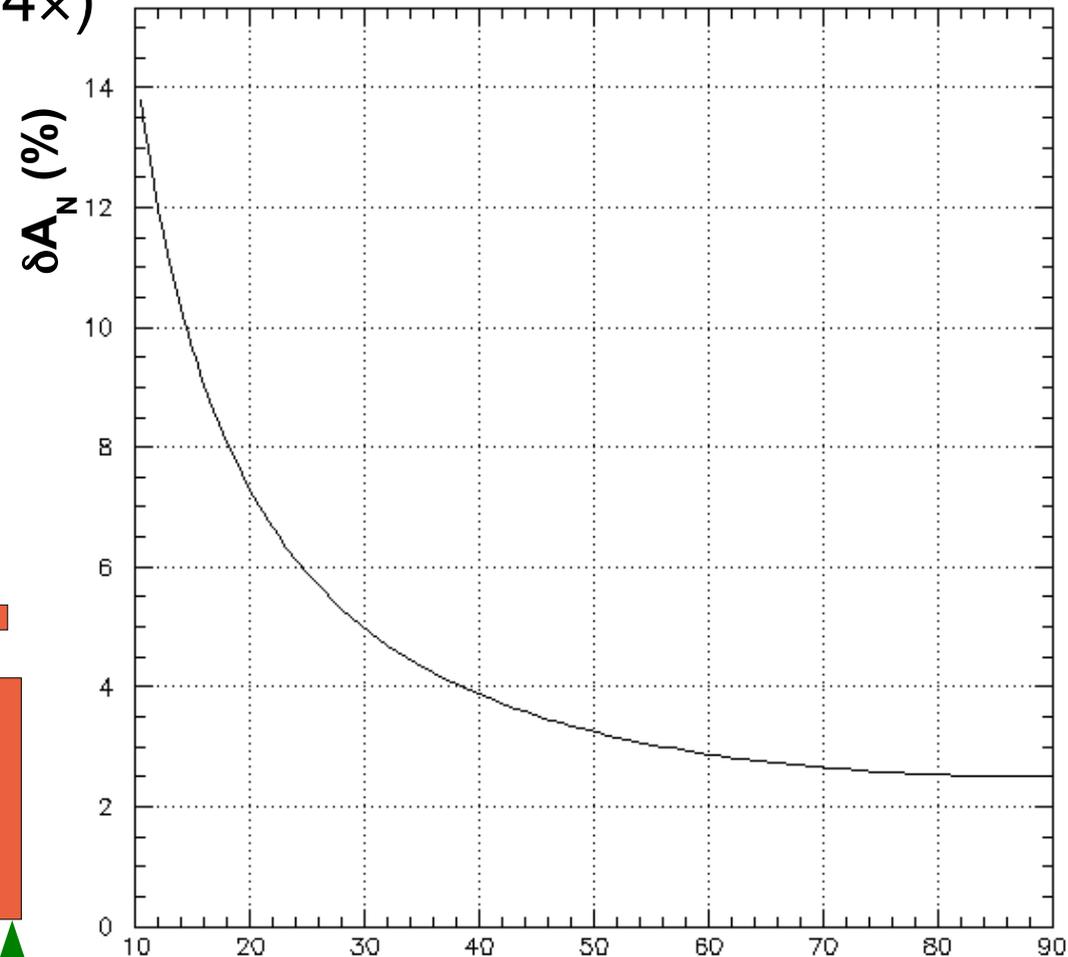
- Best is near  $\theta = 90^\circ$  :

- same rate (whole ribbon in beam)

- but beam in target E-loss via  $dE/dz \sim 300\times$  greater; tolerable?

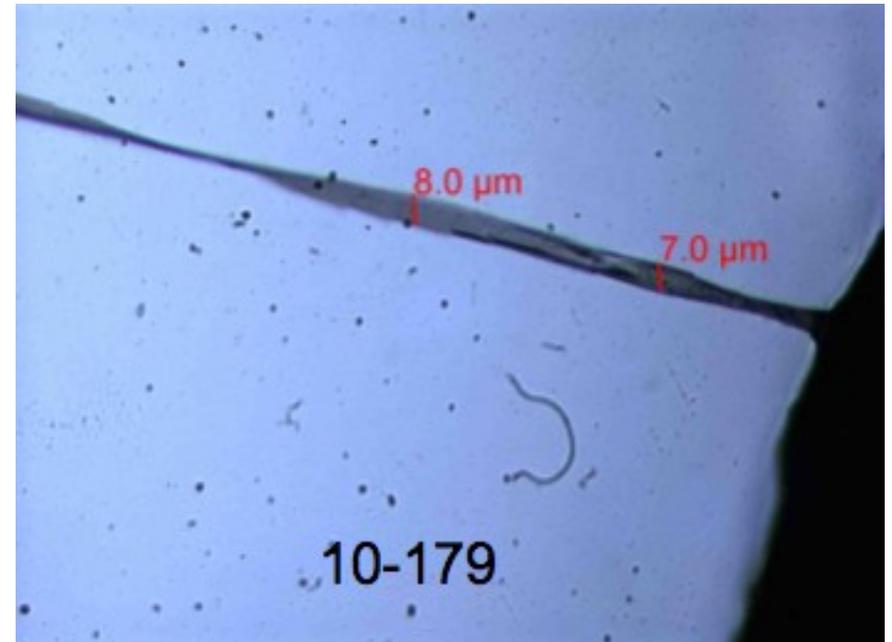
- increased beam  $p_T$  spread via multiple scattering in target

$\sim 20\times$  greater; tolerable?



# Control of orientation?

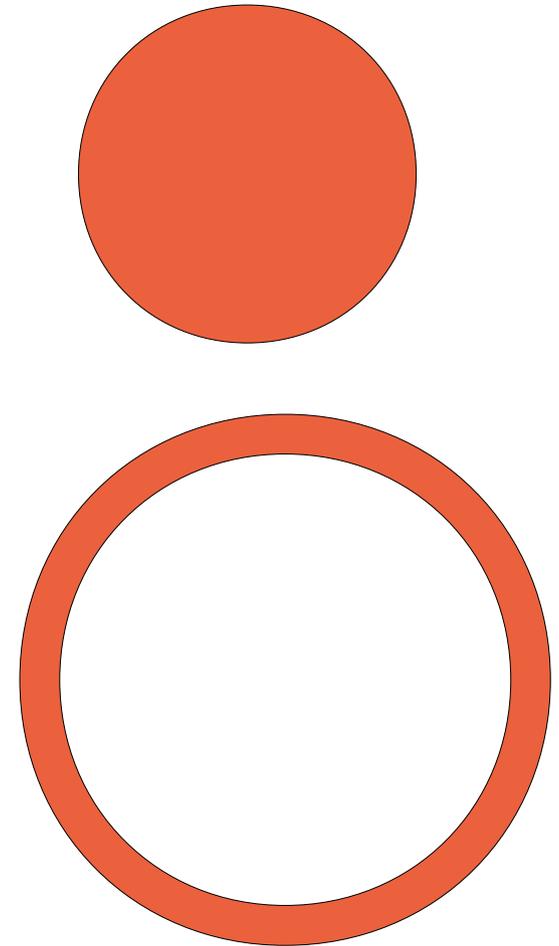
- But in reality we have little control over  $\theta$
- Example of twisted ribbon from Dannie's slides:
  - Length scale of twists  $\approx 150 \mu$
  - A few crossings of  $\theta=0^\circ$  divergence across beam 0.5-1 mm



- Loose ribbons swaying in the breeze: orientation ill-defined
- Perhaps consider alternatives to ribbon geometry...

# Alternate geometries?

- Circularly symmetric targets would have largely stable path-length to detectors
- E.g. a carbon wire:
  - To keep same rate as present ribbon would need diameter  $\sim 0.5 \mu$
  - But mean energy loss in target  $\sim 250$  keV
- Or a carbon tube (Dima):
  - Thinner walls, less energy loss
  - For same rate, increased diameter  $\leftrightarrow$  transverse position resolution
- Now we are starting to look like nanotubes
- To set the scale, present ribbons  $\sim 115$  C atoms thick
- ??????...



# Summary

- Scattered carbon path length through target en route to detectors is a sizable effect
- Varying targets, orientation instability could explain much of the instabilities in P measurements
- We should consider alternative geometries, technologies