

# Spin tilt @ pC polarimeters

W. Schmidke  
for the polarimetry group

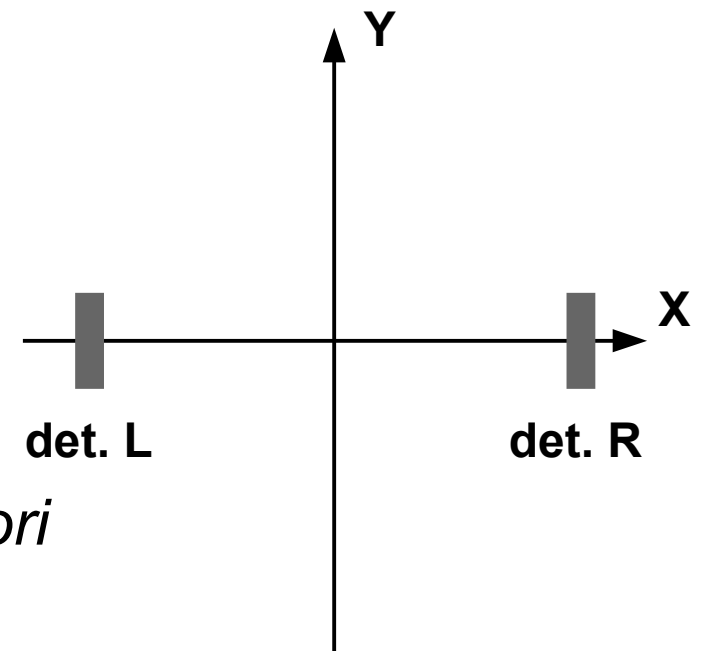
CAD spin mtg.  
25.02.15

- The instrumentation & measurement:
  - 2 detectors 'Square root formula' → 3 asymmetries:  
+/- beam current, L/R acceptance,  $P_{\perp}$  (along axis  $\perp$  detectors)
  - pC polarimeters, 3 pairs detectors:  
cross checks → systematics negligible  
stat. uncert. dominates
- Spin tilt @ pC polarimeters: Run13 255 GeV
- Question: Spin tilt @ IP12 (H-jet polarimeter) ???

# Square root (cross ratio) formula

- Pair of detectors (L,R), 180° apart:  
different detector acceptances  $a_L, a_R$
- Exposed to up/down beam spins +,-:  
different up/down luminosities  $L_+, L_-$
- Beam polarization along Y-axis  $P_Y$ :

physics asymmetry  $\epsilon = A_N P_Y$   
 proportionality const.  $A_N$  not known *a priori*



- Measure 4 event counts:

$$\text{beam up: } N_{R+} = a_R L_+ (1+\epsilon) \quad N_{L+} = a_L L_+ (1-\epsilon)$$

$$\text{beam down: } N_{R-} = a_R L_- (1-\epsilon) \quad N_{L-} = a_L L_- (1+\epsilon)$$

- Extract 3 asymmetries (& statistical uncertainties):

- physics asym.  $\epsilon = A_N P_Y$  e.g.  $\epsilon = (\sqrt{N_{R+} N_{L-}} - \sqrt{N_{L+} N_{R-}}) / (\sqrt{N_{R+} N_{L-}} + \sqrt{N_{L+} N_{R-}})$

- luminosity (beam current) asym.  $\lambda \equiv (L_+ - L_-) / (L_+ + L_-)$

- acceptance asym.  $\alpha \equiv (a_R - a_L) / (a_R + a_L)$

# pC polarim.: 3 detector pairs

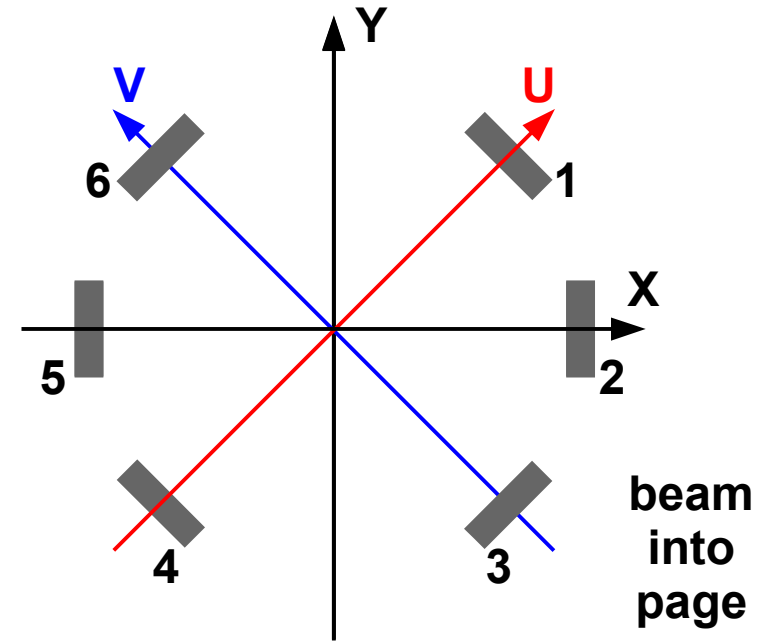
- 3 180° detector pairs, det. 1+4, 2+5, 3+6:

- Measure 3 sets of asymmetries:

$$\epsilon_{25} = A_N P_Y, \lambda_{25}, \alpha_{25}$$

$$\epsilon_{14} = A_N P_V, \lambda_{14}, \alpha_{14}$$

$$\epsilon_{36} = A_N P_U, \lambda_{36}, \alpha_{36}$$



## Cross checks:

- All detector pairs measure same beam, lumi asym.  $\lambda$   
compare  $\lambda_{14}, \lambda_{25}, \lambda_{36}$ : agree within stat. uncert. (↘ extra slide)
- All detector pairs measure same beam, polarization vector P  
two measures of  $\epsilon_Y = A_N P_Y$ , using  $P_Y = 1/\sqrt{2}(P_V + P_U)$ 
  - from 90° det. 2+5:  $\epsilon_{Y90} = \epsilon_{25}$  (vertical targets only)
  - from 45° det. 1+4, 3+6:  $\epsilon_{Y45} = 1/\sqrt{2}(\epsilon_{14} + \epsilon_{36})$
  - compare  $\epsilon_{Y90}, \epsilon_{Y45}$ : agree within stat. uncert. (↘ extra slide)

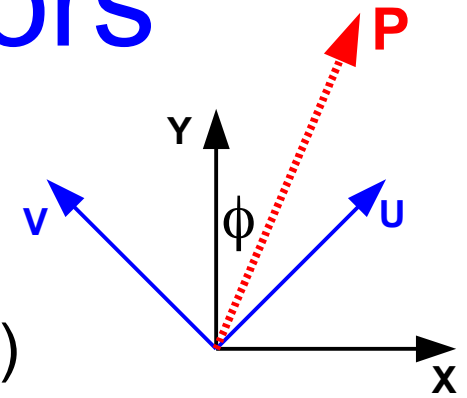
Also:  $A_N$  ~same all detector pairs

# $\tan\phi$ from $45^\circ$ detectors

- Using  $45^\circ$  detectors (simpler) measure  $P_X, P_Y$  and spin tilt from vertical  $\phi$ :

$$\tan\phi = P_X/P_Y = (P_U - P_V)/(P_U + P_V) = (\epsilon_{36} - \epsilon_{14})/(\epsilon_{36} + \epsilon_{14})$$

*independent of scale of  $A_N$*

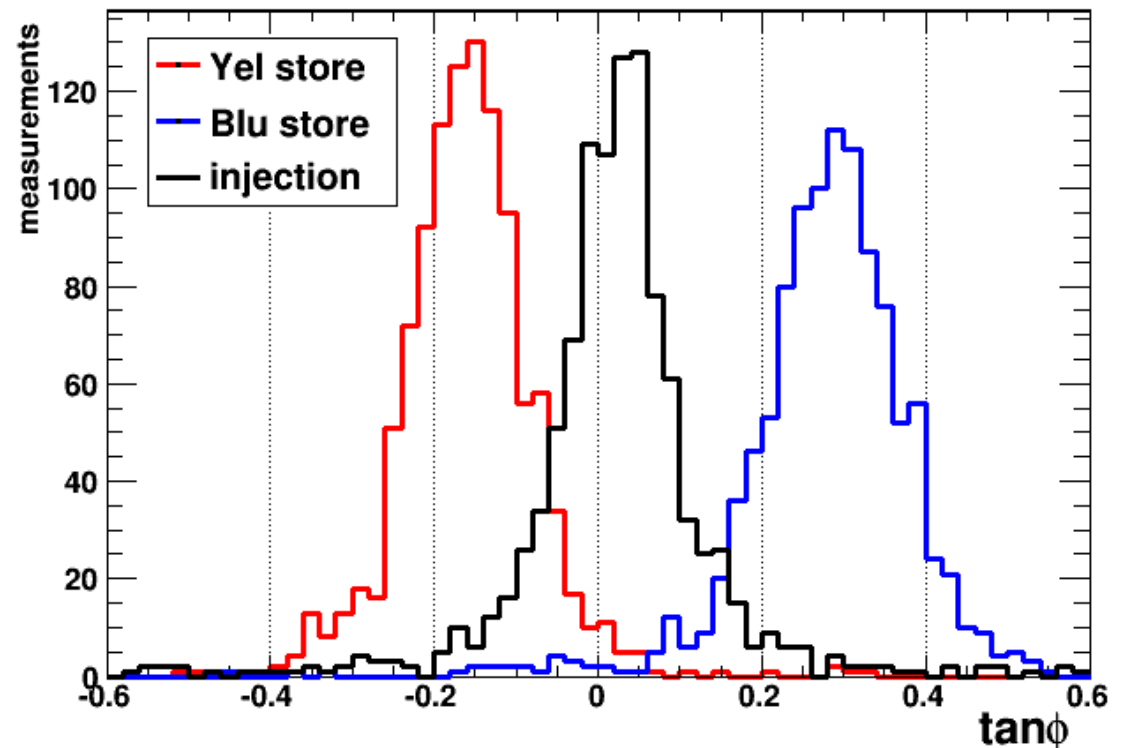


Run13 255 GeV:

- ~1100 measurements each:
  - Blu/Yel @ injection
  - Blu @ store
  - Yel @ store

Results:

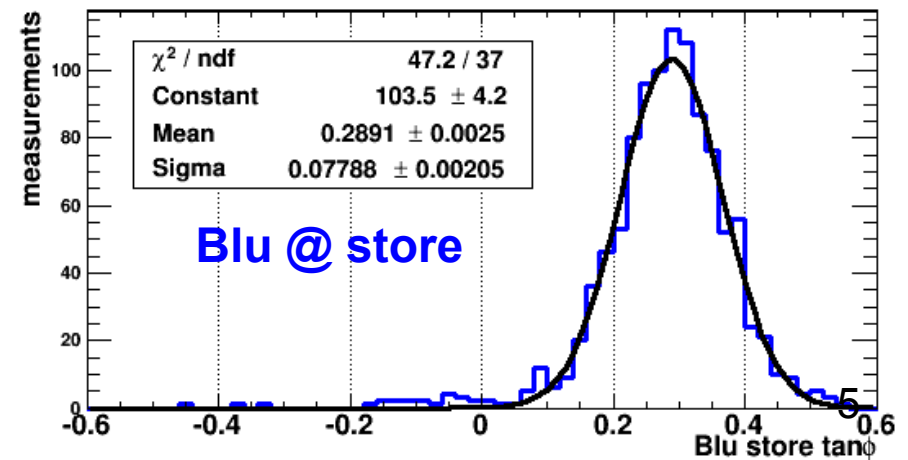
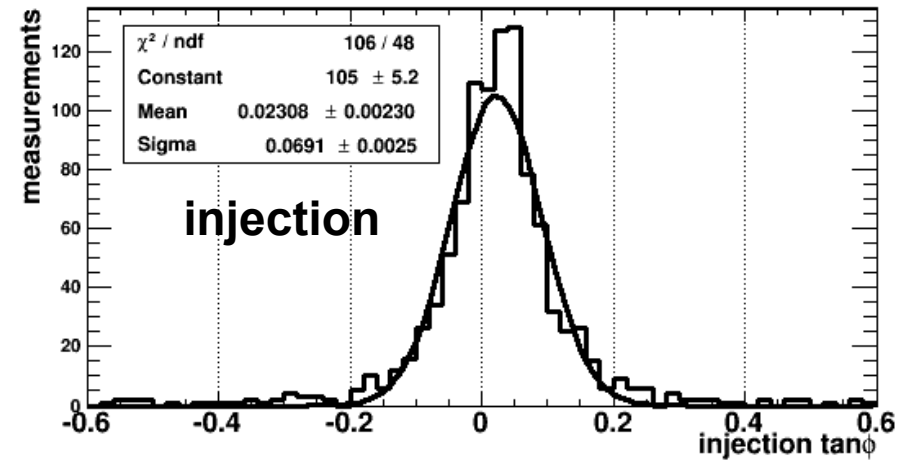
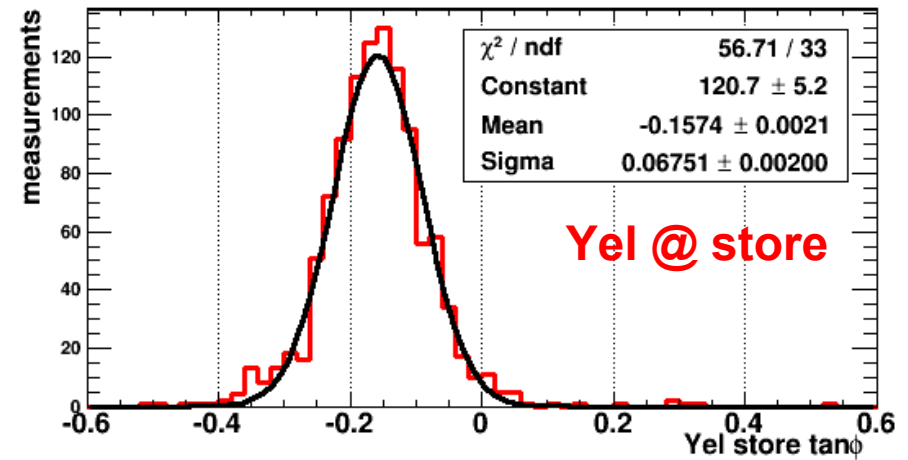
- Very clear:
  - @ injection  $\tan\phi \sim 0$
  - @ store  $\tan\phi > 0$  (Blu)
  - $\tan\phi < 0$  (Yel)



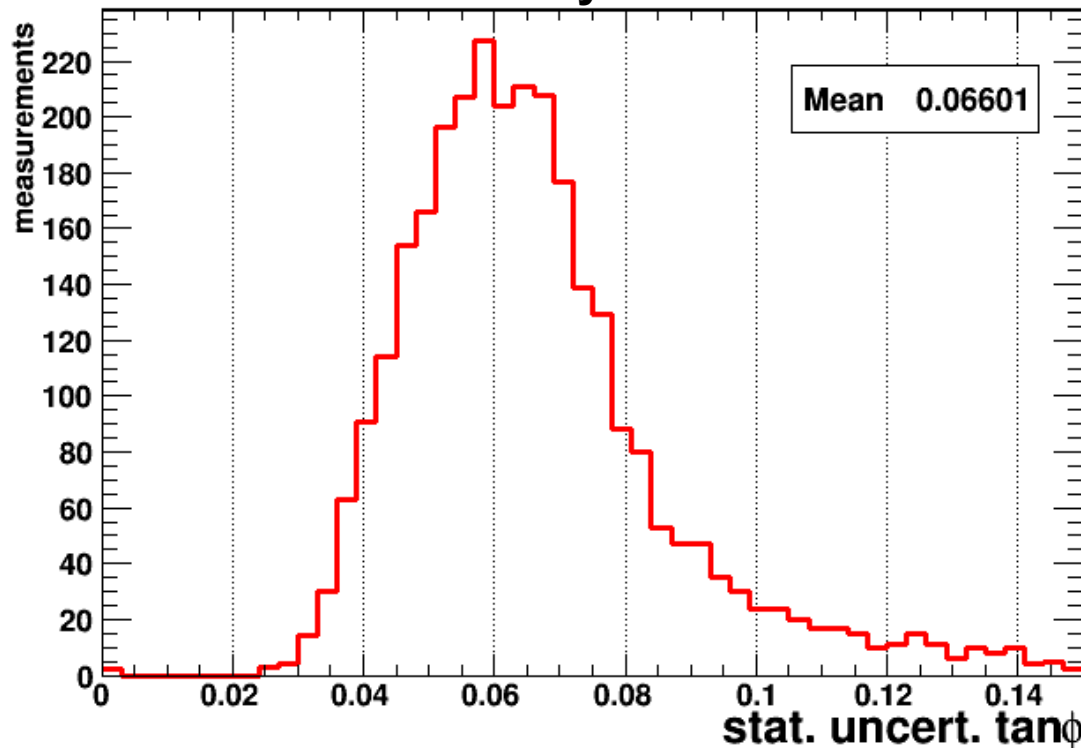
# tan $\phi$ fits

- Fit tan $\phi$  distributions to gaussians
- RMS fit  $\sim 0.07$
- Statistical uncertainty each measurement  $\sim 0.07$

$\Rightarrow$  Widths of tan $\phi$  distributions due to statistical fluctuations

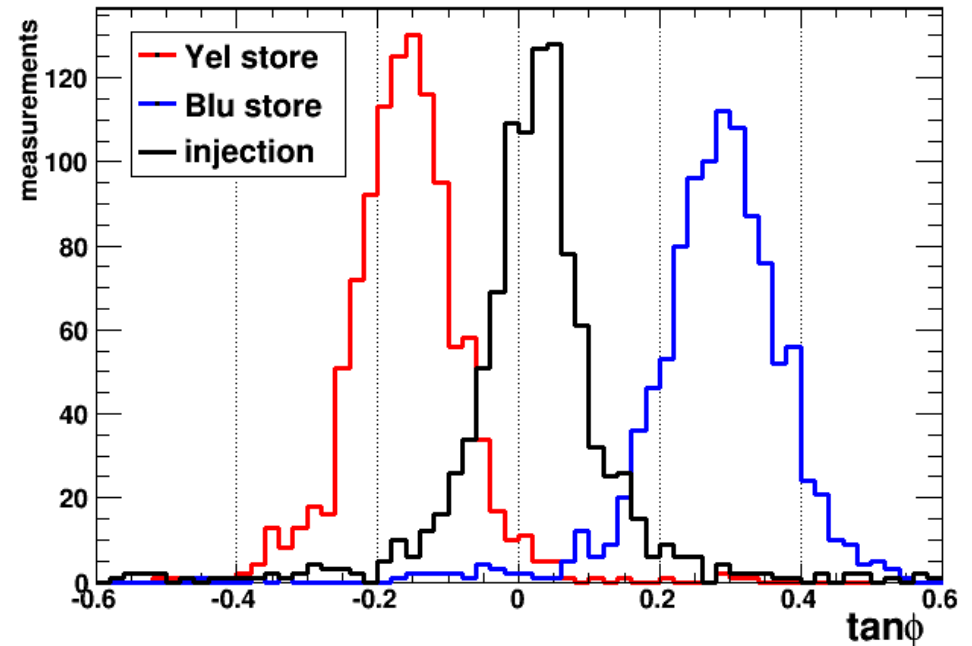


statistical uncertainty each measurement



# $\tan\phi$ @ pC polarimeter

- Widths due to stat. fluctuations, take central values:
  - injection:  $\tan\phi = 0.02$   $\phi = +1^\circ$
  - Blu @ store:  $\tan\phi = 0.29$   $\phi = +16^\circ$
  - Yel @ store:  $\tan\phi = -0.16$   $\phi = -9^\circ$
- In geographical coordinates:
  - @ pC polarimeter
  - @ store both Blu and Yel spin vectors  
*tilted toward RHIC ring center*



## Recall:

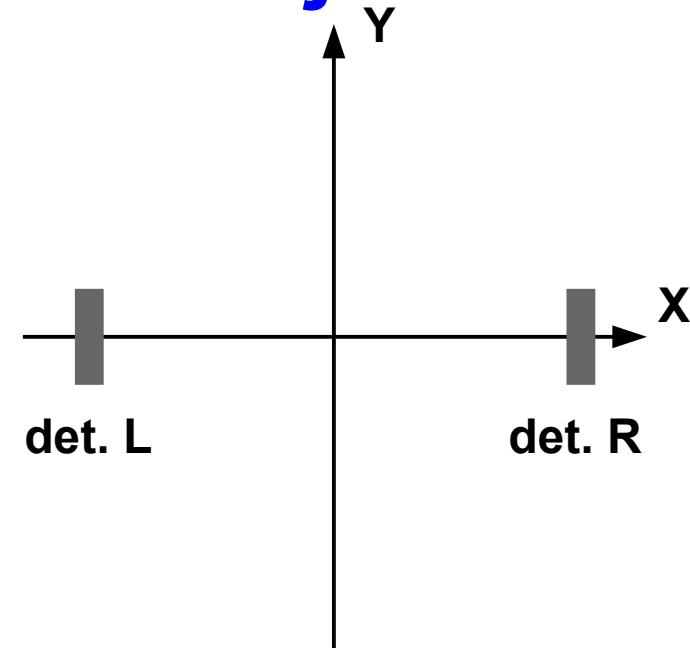
- pC polarimeter  $\sim 100\text{m}$  clockwise from IP12  
Blu beam heading out from IP12, Yel beam heading in to IP12

## Question (not academic):

- What is spin tilt @ IP12???

# Spin vector tilt @ IP12 = H-jet?

- H-jet polarimeter is at IP12:  
has only  $90^\circ$  horizontal detectors,  
measures  $\epsilon_Y \propto P_Y$
- The H-jet measurements normalize  
scale of pC measurements (determine pC  $A_N$ )
- To date we have assumed H-jet  
measures polarization magnitude  $|P|$
- If there is a spin tilt  $\phi \neq 0$  @ IP12 we have  
a  $|P|$  scale shift of  $\cos\phi$   
e.g. Yel @ store:  $\phi = -9^\circ$      $\cos\phi = 0.99$     1% scale shift  
    Blu @ store:  $\phi = +16^\circ$      $\cos\phi = 0.96$     **4% scale shift**
- A 4% shift is significant,  
need to account for in polarization measurements...



**Extras**



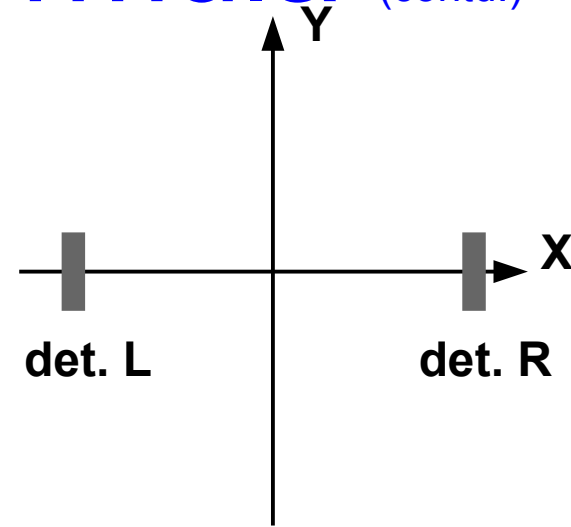
# Square root (cross ratio) formula (contd.)

- 4 event counts:  $N_{R+} = a_R L_+(1+\epsilon)$      $N_{L+} = a_L L_+(1-\epsilon)$   
 $N_{R-} = a_R L_-(1-\epsilon)$      $N_{L-} = a_L L_-(1+\epsilon)$

- Cross ratio asymmetries:

e.g.  $\epsilon = (\sqrt{N_{R+} N_{L-}} - \sqrt{N_{L+} N_{R-}}) / (\sqrt{N_{R+} N_{L-}} + \sqrt{N_{L+} N_{R-}})$

are exact under some assumptions about  $N_{R+}$ ,  $N_{L+}$  etc.



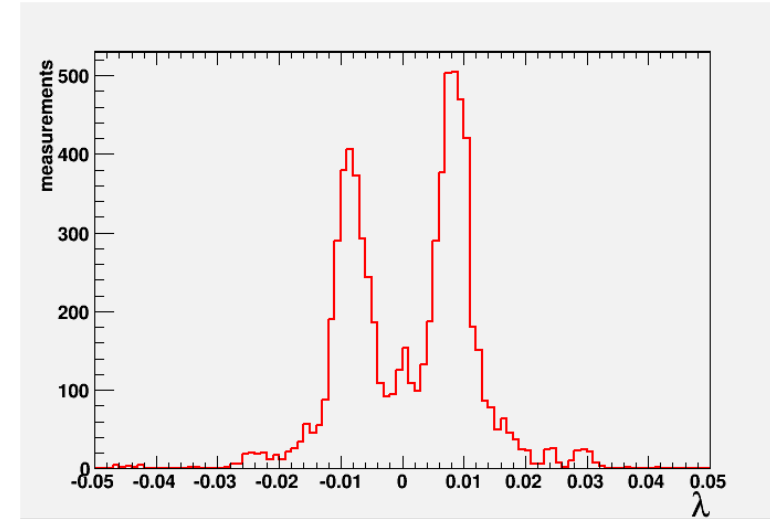
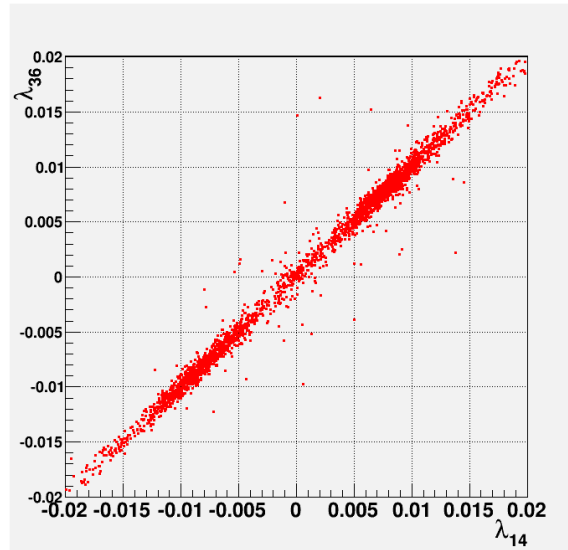
## Assumptions:

- Detector acceptances  $a_L, a_R$  are same for +/- beam spin states;
  - detector geometry  $(\theta, \phi) \sim$ fixed
  - +/- spin bunches separated by 100's nanoseconds; fair assumption
- Detectors are 180° apart;  $\sim$ fixed by scattering chamber design
- +/- bunches same magnitude polarization:  $|P_+| = |P_-|$ 
  - to 1<sup>st</sup> order:  $\epsilon = \frac{1}{2}(|P_+| + |P_-|) A_N$  (mean of P magnitudes)
- Detectors have same analyzing power  $A_N$ 
  - varying calibrations, target  $\Rightarrow$  varying  $E_{\text{carbon}}$  ranges  $\Rightarrow$  varying  $A_N$
  - to 1<sup>st</sup> order:  $\epsilon = \frac{1}{2}(A_{NR} + A_{NL})P$  (mean of detector  $A_N$ 's)
  - luminosity asym.  $\lambda$  unchanged to 1<sup>st</sup> order
  - **least certain assumption, test  $A_N \propto \epsilon$  with cross checks**

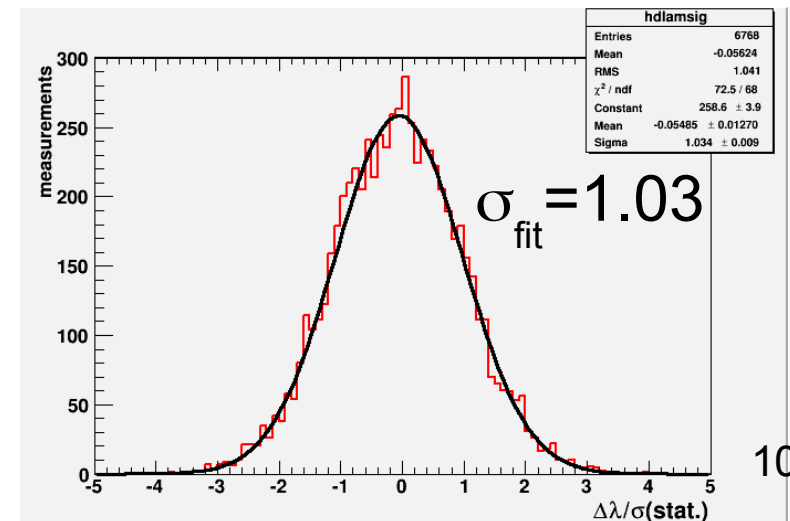
# Luminosity asymmetries $\lambda$

- Lumi asyms.  $\lambda \sim \pm 1\%$   
typically 111 bunches,  
one extra  $\pm$  bunch

- $\lambda$  from different detector pairs track each other, here e.g.  $\lambda_{36}$  vs.  $\lambda_{14}$ :

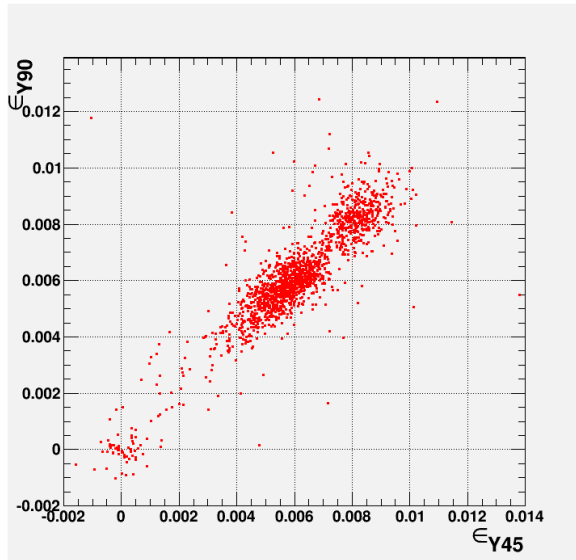


- Plot  $(\lambda_A - \lambda_B)/\sigma(\text{stat})$
- Unit gaussian: no significant systematic, square root formula works
- Good measure of  $\lambda$  for experiments?

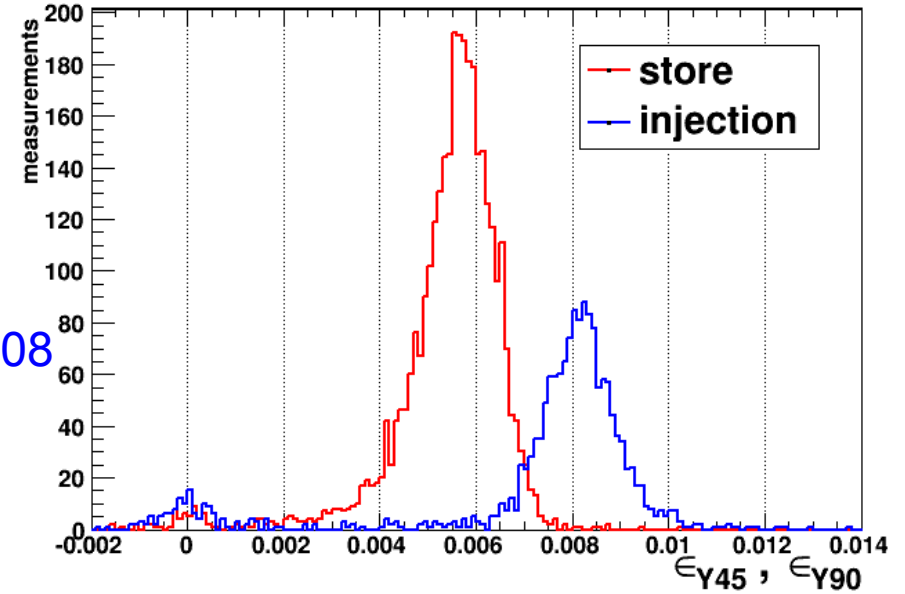


# $\epsilon_Y$ from $90^\circ$ , $45^\circ$ detectors

- Independently measure  $\epsilon_Y$  with  $90^\circ, 45^\circ$  detectors (vertical targets only):
- $\epsilon_{Y90}$ ,  $\epsilon_{Y45}$  nicely correlated:



store  $\epsilon_Y \sim 0.006$   
injection  $\epsilon_Y \sim 0.008$



- Distribution  $(\epsilon_{Y90} - \epsilon_{Y45}) / \sigma(\text{stat})$ , unit gaussian:
- $\sigma_{\text{fit}} = (1 \oplus \sigma_{\text{syst}} / \sigma_{\text{stat}})$ ,  $\sigma_{\text{syst}}(\epsilon_Y) \ll \sigma_{\text{stat}}(\epsilon_Y)$
- The variations we see in  $\epsilon_{Y90}$ ,  $\epsilon_{Y45}$  are statistical, no indication systematic variations

