

# ***Systematic errors in HJET measurements***

# Corrections to the “square root formula”

$$\begin{aligned}
 P\delta A_N &= P \frac{\delta A_N^{(L)} + \delta A_N^{(R)}}{2} + \frac{\delta\epsilon_L - \delta\epsilon_R}{2} \\
 \delta\lambda &= P \frac{\delta A_N^{(L)} - \delta A_N^{(R)}}{2} + \frac{\delta\epsilon_L + \delta\epsilon_R}{2} \\
 \delta\epsilon &= \delta P A_N
 \end{aligned}$$

- $\lambda$  and  $\epsilon$  are luminosity and acceptance asymmetries, respectively
- $P = \frac{P^+ + P^-}{2}$ ,  $\delta P = \frac{P^+ - P^-}{2}$

At this, first order, approximation the only sources of systematic errors are uncontrollable variations of analyzing power (due to background and systematic error in energy calibration)

$$\delta A_N^{(L,R)} = \left\langle A_N^{(\text{eff})} - A_N \right\rangle_T = \left\langle \frac{b}{1+b} \left( A_N^{(\text{bgr})} - A_N \right) - 2m_p \frac{dA_N(t)}{dt} \delta T \right\rangle_T \quad t = -2m_p T$$

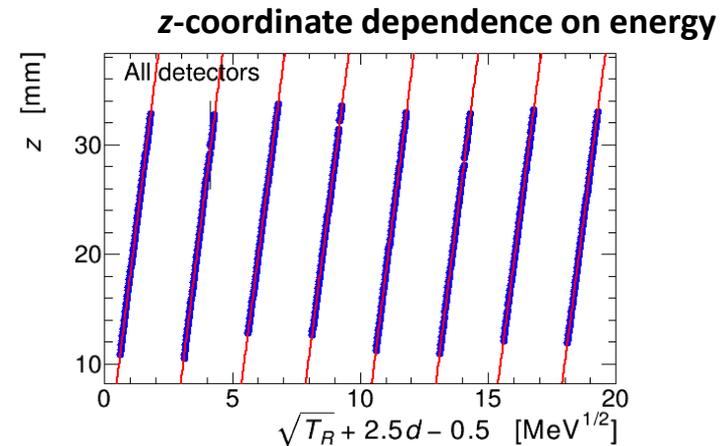
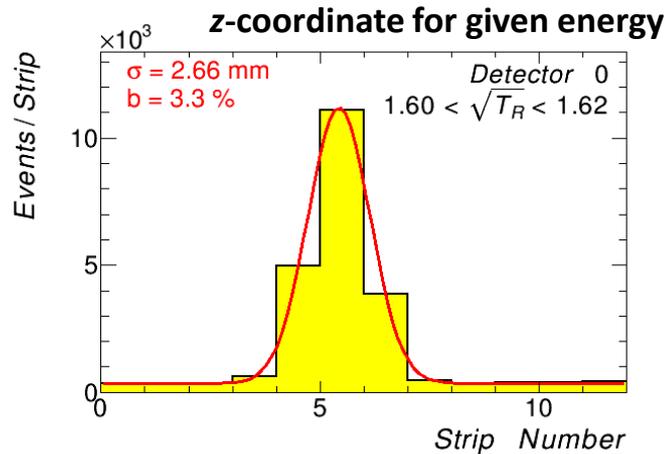
and acceptance  $\Omega$  dependence on polarization (for the Jet asymmetry only)

$$\delta\epsilon_{L,R} = \frac{2(\Omega_{L,R}^+ - \Omega_{L,R}^-)}{\Omega_L^+ + \Omega_L^- + \Omega_R^+ + \Omega_R^-}$$

**The measured luminosity asymmetry  $\lambda$  has to be independent on recoil proton energy  $T$ . In some cases, the inspection of  $\lambda(T)$  allows us to evaluate systematic error in physics asymmetry  $PA_N(T)$  measurement. If only one of 4 perturbations  $\delta A_N^{(L,R)}$ ,  $\delta\epsilon_{L,R}$  is non-zero then there is strict correlation between systematic errors  $P\delta A_N = \pm\delta\epsilon$ .**

# Verification of the calibration using recoil protons from elastic scattering:

$$\langle z_{det} - z_{jet} \rangle = \kappa \sqrt{T_R}, \quad \kappa = 18 \text{ mm/MeV}^{1/2}$$



A discrepancy is being observed:

$$\delta \sqrt{T_R} \approx 0.035 + 0.009 \sqrt{T_R} \quad \longrightarrow \quad \langle \Delta T / T \rangle \approx 3\% \quad \text{and} \quad \langle \Delta T \rangle = 180 \text{ keV}$$

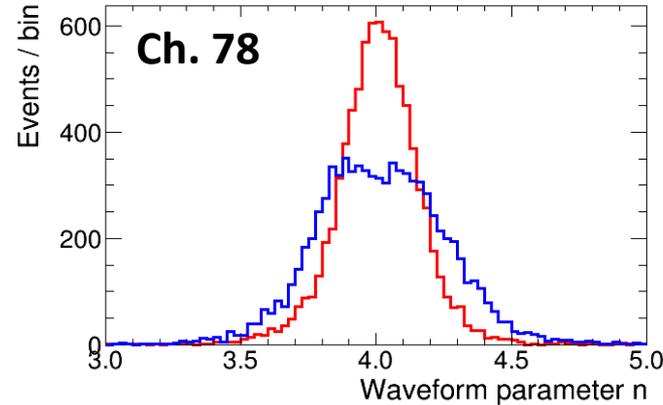
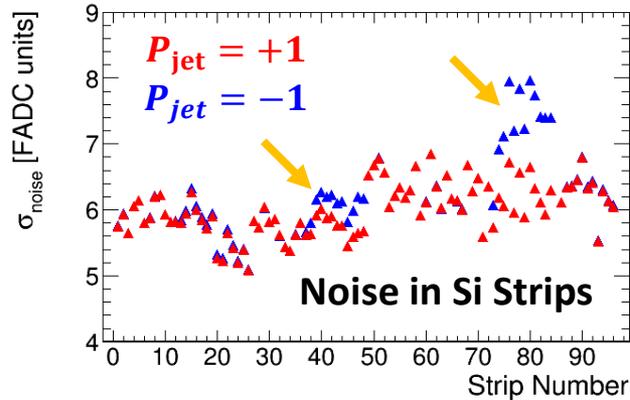
After corrections:  $\langle \sigma_T^{syst} / T \rangle \approx 0.9\%$  and  $\langle \sigma_T^{syst} \rangle \approx 20 \text{ keV}$

- Since the source of discrepancy (calibration?, geometry?, magnetic field corrections?, ...?) is not proved yet, the corrections are not validated. The study is being continued.
- **Proton beam polarization measurements is not sensitive to these error in calibration**

# Detector acceptance correlation with the Jet polarity

The Jet RF transition cavity can induce noise in the Jet Si detectors:

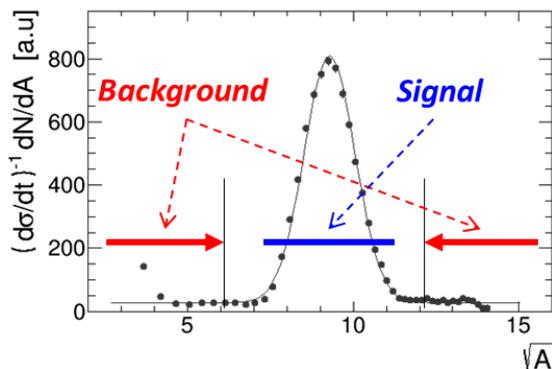
**pp Run 2015**



- For a tight cut the acceptance may be changed by up to a factor 2, which strongly affect the polarization measurement
$$P\delta A_N = \delta\epsilon_L/2 \approx -0.15$$
- For a loose cut, e.g  $4 \pm 0.7$ , the problem is strongly suppressed.

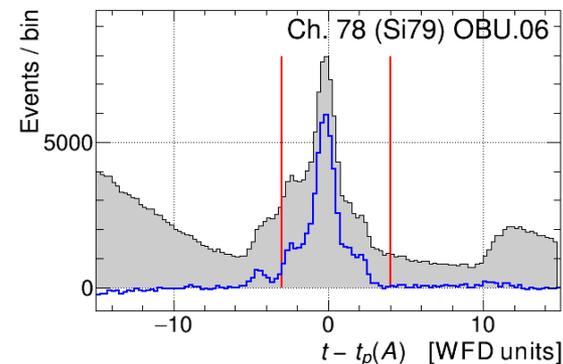
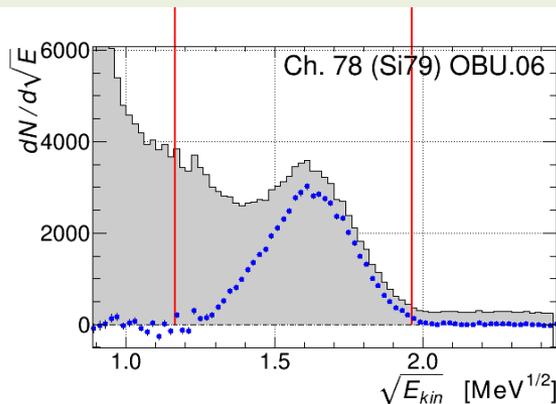
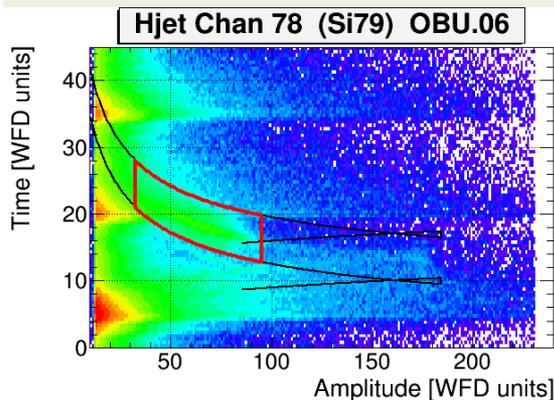
- Only one detector (OBU) is strongly affected by these noise.
- We may expect strong correlation in systematic errors (mostly at low energies)
$$P\delta A_N = \delta\lambda.$$
- This is expected to be a dominant source of systematic errors (excluding molecular hydrogen)

# Background subtraction



- Background subtraction is based on assumption that for given recoil proton energy the background is the same for all strips in the detector.
- The background may be subtracted independently for any combination of beam/jet polarizations. Thus, spin correlated asymmetries are properly accounted.
- Currently, the background subtraction is a routine, in-flight, procedure in the data analysis.

The example is given for blue detector in 100 GeV  $dAu$  Run  
(The worse background/signal ratio)

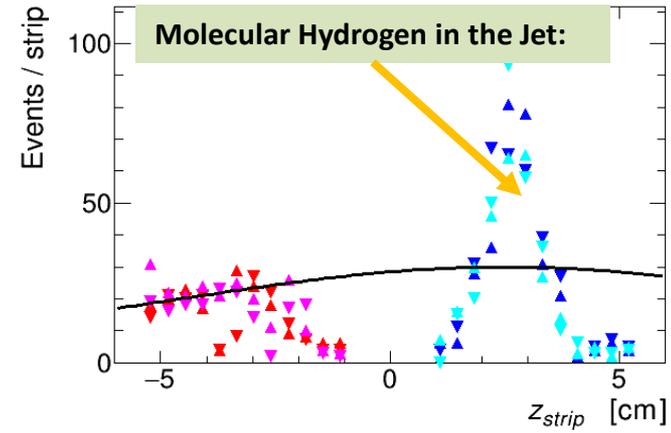
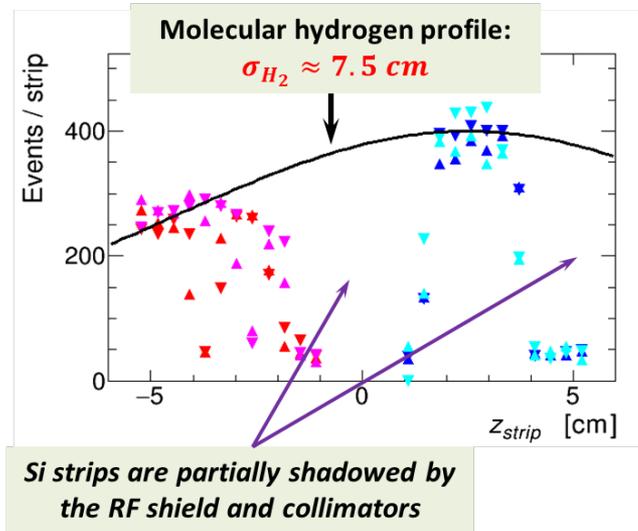


- The method works reasonably well even in this extremal case
- Usually, the accuracy of background subtraction is  $\lesssim 10\%$ .
- If the background level  $< 10\%$  the background related systematic errors might be  $< 1\%$ .

# Molecular Hydrogen Background

Experimental evaluation using 9.8 GeV blue Au beam and injected hydrogen to chambers 7 and 5

$$\sqrt{E_R} = 1.4 \pm 0.1 \text{ MeV}^{1/2}$$



Estimated fraction of hydrogen atoms bounded in molecules:

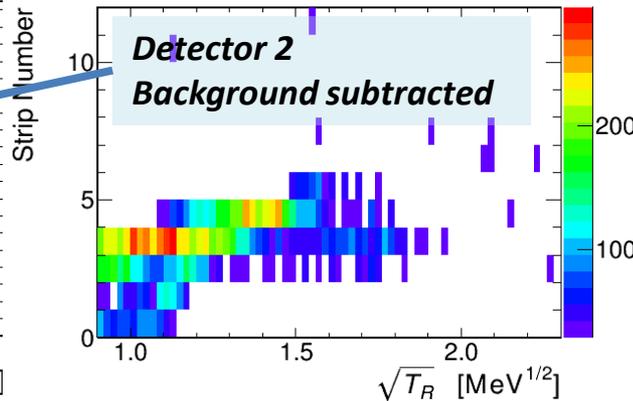
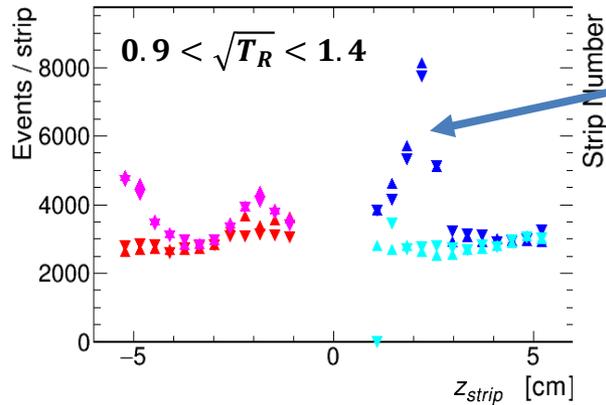
	Peak fraction	Integral fraction	Subtracted
Flat bgr.	$0.4 \pm 0.1 \%$	$0.9 \pm 0.3 \%$	$0.3 \pm 0.1 \%$
Jet bgr.	$0.3 \pm 0.1 \%$	$0.4 \pm 0.2 \%$	—
<b>Total:</b>	<b><math>0.7 \pm 0.2 \%</math></b>	<b><math>1.3 \pm 0.4 \%</math></b>	<b><math>1.5 \pm 0.1 \%</math></b>

Evaluation from *pp* data  
 $0.75 < T_R < 7.0 \text{ MeV}$

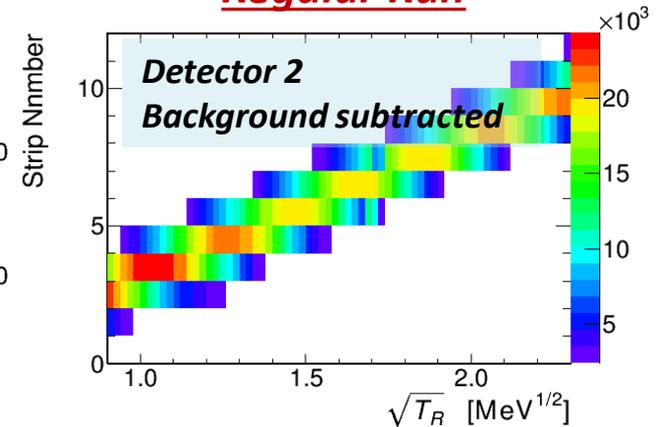
- The molecular hydrogen background subtraction is not efficient due to shadowing detectors by collimators
- There is a significant beam polarization correlated asymmetry for non-molecular hydrogen background
- The effective Jet polarization may be evaluated as  $P_{jet}^{(eff)} = 95.0 \pm 0.5 \%$

# Non-uniformity of inelastic background

## dAu 9.8 GeV, Empty Target (no Jet) Run



## Regular Run

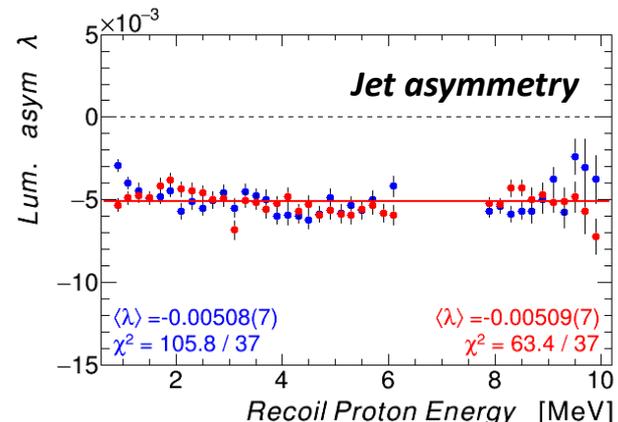
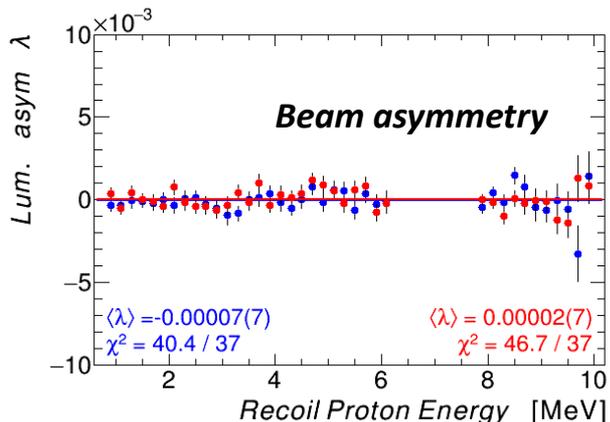
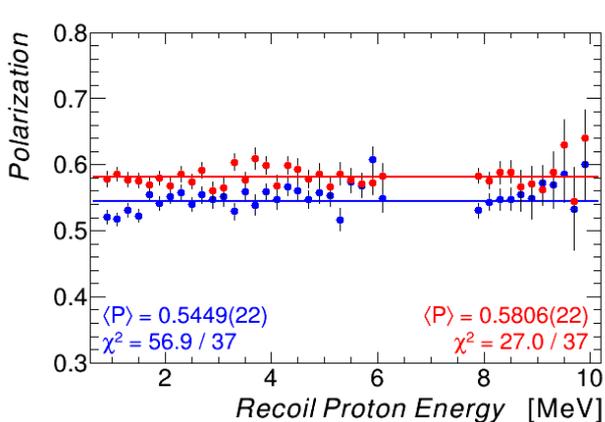
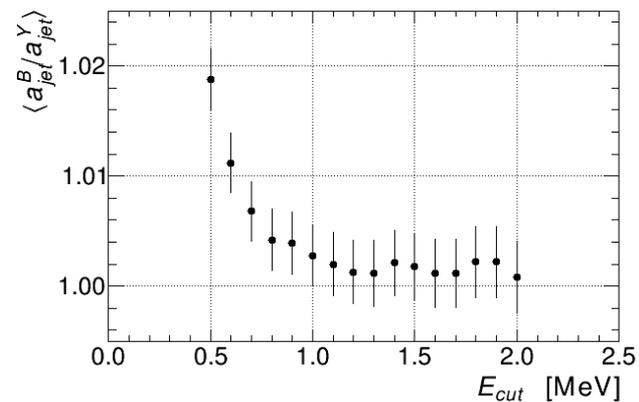
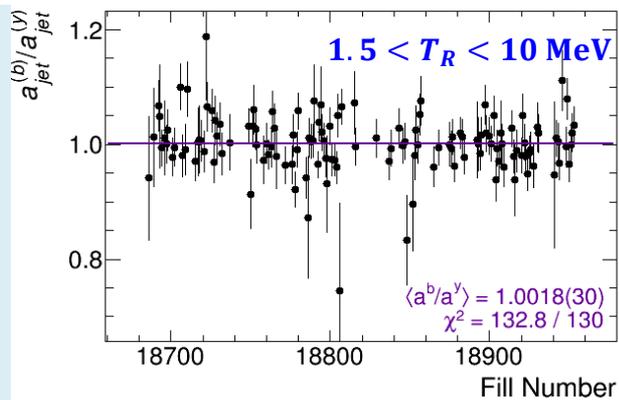


- Flat distributions were expected in empty target (Jet off) runs.
- Strong non-flatness is seen in **inner blue** and **outer yellow** detectors at  $0.9 < \sqrt{T_R} < 1.9$
- For inner (right) blue detectors the background is not properly subtracted. The remaining background is well overlapped with the elastic signal.
- As result, for blue beam  $\delta A_N^{(R)} < 0$  if  $T_R \lesssim 3$  MeV.
- If this is the only systematic error then the measured analyzing power  $A_N^{(m)}(t)$  may be corrected using the deviation in the intensity asymmetry measurement  $\delta A_N^{(m)}(t) = \delta \lambda^{(m)}(t)$

**The effect is strongly suppressed in pp Run.**  
(However, no detailed study was done yet)

# Beam polarization measurement

- For recoil proton energy  $>1.0$ - $1.5$  MeV, the measured Jet asymmetry is in a perfect agreement for blue and yellow beams.
- Energy cut may be reduced to  $\sim 0.7$  MeV if Inner Upper Blue detectors will be excluded from consideration (polarization dependent noise)
- The measured polarization and luminosity asymmetries are recoil proton energy independent.



**No evidence of possible systematic errors above  $\delta P/P \sim 1\%$  (including molecular hydrogen) were found\*.**

(\*Long term stability of molecular hydrogen background was not tested)

# Analyzing power

$$A_N(t) = A_N^{\text{QED}}(t) \times \alpha_5(1 + \beta_5 t/t_c), \quad \alpha_5 \sim 1 - \text{Im} r_5, \quad \beta_5 \sim -\text{Re} r_5, \quad t_c = -8\pi\alpha/\sigma_{\text{tot}}^2$$

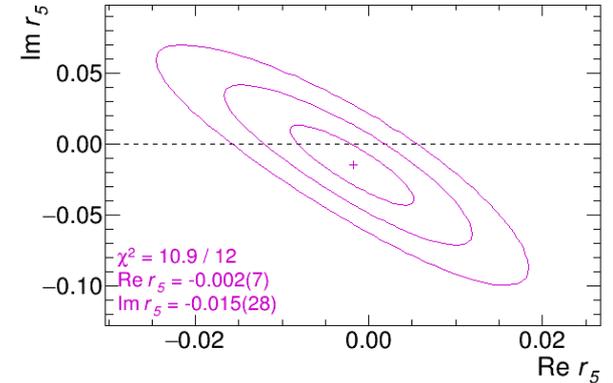
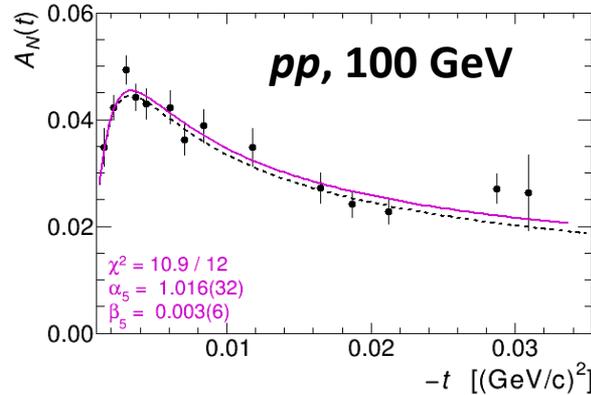
## Published HJET results:

Phys. Lett. B638 (2006) 450

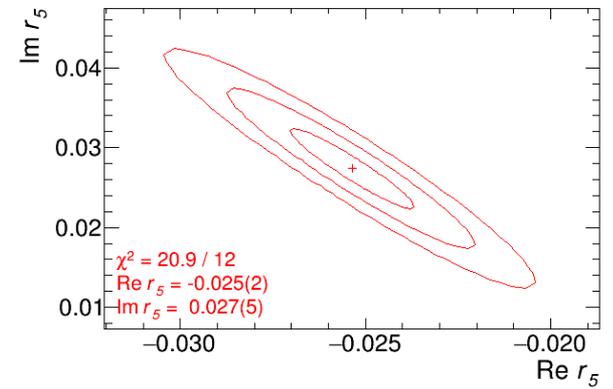
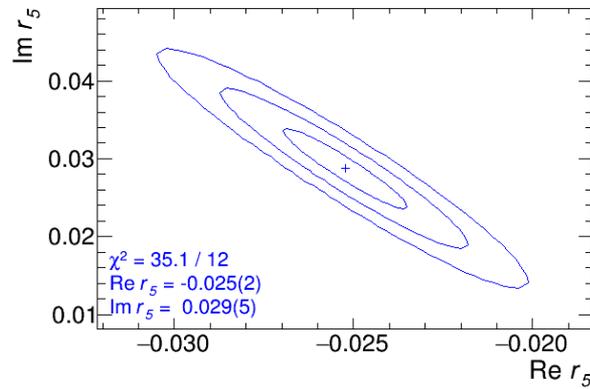
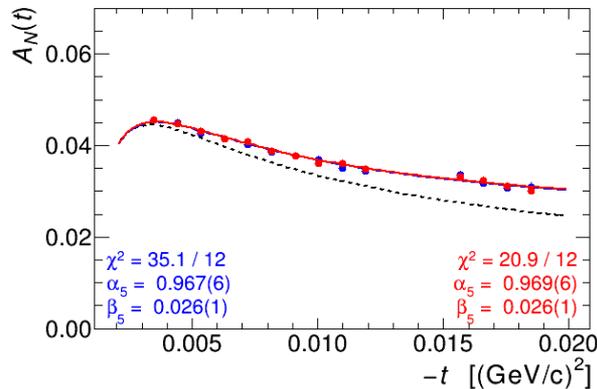
$$\text{Re} r_5 = -0.0008 \pm 0.0091$$

$$\text{Im} r_5 = -0.015 \pm 0.029$$

$$(\rho = -0.08, \delta_C = 0.02)$$



## 2015 data, preliminary:



## Some systematic errors:

$$\Delta \text{Im} r_5 = 0.009 \Delta P_{\text{jet}}/0.01, \quad \Delta \text{Re} r_5 = -0.001 \Delta P_{\text{jet}}/0.01$$

$$\Delta \text{Im} r_5 = 0.008 \Delta \rho / 0.01, \quad \Delta \text{Re} r_5 = -0.001 \Delta \rho / 0.01$$

**There is a significant discrepancy with old (published) data. The issue must be resolved.**